

# Wear test programs for roller-type pitch bearings of wind turbines

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**Abstract.** Pitch bearings are critical for the safe and efficient operation of wind turbines. They connect the rotor blades to the rotor hub and allow for pitching movements that control loads and rotor speeds. While four-point contact ball bearings have been dominant in the past, three-row roller bearings are increasingly used in current designs due to their higher load capacity at the same diameter. Wear of the raceways is one of the possible damage mechanisms in pitch bearings. As roller bearings differ significantly from previous designs and because the operational conditions of wind turbines differ from other industrial applications, it is a reasonable de-risking exercise to undergo wear tests prior to the commissioning of such bearings. This study outlines a process for developing a wear test program based on aero-elastic simulation data and wind speed measurements. The process is then applied to an example roller bearing. The final program covers both standstill conditions and pitch cycles. The first is the main addition to former approaches. With existing test rigs and a reasonable budget and timeline, the program can be executed.

## 1 Introduction

The objective of this study is to develop a wear test program for roller-type pitch bearings. Pitch bearings of wind turbines are large slewing bearings that connect each rotor blade with the rotor hub (Burton, 2011). To minimize deformations of the bearing rings, additional stiffening elements such as plates or rings are often employed. There are various commercially available design types for these bearings, as listed in (Stammler, 2020). However, to the best of the author's knowledge, there have only been two publications on wear testing results for pitch bearings with a diameter greater than 2 m: Behnke and Schleich (2022) reported on tests with several four-point contact ball bearings with a pitch diameter of 2.3 m, while Stammler (2020) presented results for two four-point contact ball bearings with a pitch diameter of 4.69 m. Both publications report on short-term tests with static axial loads, and both included results for constant amplitudes and protection runs. Protection runs refer to longer pitch movements embedded within sequences of shorter movements which protect the raceway from wear by redistributing the grease in the bearing, as explained in (Stammler et al., 2019a; Stammler, 2020).

Stammler (2020) and later Song and Karikari-Boateng (2021) have outlined long-term wear test programs for pitch bearings. Stammler (2020) applies sequence recognition to find wear-critical series of pitch cycles in time series data. These series, along with any protection runs, are then combined based on seasonal profiles to generate time series that represent the full lifetime of the turbine. Meanwhile, Song and Karikari-Boateng (2021) use a similar approach to recognize wear-critical parameters in individual cycles but do not consider the sequence of these cycles or account for possible protection runs. While the approach

outlined in (Stammler, 2020) yields useful results for pitch cycles, it does not take into account standstill conditions. Therefore, further research is necessary to incorporate standstill conditions into wear testing programs for pitch bearings.

Over the past few decades, results of several wear tests with constant amplitudes, either as angular amplitudes of the raceways or as load amplitudes, have been published. However, only a minority of these publications cover wear in line contacts. de La Presilla et al. (2023) did a review of oscillating bearing with both point and line contacts.

One early study by Pittroff (1961) subjected cylindrical roller bearings to radial load oscillations. An off-axis weight rotated on a shaft and varied the individual contact loads between 0 MPa and <500 MPa. Among other parameters, Pittroff reported on the ability of pretension to reduce the wear damages of the raceways. In another study, Breward (1973) showed false brinelling damages of oil-lubricated roller bearings. He suggested empirical calculations for the rolling contact fatigue lifetime that take account of the depth of false brinelling damages. Njoya (Njoya, 1982) used different cage configurations for needle bearings of gearboxes to prevent wear on the rings by forcing a cage movement for operating points where the inner and outer ring have the same speed. Föhl and Sommer (FVA, 1988, 1991) conducted wear tests on oil-lubricated axial roller bearings (type 81212) to understand the influence of tribolayers. The test load was 80 kN and the calculated contact pressure was 1890 MPa. The test rig, a FE8 as defined in (DIN, 1999), rotated the bearing with 7.5 rpm. Föhl and Sommer showed the influence of different additives on wear creation and the beneficial influence of sulfur and phosphate. Wolf et al. (FVA, 2007) conducted tests on type 81212 bearings using a FE8 test rig and commercial oil for gearboxes and combustion engines. The bearings rotated with 7.5 rpm. Wolf et al. identified a lower load region that does not cause wear and a higher load region that results in wear. Schadow (FVA, 2010) tested type 32005 tapered roller bearings to identify the influence of different parameters on false brinelling damages. He used various greases. and the test rig allowed testing at different levels of temperature. The application of dynamic axial, radial, and combined loads caused only slight damages on the bearing raceways. The maximum load amplitude was 25% of the initial static load which was at one third and one tenth of the load capacity of the bearings. Small oscillating angles under static and dynamic loads caused similar damages to the raceways. As all damages appeared similar, it was not possible to determine the influence of individual test parameters on the damages. The oscillation amplitudes were very small in comparison to wind turbine applications. In recent studies, Lin et al. (2022) found that zinc dialkyldithiophosphate (ZDDP) additives in grease can effectively prevent wear damage on raceways of cylindrical roller bearings subjected to radial loads and superimposed vibrations.

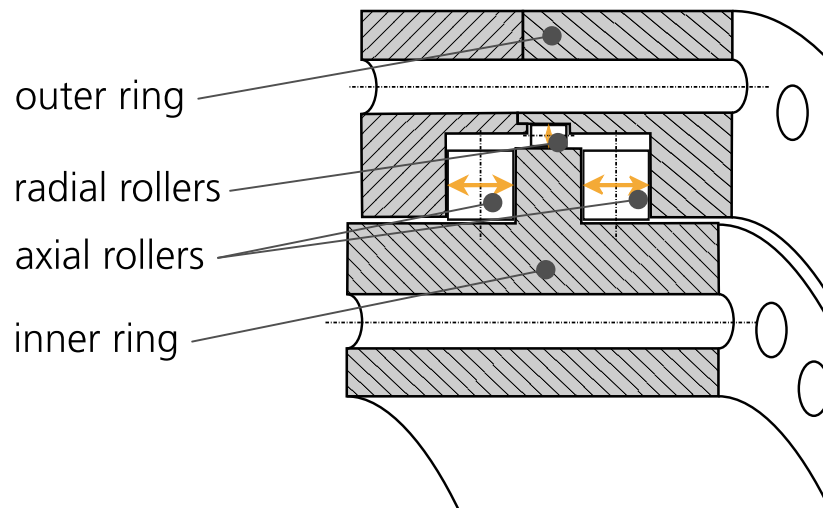
Stammler et al. described the oscillating behavior of pitch bearings in (Stammler and Poll, 2014), (Stammler et al., 2018, 2019b) and evaluated the influence of different controller types on the oscillating cycles of pitch bearings. They distinguished between Collective Pitch Control (CPC) and Individual Pitch Control (IPC), with the former controlling all three blades simultaneously to adjust the turbine's power output, and the latter controlling the blades individually to limit bending moment variations and reduce fatigue loads on the turbine structure. IPC increases the pitch activity significantly (Stammler et al., 2019b; Requate et al., 2020). This reduces the bearing's rolling contact fatigue life expectancy. As the loads are highest close to rated wind speed (Burton, 2011), limiting IPC activity at speeds much below rated wind speed is a reasonable approach to reduce wear and prolong bearing life (Bottasso et al., 2014). This approach may lead to the pitch bearing remaining in rotatory standstill under most operating conditions below rated speed.

Most full-scale test rigs for pitch bearings are operated by commercial businesses. Publications on the rigs are limited to advertising videos, photos in company reports, and press releases. Examples include (Shanghai Oujikete, 2012; Vries, 2013; Lüneburg et al., 2014; Rollix, 2017; Fischer and Mönning, 2019; Fangyuan, 2019; Vries, 2019). To the knowledge of the author, there are currently no publicly available test programs or results, even though several test rigs are in operation and roller-type pitch bearings play an increasingly important commercial role. Therefore, developing a test program for full-scale roller-type pitch bearings must address several uncertainties, which will be highlighted in the following sections.

The remainder of this article begins with Section 2, which discusses definitions and damage mechanisms. The following Section 3 describes the process that leads from the data input to the test program output. The data input includes aero-elastic simulation time series, wind speed measurements, and bearing data, while the output consists of test time series in six degrees of freedom. Section 4, which covers application and results, uses the data of the IWT (IWES Wind Turbine) 7.5-164 reference turbine to create a test program for the BEAT6.1 (Bearing Endurance and Acceptance Test) rig of Fraunhofer IWES.

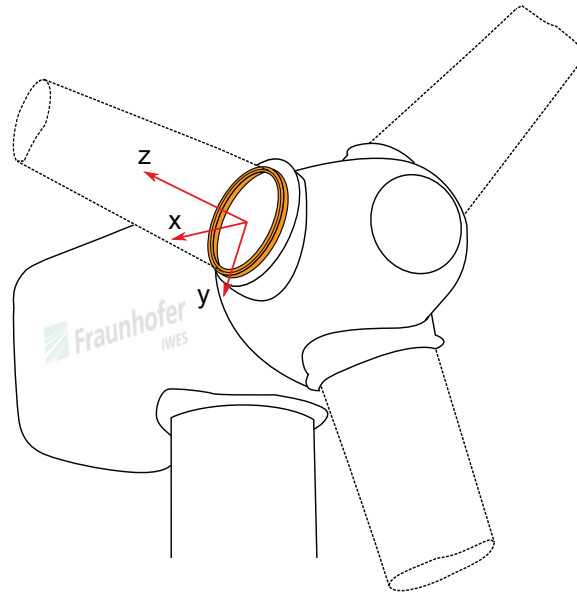
## 2 Definitions

Three-row roller pitch bearings have two axial and one radial row. Figure 1 shows a section view of such a bearing. As the axial loads dominate in pitch bearing operation, the axial rollers are significantly larger than the radial ones. In operation, only one of the axial rows at the same circumferential position bears the load. One of the rings is typically C-shaped and split into two halves, as shown in Figure 1, where the outer ring is split. The bearings are manufactured with little or no preload of the rollers. When the blade, pitch bearing, and hub are assembled, the tensioning of the bolts of the c-shaped ring introduces the preload of the rollers. Therefore, the pretension of the bolts is crucial for the reliability of this bearing type.



**Figure 1.** Three-row roller pitch bearing (Stammler, 2020)

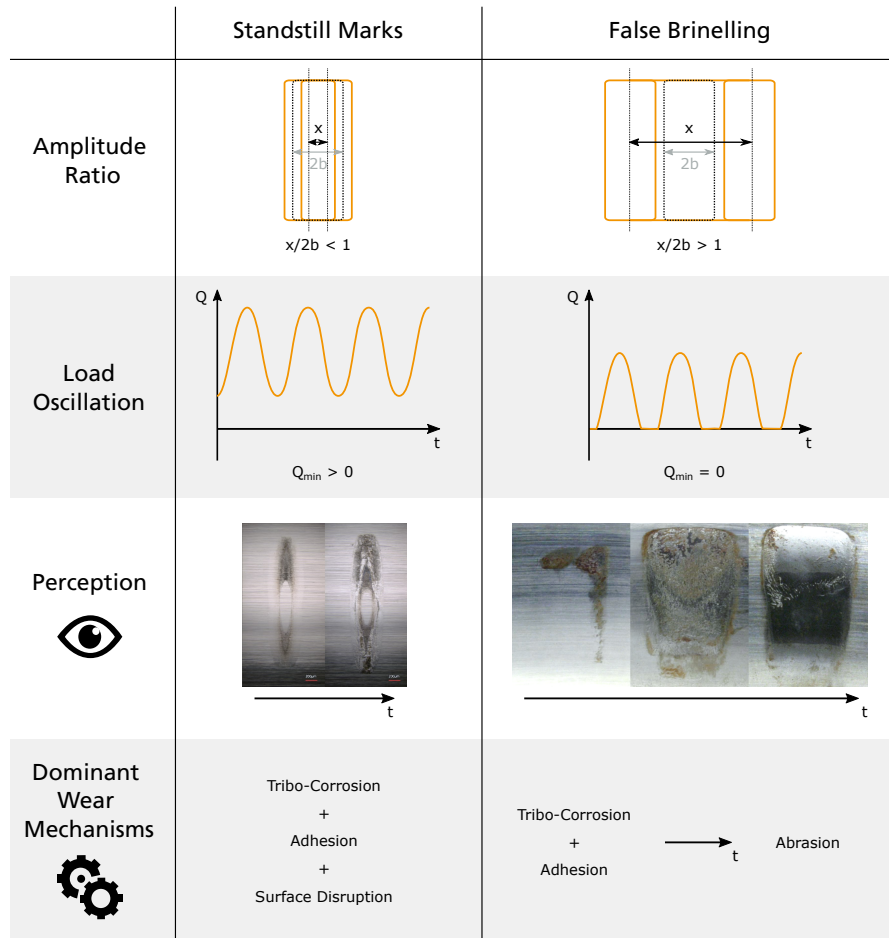
80 Any loads and pitch movements in this study use the coordinate system shown in Figure 2 with the exception of the pitch angle  $\theta$ , which is positive in mathematically negative sense. This convention is industry standard, and most turbine simulation time series follow it.



**Figure 2.** Pitch bearing coordinate system (fixed to rotor hub) (Stammler, 2020)

The test program aims at evaluating wear of the raceways, which are the surfaces of the bearing rings that contact the rolling elements. Pitch bearings can also fail for other causes. The author gives an overview of possible damages of pitch bearings in (Stammler, 2020). Within the context of this study, surface wear damages of raceways are distinguished into Standstill Marks and False Brinelling. The definitions of these terms are according to works of Grebe (2012); Grebe et al. (2018) and the abovementioned review by de La Presilla et al. (2023). Contact track refers to the area of the raceway covered by a rolling body during an oscillation. Figure 3 shows the characteristics of these damages.  $x$  denotes the distance covered by the contact center on the raceway during an oscillation,  $2b$  the width of the contact area.  $Q$  is the load of the contact element.

90 Standstill marks and false brinelling are both possible in pitch bearing operation. Standstill marks can occur when the bearing rings are in rotatory standstill and subject to oscillating loads with  $Q_{\min} > 0$  or when they undergo oscillating movements with small amplitudes of  $x/2b < 1$ . Load oscillations can be caused by rotor rotation and wind fluctuations. Turbine controllers can also cause oscillating movements with  $x/2b < 1$ , but they have limited positive effects on load and power. To prevent these cycles, turbine controllers can be adjusted. Torsional moments at the blade root that are higher than the bearing friction torque  
95 can also cause these movements, resulting in the blade's center of gravity being off-axis and oscillating around zero. Standstill marks appear at the outer boundaries of the contact area and leave a characteristic undamaged central area. False brinelling, on the other hand, can be caused either by oscillating movements with an amplitude ratio  $x/2b > 1$ , a load oscillation with



**Figure 3.** Raceway wear damage modes of oscillating bearings

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100  $Q_{\min} = 0$  or a combination of both. False brinelling does not show an undamaged central area. At more progressed states and with abrasive mechanisms at work, false brinelling damages appear visually like the indents of Brinell tests. Another possible reason for wear of the raceways are movements of the rollers perpendicular to their rolling direction. Loads can cause deformations of the bearing rings, which affect the load distribution along the major axis of the contact and cause these movements. These damages will appear similar to false brinelling but the dominant mechanism is fretting.

105 The author is not aware of any comprehensive calculation models that can predict wear on raceways. Such models would have to predict the initiation and progress of wear. Wandel et al. (2022) propose a starvation number that takes into account various parameters, such as oscillation, contact, and lubrication, to assess the risk of wear. This assessment, however, is only valid for constant parameters. The development of wear marks to final dents that render the pitch bearing inoperable includes

various wear regimes with different adhesive and abrasive mechanisms and has not yet been fully explored. de La Presilla et al. (2023) give an overview of existing models.

110 When wear conditions are met, surface alterations can appear after less than 1000 cycles, and brownish-red corrosion products are clearly visible after at least 5000 cycles (Schwack et al., 2017; Wandel et al., 2023). Effective protection runs are one means to prevent wear on raceways. They can be any longer rotatory movement, whether steady or interrupted. While the existence of protection runs is supported in by experimental evidence (Stammler et al., 2019a; Behnke and Schleich, 2022), the parameters that determine an effective protection run are not yet fully understood. An effective protection run should be a longer movement, but the exact required amplitude ( $\theta_p$ ) is unknown, and it should occur after several smaller pitch cycles, 115 although their maximum number is also unknown. Results from Stammler et al. (2019a) show effective protection runs for up to 100 cycles in between them. Furthermore, the effectiveness of protection runs depends on factors such as the lubricant used (Schwack et al., 2020, 2021) and cage design (Wandel et al., 2022). These factors will be taken into account in the later test program, and uncertainties will be addressed using a sensitivity analysis.

### 3 Methods

#### 120 3.1 Input data

Stammler (2020) describes the design process of test parts that emulate the interfaces of the pitch bearing. They act as replacement of rotor blade and rotor hub in a more compact test environment and allow dynamic tests with reasonable deformations and energy costs. For this study, these parts and the BEAT6.1 test environment are taken as given. The test profile creation then needs the following inputs:

##### 125 – Bearing data

This includes a bearing drawing, the rolling body properties as diameter  $d_{rb}$  and the length  $l_{rb}$ , and number of rolling bodies.

##### – Load simulation output

130 This contains time series of all fatigue load cases defined in IEC61400-1 (IEC, 2019). The signals must contain pitch angle  $\theta_{sim}$ , blade root bending moments  $M_x$  and  $M_y$ , forces  $F_x$ ,  $F_y$ , and  $F_z$ , and information about the mean or current wind speed.

##### – Wind speed measurement data

The wind speed measurement data must contain values of at least one year, measured at or close to hub height. Mean values for 10 min intervals are sufficient.

### 135 3.2 Comparison of simulation and measurement

The accuracy of test results depends on the quality of input data. To ensure the reliability of simulation data, it is recommended to compare the simulation results with measurement data collected under similar wind conditions. However, in cases where measurement data for the bearing under test is not available prior to testing, comparison with data from similar existing turbines can be used as an alternative approach. This in lieu comparison can be considered reasonable if the simulation methods are the same.

### 3.3 Calculation of additional time series signals

Pitch bearings are typically driven by either hydraulic cylinders or combinations of electrical motors and gearboxes. In the case of the latter, the gearbox has a geared interface to the bearing with a circumferential backlash denoted as  $j_t$ . During the assembly of the bearing, it is not possible to directly measure the circumferential backlash. Instead, the normal backlash  $j_n$  is measured using a feeler gauge. The value of  $j_t$  can be calculated as  $j_t = j_n/\alpha_n$ , where  $\alpha_n$  is the normal pressure angle of the gear pair. If the pitch drive is in a standstill position and a torsional torque  $M_z$  is applied in the opposite direction to the last pitch movement, the pitch bearing can move within the limits of the circumferential backlash  $j_t$ . In order for the bearing to move,  $M_z$  must exceed the starting torque  $M_{t,\min}$  of the bearing.

It is important to note that aero-elastic simulations may not necessarily consider the backlash of the pitch gear interface. The superimposed movement of the pitch bearing at standstill, denoted as  $\dot{\theta}_j$ , is estimated using Equation 1. The rate of this movement is assumed to be a fixed value  $c_\theta$ , whereas in reality, it depends on factors such as the inertia of the deformed blade, the actual value of  $M_z$ , and the frictional torque of the pitch bearing. It should also be noted that  $\dot{\theta}_j$  is positive in mathematically negative direction, as per the provided definitions.

$$\dot{\theta}_j = \begin{cases} c_\theta & \text{if } \dot{\theta}_{\text{sim}} = 0 \text{ and } M_z \leq -M_{t,\min} \text{ and } \theta_{\text{flag}} = \text{false}, \\ -c_\theta & \text{if } \dot{\theta}_{\text{sim}} = 0 \text{ and } M_z \geq M_{t,\min} \text{ and } \theta_{\text{flag}} = \text{true}, \\ 0 & \text{for all other cases} \end{cases} \quad (1)$$

$\theta_{\text{flag}}$  indicates the direction of the last pitch movement. This movement determines which tooth flank is in contact. Equation 2 is executed per each time step  $\tau$  if the conditions for any  $c_\theta$  are not met.

$$\theta_{\text{flag}} = \begin{cases} \text{true} & \text{if } \dot{\theta}_{\text{sim},\tau} > 0 \text{ or } (M_{z,\tau+1} \geq M_{t,\min} \text{ and current } \theta_{\text{flag}} = \text{false}) \\ \text{false} & \text{if } \dot{\theta}_{\text{sim},\tau} < 0 \text{ or } (M_{z,\tau+1} \leq -M_{t,\min} \text{ and current } \theta_{\text{flag}} = \text{true}) \end{cases} \quad (2)$$

$\theta_j$  is limited to movements within the backlash  $j_t$ . In the final test, however, the pitch drive has to overcome the backlash and move the bearing by  $j_t$ , so its movement has to be  $2 \cdot j_t$ .  $\theta_j$  is then calculated step-wise as the sum of all previous  $\dot{\theta}_j$  unless its absolute value exceeds  $2 \cdot j_t$ , in which case it is set to  $\pm 2 \cdot j_t$ .  $\theta_j$  and  $\theta_{\text{sim}}$  form the final pitch angle  $\theta$ :

$$\theta = \theta_j + \theta_{\text{sim}} \quad (3)$$

The rolling body load  $Q$  and the amplitude ratio  $x/2b$  have significant influence on wear damages. In the axial rows of three-row roller pitch bearings,  $x$  equals half the distance covered by the rotating ring. Equation 4 calculates the distance  $\Delta x$  with  $\Delta\theta$  as the pitch angle change between two time steps in  $^\circ$ , which is common for load simulation outputs.  $D_{\text{pitch}}$  is the pitch diameter of the bearing.

$$\Delta x = 0.5 \frac{\Delta\theta \cdot \pi \cdot D_{\text{pitch}}}{360^\circ} \quad (4)$$

The calculation of  $Q$  and  $2b$  of each individual rolling element is less trivial and commonly relies upon finite-element analysis. However, the focus of this study is on identifying wear-critical operational conditions, which is less dependent on the exact load  $Q$  and more on the combination of operating conditions. Since  $Q$  is only used to select operating conditions which are later reproduced exactly by the test setup, empirical formulas can be used to approximate the load at this stage. For the calculation of the  $Q_{\text{max}}$ , the pitch bearing design guideline (DG03) of NREL (Harris et al., 2009) suggests Equation 5. The radial loads used in (Harris et al., 2009) are omitted here as the axial rollers cannot transfer radial loads. The contact angle  $\alpha$  of the axial rows is assumed to be  $90^\circ$ , and the bending moment  $M$  is calculated as the quadratic sum of the individual bending moments.  $Z$  represents the number of rolling bodies per row. Each of the axial rows of the bearing can only carry loads in one direction. The following explanations and equations are valid for one of the rows. For the other row, the results of the equations have to be multiplied with  $-1$ .

$$Q_{\text{max}} = \left( F_z + \frac{4 \cdot \sqrt{M_x^2 + M_y^2}}{D_{\text{pitch}}} \right) \cdot \frac{1}{Z} \quad (5)$$

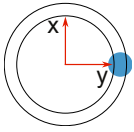
The axial rows of pitch bearings are commonly pre-loaded by the bolts of the c-shaped ring. This initial load  $q_{\text{ini}}$  needs to be respected in the  $Q$  calculations. Under dynamic loads, different rolling bodies are subject to  $Q_{\text{max}}$ . For a test program creation, it is more desirable to know the load variations at fixed circumferential positions. A position on the positive x-axis with  $y = 0$  is denoted as  $0^\circ$ .  $M_x$  does not influence the load at this position, see Equation 6:



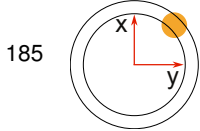
$$Q_{0^\circ} = \left( F_z + \frac{4 \cdot M_y}{D_{\text{pitch}}} \right) \cdot \frac{1}{Z} + q_{\text{ini}} \quad (6)$$

Similarly,  $Q$  at  $90^\circ$  and  $45^\circ$  positions can be calculated, see Equation 7 and Equation 8:





$$Q_{90^\circ} = \left( F_z + \frac{4 \cdot M_x}{D_{\text{pitch}}} \right) \cdot \frac{1}{Z} + q_{\text{ini}} \quad (7)$$



$$185 \quad Q_{45^\circ} = \left( F_z + \frac{4 \cdot (M_x + M_y) \cdot \frac{1}{\sqrt{2}}}{D_{\text{pitch}}} \right) \cdot \frac{1}{Z} + q_{\text{ini}} \quad (8)$$

The results of Equation 6 to 8 can be negative numbers. It is physically impossible for a rolling body to have a negative load, hence any values below zero must be set to zero, see Equation 9:

$$Q = \begin{cases} Q & \text{if } Q \geq 0, \\ 0 & \text{if } Q < 0 \end{cases} \quad (9)$$

With  $Q$  signals added to the input data, it is possible to calculate the contact width  $2b$  at the same positions, again for the axial rows of the bearing. This is done according to Harris and Kotzalas (2007), see Equation 10.  $l_{\text{rb}}$  is the length of the rolling body and  $d_{\text{rb}}$  its diameter.  $\nu$  is the Poisson's ratio, and  $E$  the Young modulus. In this case it is assumed both rolling body and raceway have the same  $\nu$  and  $E$ .

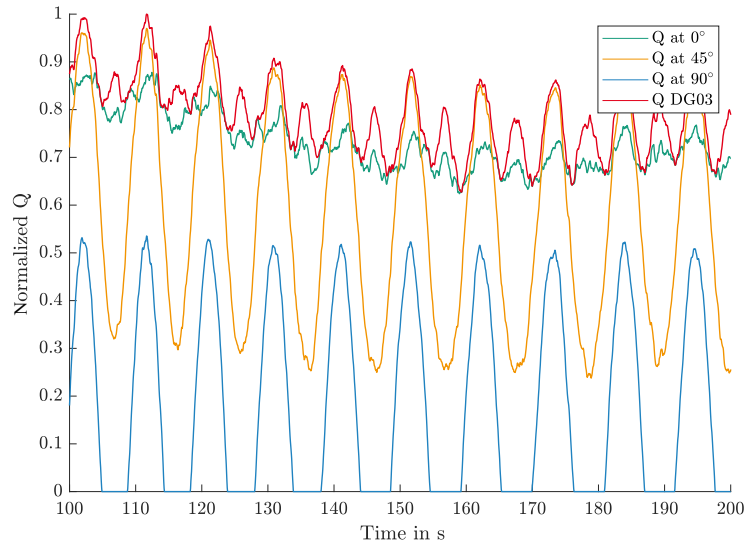
$$2b = \sqrt{\frac{8 \cdot Q \cdot d_{\text{rb}}}{\pi \cdot l_{\text{rb}}} \cdot \left( 2 \cdot \frac{1 - \nu^2}{E} \right)} \quad (10)$$

Figure 4 shows exemplary output of  $Q$  at different positions for turbine operation below rated wind speed for one of the axial rows. The values are normalized by the maximum value in the simulation file. At  $0^\circ$ ,  $Q$  is mainly influenced by the thrust moment  $M_y$  on the blade, resulting in a high mean load level with minor fluctuations. At  $45^\circ$  both  $M_y$  and  $M_x$  influence the rolling body loads. The variations in load are driven by  $M_x$ . At  $90^\circ$ ,  $M_x$  dominates and since it has negative values, the rolling body loads become zero with each oscillation. The frequency of  $M_x$  matches the rotational frequency of the rotor. It is worth noting that the DG03 calculation with the quadratic sum of the bending moment shows higher frequencies, reflecting the usage of absolute values of  $M_x$ .

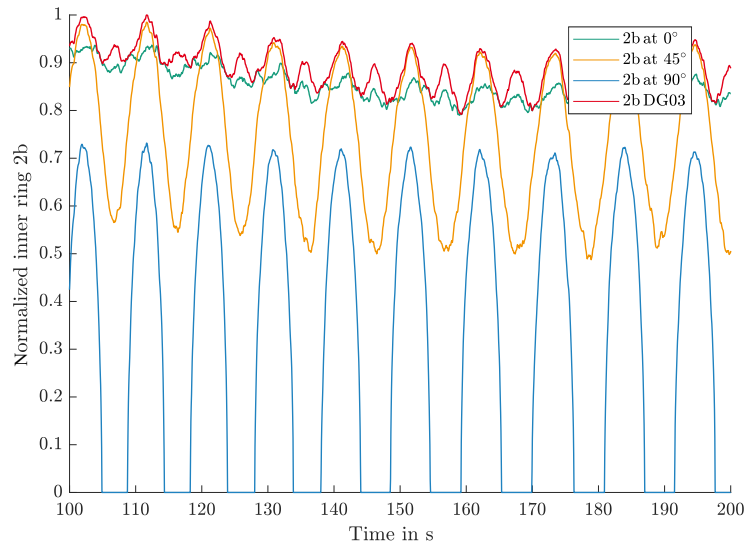
Figure 5 depicts the contacts widths  $2b$  for the same period, again as exemplary normalized plots. Equation 10 defines a concave relation between  $Q$  and  $2b$ , which is reflected in Figure 5. The  $90^\circ$  position shows the highest variations in  $2b$ ,  $0^\circ$  shows almost constant values.

With  $2b$  and again following Harris and Kotzalas (2007), the contact pressure  $P$  is calculated using as per Equation 11:

$$205 \quad P = \frac{4 \cdot Q}{2b \cdot l_{\text{rb}} \cdot \pi} \quad (11)$$



**Figure 4.** Normalized rolling body loads at different circumferential positions for operation below rated speed



**Figure 5.** Normalized contact widths at different circumferential positions for operation below rated speed

This contact pressure allows to estimate the potential of the later test program to impose damages on the raceways.

### 3.4 Standstill program

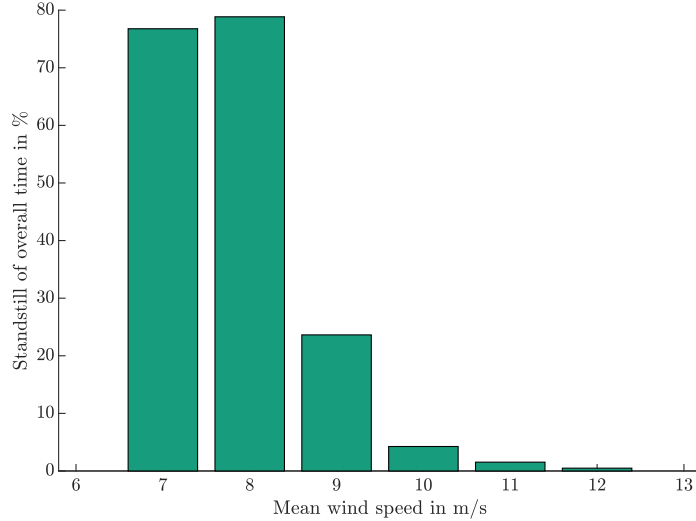
The underlying idea of a standstill test program is to use the combination of wind speed measurements and simulation data to find critical operating conditions. Note this part of the test program does not necessarily result in standstill marks, its name  
 210 refers to the rotary standstill of the bearing rings.

The program generates a test plan to replicate the identified operating conditions. The most severe operating condition is the longest continuous standstill with the same pitch angle under highest  $2b$  variations. Wear damages develop over oscillation cycles (Behnke and Schleich, 2022; Schwack, 2020; Schwack et al., 2021) and are prevented by protection runs (Stammler et al., 2019a). Only periods of continuous standstill that meet a minimum cycle number  $n_{\min}$  are considered for the test  
 215 plan. The 10-minute simulation data files hold information on  $2b$  variations and short-term standstill conditions. However, for large turbines, it may not be possible to reach the minimum cycle number within 10 minutes. In such cases, files with effective protection runs can be excluded from further analysis. Very short standstill periods are also excluded as they should at minimum have a few load cycles to be relevant for wear progression. This short-term minimum is denoted  $n_{\min,s}$ . Figure 5 shows that  $M_x$ , which has the same frequency  $\nu_{\text{rotor}}$  as the rotor, dominates variations of  $2b$ . Equation 12 gives the minimum  
 220 short-term standstill time  $T_{\min,\text{standstill}}$ :

$$T_{\min,\text{standstill}} = \frac{n_{\min,s}}{\nu_{\text{rotor}}} \quad (12)$$

$n_{\min}$  is the long-term minimum number of wear-critical cycles. The cycles stop counting when a protection runs occurs.  $n_{\min,s}$  is the short-term minimum of cycles that can contribute to wear if they aggregate with more cycles. It is interrupted by pitch movements below protection run threshold  $\theta_p$ . The simulation data is filtered for protection runs and standstill times  
 225 and finally split into wind speed bins. This renders the highest wind speed which still has standstill times. This wind speed is called ‘focus speed’ in the following. If protection runs occur below focus speed, the files containing them are excluded from the later test run to follow a worst-case philosophy. Pitch bearings spend less time overall (see Figure 6) and shorter periods in standstill with increasing wind speed.

Wind speed measurements allow to put simulation files in mid- and long-term sequences. For a standstill test program, all  
 230 speeds at or below focus speed are relevant. Wind speeds bin below cut-in result in idling of the turbine and are taken as end point for any sequence. The transition from power production to idling causes a long pitch movement which can be assumed as a protection run. The load cycles can resume during idling due to the gravitational forces of the blade, but the frequency is magnitudes lower than at power production, resulting in a low number of overall load cycles. Long-term idling of several months can occur after assembly of the turbine and before it starts power production. Such load cases can be taken into account  
 235 in a standstill program but require an acceleration to achieve realistic time frames. This study does not take idling times into account.



**Figure 6.** Fraction of standstill time over wind speed bin for an example wind turbine

A sequence recognition algorithm as reported in (Stammler, 2020) gets all continuous sequences of 10-min intervals of the desired speeds and the minimum length defined by  $n_{\min}$ . It discards any shorter sequences contained in longer ones. Table 1, taken from (Stammler, 2020), shows the process of this algorithm. The rows are a set of sequence lengths. The cells in italic are the ones the algorithm keeps in the respective step. For a more detailed explanation, see (Stammler, 2020). 240

For each element of the sequence, a simulation file with the corresponding mean wind speeds is randomly selected. The full simulation file is used, including any non-standstill times, to reflect realistic turbine conditions.

Between standstill sequences, random files with protection runs are added to the test program. These are full simulation files as well. At the beginning of every 24 h period of the test, a turbine start is added. Similarly, a turbine stop ends every 245 24 h period. Transitions prevent signal steps between elements of the test program. They are taken from the simulation data as described in (Stammler, 2020). Equation 13 renders the overall duration of the standstill part of the test program  $T_{\text{TS}}$ .

$$T_{\text{TS}} = \sum_{i=1}^n T_{\text{seq},i} + (n-1) \cdot T_p + \sum_{j=1}^m T_{\text{start,stop},j} + \sum_{k=1}^{4n-3+m} T_{\text{trans},k} \quad (13)$$

$T_{\text{seq},i}$  is the duration of sequence  $i$  and  $T_p$  is the duration of a file with a protection run.  $T_{\text{trans}}$  denotes the transition times, and  $T_{\text{start,stop}}$  the duration of files with turbine starts and stop. As determination of transition times before composition of the test program is laborious and provides only limited benefits, they are unknown at the time of test composition. The algorithm thus iterates until all elements form test time series equal or shorter than 24 h. 250

**Table 1.** Sequence elimination process

Process step			
<b>0</b>	<b>1</b>	<b>2</b>	<b>3</b>
<b>Sequence length</b>	<b>Sequence length</b>	<b>Sequence length</b>	<b>Sequence length</b>
3	3	3	3
2			
1			
4	4	4	4
3	3		
6	6	6	6
5	5	5	
4	4	4	
3	3	3	
2	2	2	
1	1	1	

### 3.5 Pitch cycle program

In (Stammler, 2020), the author suggested a test method that involves taking all wear-critical sequences and protection runs and arranging them in a random or seasonal order to create a comprehensive test program. Both randomized and seasonal test programs have been developed for the IWT7.5-164 reference turbine, which was equipped with a controller setup from a wind turbine manufacturer. The time series data for the blade roots of this turbine is available at (Popko, 2019).

In order to generate a test program using this method, wear-critical sequences must first be identified in the simulation data. These sequences typically involve oscillations of  $\theta$  with similar mean values and amplitudes below  $\theta_p$ . In the controller setup utilized in (Stammler, 2020), significant activity of the IPC was observed under rated speed conditions, combined with a fixed lower pitch angle of  $0^\circ$ , resulting in the emergence of multiple wear-critical sequences.

However, if the turbine activates its IPC close to or above rated speed, the CPC is simultaneously activated, causing the mean values of the oscillations to vary significantly. This, in turn, reduces the wear risk associated with ball bearings to a great extent, based on current knowledge.

As there is no knowledge about wear in real-scale roller-type pitch bearings, the test approach for pitch cycles aims at ruling out this last uncertainty. It identifies the sequences that are most critical, takes the respective simulation files and combines them randomly until 5000 cycles with small amplitudes are reached. The sequences with their sequence lengths  $n_i$  are part of simulation files. These files have multipliers  $\kappa_i$  which determine their repetitions within the turbine lifetime. These multipliers are changed with a common factor  $F$  so  $\sum_1^5 n_i \cdot \kappa_i \cdot F = 5000$ . The final test program is composed of the files with the sequences in random order. The sequence recognition algorithm from (Stammler, 2020) is set to a mean-value tolerance  $\theta_{\text{mean,tol}}$  and lower

270 and upper boundaries of double amplitudes  $\Delta\theta_{\min}$ ,  $\Delta\theta_{\max}$ . Of the resultant sequences, the five most critical ones are selected according to the criteria listed in Table 2. Their order represents the importance.

**Table 2.** Criteria for sequence selection

Property	Remarks
No protection run in file of sequence	Most likely not possible
Variance in $\theta_{\text{mean}}$	Smaller variations are more critical
Length of sequence in cycles	Longer sequences are more critical
Load level at sequence	Higher loads are more critical

This part of the test does not need a sensitivity analysis, because a variation of parameters would only result in more or less initial sequences to be found. As it is always five sequences picked from the pool of initial sequences, a size variation of the pool does not change the final test program. Similar to the standstill part of the program, transitions as per (Stammler, 2020) prevent steps at changes of simulation files. Turbine start and stop time series are used at the beginning and end of each 24 h interval.

### 3.6 Sensitivity analysis

In the preceding sections, certain critical parameters of the test program were highlighted, for which no specific values can be ascertained based on the current state of scientific knowledge. Therefore, it is imperative to conduct a sensitivity analysis to gain an understanding of their influence on the final test program. These parameters are listed in Table 3.

$\theta_p$  and  $n_{\min,s}$  influence the selection of files from the simulation data and define the focus speed.  $n_{\min}$  determines the selection of sequences from the wind speed measurement data.

## 4 Analysis and results

### 4.1 Wind turbine, bearing, and test context

285 The IWT7.5-164 is a nearshore reference wind turbine. In previous works, the author developed a test program for four-point contact pitch bearings of this turbine (Stammler, 2020). Table 4 lists the main properties of the turbine.

In (Stammler, 2020) the pitch controller activates IPC below rated speed, which renders only limited benefits but adds significant wear-critical cycles to the pitch bearing operation. It is reasonable to assume current commercial controllers do not use IPC under rated speed. Requate et al. (2020) compare CPC and IPC version of the IWT7.5-164. For the present work,

**Table 3.** Parameters of sensitivity analysis

Property	Unit	Remarks
$\theta_p$	°	Minimum amplitude of effective protection run, determines selection of files for standstill program. Smaller $\theta_p$ result in more files in the standstill program which might make it less wear-critical, but the files used to interrupt standstill sequences might also contain less effective protection runs.
$n_{\min,s}$	-	Short-term minimum number of load cycles at standstill, determines selection of files for standstill program. Smaller $n_{\min,s}$ lead to longer test durations. $n_{\min,s}$ determines $T_{\min,standstill}$ .
$n_{\min}$	-	Long-term minimum number of load cycles at standstill. Smaller $n_{\min}$ result in longer test durations.

290 the time series of Requate’s comparison are split. Below rated speed, the CPC variant is used, at and above rated speed, the IPC variant. The controllers are built for research purposes and are not tuned on the same detail level as commercial controllers. The data consists of power production load cases with mean wind speeds from 3 m/s to 27 m/s. The simulated time is approximately 165 700 h (18.9 years).

**Table 4.** Main characteristics of the IWT7.5-164, from (Stammler, 2020)

Property	Symbol	Value	Unit
Hub height	$h_{\text{hub}}$	119.3	m
Specific power (per swept area)	$\psi_{\text{rotor}}$	355	W/m <sup>2</sup>
Cut-in wind speed	$V_{\text{in}}$	3	m/s
Rated wind speed	$V_r$	11	m/s
Cut-out wind speed	$V_{\text{out}}$	25	m/s
Minimum rotational speed	$\Omega_{\text{min}}$	5	rpm
Rated rotational speed	$\Omega_r$	10	rpm
Rated tip speed	$V_{\text{tip}_r}$	85.9	m/s

The wind speed measurement data is the same as in (Schwack et al., 2021) and stems from a nearshore met mast with a measurement height of 119 m which conveniently fits the hub height of the IWT7.5-164. The data spans the time of one year. As the IWT is a reference wind turbine, it has never been built in reality. A comparison of measurement and simulation data is thus not possible for this case study.

Table 5 lists those properties of the three-row roller bearing that are relevant for the test program design.

**Table 5.** Characteristics of the pitch bearing

Property	Symbol	Value	Unit
Pitch diameter	$D_{\text{pitch}}$	4719	mm
Rolling body diameter	$d_{\text{rb}}$	50	mm
Rolling body length	$l_{\text{rb}}$	50	mm
Roller count per row	-	255	-
Normal backlash	$j_n$	1	mm
Gear pressure angle	$\alpha_n$	20	°
Starting torque	$M_{\text{t,min}}$	30	kNm
Constant pitch speed in backlash	$c_\theta$	0.3	°/s

With these properties, the additional signals of the simulation data are calculated as described above. Table 6 lists exemplary maximum values, all of which occur at 17 m/s mean wind speed except for  $M_{z,\text{max}}$  which occurs at 3 m/s. It is important to note that these maximum values without safety factors. Upon closer examination, it is apparent that  $M_{z,\text{max}}$  is very close to the starting torque of the bearing. Moreover, in most operating conditions,  $M_z$  takes on negative values.

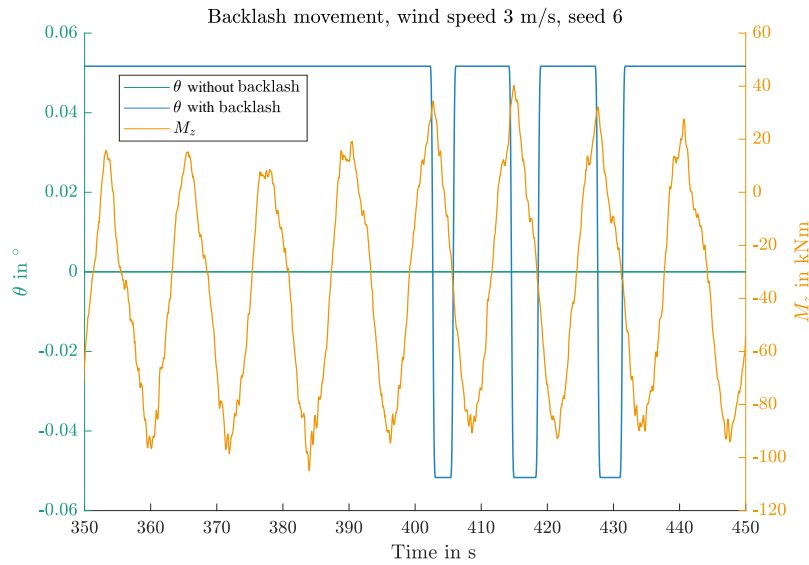
**Table 6.** Exemplary maximum values

Symbol	Value	Unit	Wind speed
$M_z$	40	kNm	3 m/s
$M_{xy}$	25 446	kNm	17 m/s
$Q_0$	88.04	kN	17 m/s
$P$	1.608	GPa	17 m/s
$2b_0$	1.394	mm	17 m/s

This characteristic of  $M_z$  is due to the turbine design and not necessarily the same for other turbines. Figure 7 shows the movement of the pitch bearing within the backlash. This is at a wind speed of 3 m/s. At higher wind speeds the movement does not occur. Movements within the backlash will thus be very limited in the standstill part of the final test program.

The test run is going to be conducted on the BEAT6.1 rig (Stammler, 2020). This rig is capable of applying dynamic loads in six degrees of freedom while providing realistic interface conditions for the bearing. The target time frame for both standstill





**Figure 7.** Pitch movement in gear backlash due to  $M_z$  at 3 m/s mean wind speed

and pitch cycle program are 40 days. The aim of the test is to evaluate the risk of wear in standstill and pitch cycle situations. If it is possible within the time frame, the program should also reproduce the standstill situation of the turbine lifetime.

#### 310 4.2 Ranges for sensitivity analysis

The minimum amplitude for an effective protection run is denoted by  $\theta_p$ . Stammler (2020) reported a protection run of approximately  $4^\circ$  or  $x/2b = 30$  to be partially effective for a 5 m ball bearing, as the majority of contact tracks on the raceway did not show any damage. This protection run was executed every 30 cycles. In a study by Behnke and Schleich (2022), protection runs were performed on a 2.3 m ball bearing with a travel of  $4^\circ$  or  $x/2b = 40$ . They reported no wear if the protection run  
 315 was executed after 10 or 50 cycles, but observed beginning wear if it was executed after 100 cycles. Based on these limited experiences with other bearing types, the range of  $\theta_p$  for the sensitivity analysis is set between  $3^\circ$  and  $9^\circ$  for this study.

$n_{\min,s}$  is assumed at five load cycles at the rated speed of the turbine which is approximately 10 rpm.  $T_{\min,standstill}$  is then 30 s. This bases on the assumption that wear cannot be started or progressed with less than 0.5 load cycles, which appears reasonable but is not backed by test data. However, a value for  $n_{\min,s}$  is necessary to avoid identification over very short time  
 320 intervals, i.e.  $< 1$  s with no pitch movements as standstill. Larger values for  $n_{\min,s}$  make the subsequent filter stricter and allow less operational scenarios to be incorporated in the final test. To understand the influence of this parameter, it is varied between 0.5 and 10.5 cycles in three steps.

$n_{\min}$  is set to 250 cycles, which, at rated rotor speed of 10 rpm, equals 25 minutes. Published data indicate 100 cycles between protection runs to result in no wear on the raceway (Stammler et al., 2019a), and ongoing research shows effective protection for up to 250 cycles. As the wind speed measurements and simulation data are in 10 min intervals, the minimum sequences length is set to 30 min or 300 cycles. The range of the sensitivity analysis is set from 200 to 400.

Table 7 lists the parameters and their ranges for the sensitivity analysis. The individual steps result in 27 possible combinations. The sensitivity analysis for  $\theta_p$  and  $n_{\min,s}$  is done with the simulation data, the sensitivity analysis for  $n_{\min}$  with the wind speed data.

**Table 7.** Ranges for sensitivity analysis

Property	Range	Unit	Steps
$\theta_p$	3 – 9	°	3
$n_{\min}$	200 – 400	-	3
$n_{\min,s}$	0.5 – 10.5	-	3

### 4.3 Standstill program results

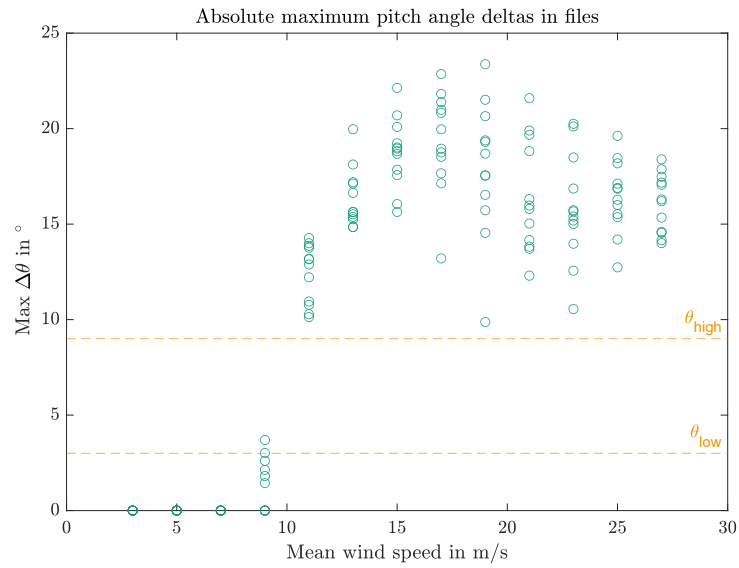
Figure 8 displays the maximum pitch angle deltas for each simulation file, providing insight into the applicability of the sensitivity range for  $\theta_p$ . For wind speeds up to 7 m/s,  $\theta$  remains unchanged. At 9 m/s, the CPC controller has to limit the power output of the turbine at some occasions. At 11 m/s and above every file has maximum pitch angle deltas above the maximum value of the  $\theta_p$  range.

Since the different values for  $\theta_p$  will not influence the focus speed,  $\theta_p$  is set to 6°. With  $\theta_p$  fixed,  $n_{\min,s}$  is varied and the simulation data is filtered for standstill times. Figure 9 illustrates the remaining simulated times and simulation files over wind speed. The left side shows  $n_{\min,s} = 0.5$ , the center  $n_{\min,s} = 5.5$ , and the right side  $n_{\min,s} = 10.5$ . This figure allows to select focus speeds. The differences are negligible and the assumed value of  $n_{\min,s} = 0.5$  is maintained. The resulting focus wind speed is 9 m/s.

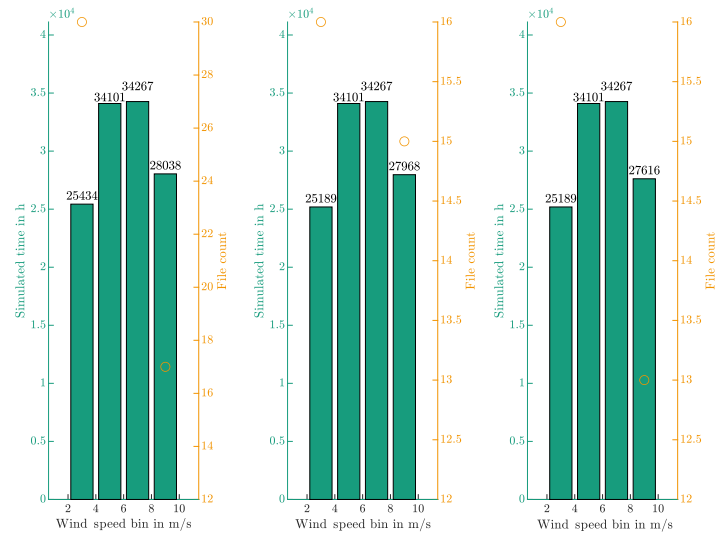
The sequence recognition uses the focus wind speed and the three possible values for  $n_{\min}$  with the wind measurement data. The expected result are three different overall lengths of  $\sum_{i=1}^n T_{\text{seq},i}$ . Figure 10 shows an overview of the measurement data with maximum and mean values of 10 min periods. Minimum speeds are not available in this data set, which covers one year. As expected, the wind speeds are below cut-in and above the focus speed at several instances.

Table 8 lists the resulting  $\sum_{i=1}^n T_{\text{seq},i}$  of all sequences within the thresholds.  $n_{\min}$  has a minor influence on the test duration. As the wind speed data covers one year, the duration would have to be multiplied with 20 to result in an endurance run. Neither 20 nor one year as test input are possible within the target time frame.

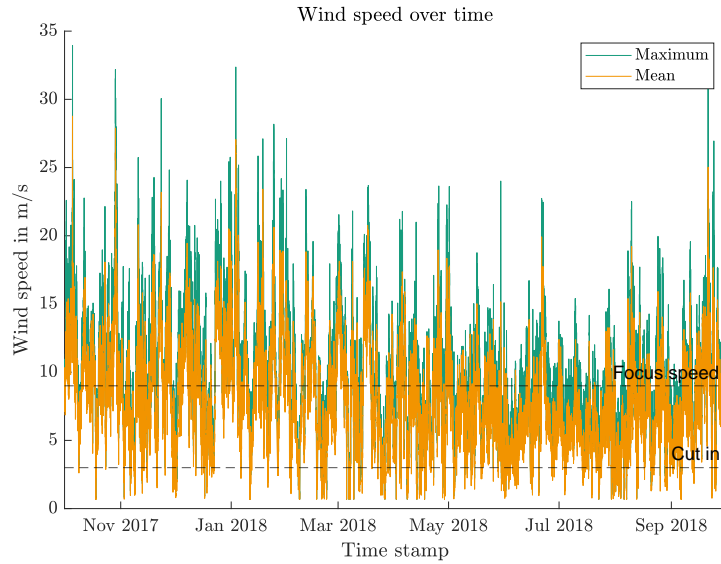
With an endurance run resulting in unrealistically long test times, the target of the test is a risk evaluation. This allows to reduce the input time span, as long as the resultant test has sufficient cycles to result in wear. The wind speed data is split into eight equal parts of which the one with the lowest average speed is selected. Figure 11 shows these 1.5 months of the wind



**Figure 8.** Maximum pitch travel  $\Delta\theta$  over mean wind speed



**Figure 9.** Standstill time and files depending on  $n_{min,s}$



**Figure 10.** Measured wind speed overview

**Table 8.** Resulting lengths of sequences for one year in days

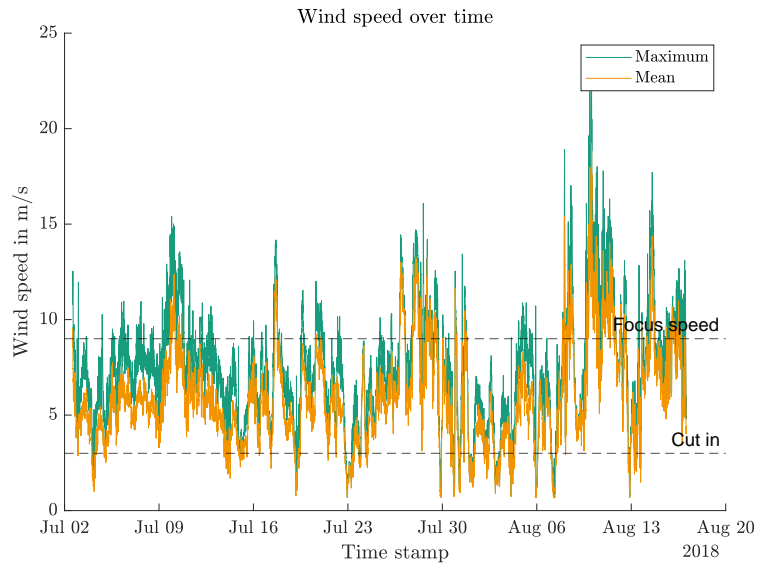
$n_{\min}$	$\sum_{i=1}^n T_{\text{seq},i}$ in days
200	146.4
300	141.8
400	137.6

350 speed and Table 9 lists the overall duration of sequences. All of these fit into the desired time frame. Hence,  $n_{\min}$  is set to the lowest value of 200 to integrate as many operational scenarios as possible into the test.

**Table 9.** Resulting lengths of sequences for one year in days

$n_{\min}$	$\sum_{i=1}^n T_{\text{seq},i}$ in days
200	28.8
300	28.1
400	27.6

The algorithm described in (Stammler, 2020) generates test time series for the standstill program, resulting in a final duration of 30.7 days. In the test, the maximum values of the simulation data listed in Table 6 remain the same, as the high number of



**Figure 11.** Measured wind speed overview, 1.5 months

standstill sequences, coupled with a random selection of protection runs, caused all files from the input data set to be part of  
 355 the test run. It is worth noting that this is a result of the case study and may not necessarily be applicable to other turbines.

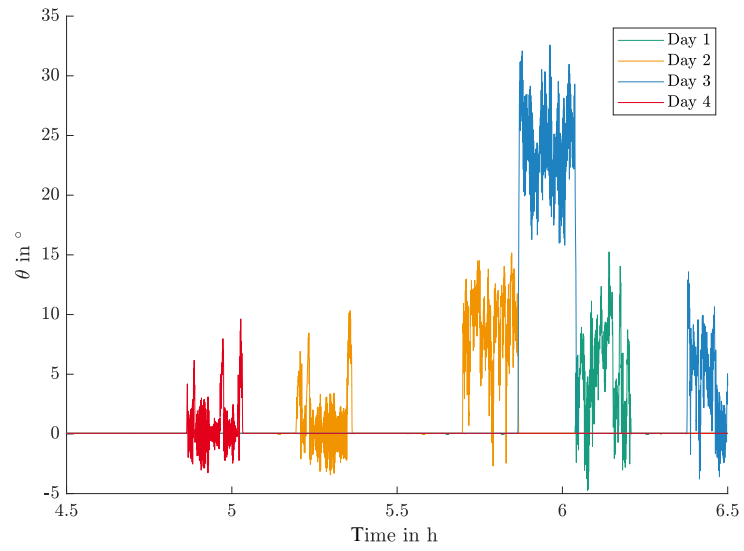
Exemplary pitch angle  $\theta$  curves of different test days for a selected duration of 2 hours are shown in Figure 12. The graph clearly displays the difference between standstill times and protection runs.

Figure 13 displays one exemplary transition from a protection run load case to a standstill period. It contains the contact pressure  $P$  at different positions and the pitch angle  $\theta$ . The peak contact pressures at  $90^\circ$ , in blue, are almost constant, whereas  
 360 the mean pressure value at  $0^\circ$ , in green, drops once the load case of the protection run ends at approximately 392.6 min. The protection run load case stems from a file with higher wind speed and thus higher thrust load  $M_y$ .

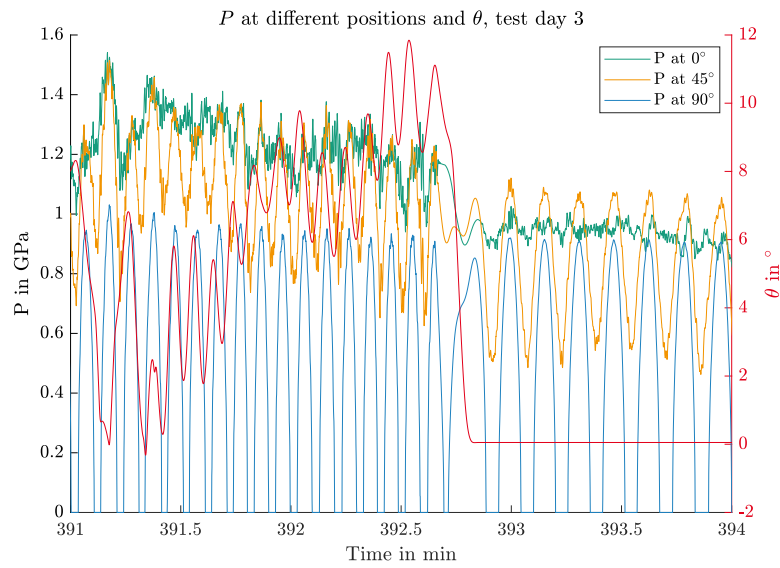
These two exemplary figures show that the final test program combines standstill periods and protection runs. A cycle count of  $P$  at  $90^\circ$  returns 275219 cycles with an average frequency of 0.18 Hz.

#### 4.4 Pitch cycle program results

365 The algorithm described in (Stammler, 2020) identifies sequences in the pitch movements using the criteria listed in Section 3. Table 10 shows the values for this analysis. To avoid counting dithering moves,  $\Delta\theta_{\min}$  is set to 0.05. Similarly, to avoid incorporating partially effective protection runs into the sequences,  $\Delta\theta_{\max}$  is set to 3.  $\theta_{\text{mean,tol}}$  is set to  $1^\circ$ , which ensures the cycles affect the same area of the raceway. Since the final sequences are selected from all those found using these criteria, there is no need for a sensitivity analysis for this part.



**Figure 12.** Exemplary  $\theta$  of the test time series

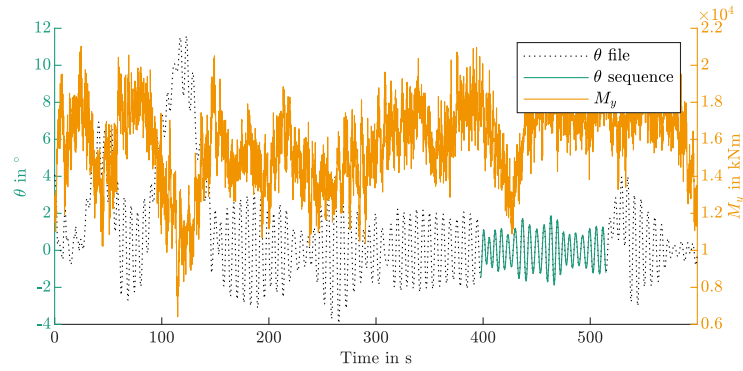


**Figure 13.** Exemplary P and  $\theta$  of the test time series

**Table 10.** Conditions for pitch sequence analysis

Property	Value	Unit
$\theta_{\text{mean,tol}}$	1	$^{\circ}$
$\Delta\theta_{\text{min}}$	0.05	$^{\circ}$
$\Delta\theta_{\text{max}}$	3	$^{\circ}$

370 The analysis returns two sequences. As the five most critical should have been selected, it is not necessary to apply the criteria from Table 2 and the two sequences are maintained for the test. Figures 14 and 15 show  $\theta$  of these sequences in green. The dotted black lines are  $\theta$  of the entire file. It can be seen that in both cases assumed protection runs, i.e. pitch movements spanning more than  $6^{\circ}$ , are in proximity of the sequence. The orange lines show the blade root bending moment. Both sequences occur at 11 m/s mean wind speed.

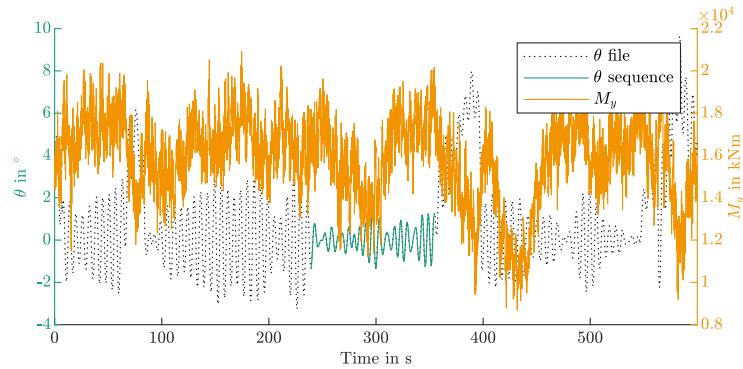


**Figure 14.** Sequence 1 for pitch cycle program, mean wind speed 11 m/s

375 Table 11 lists the properties of the two sequences. Their few cycles and the proximity to assumed protection runs results in a possibly low wear risk. However, this evaluation is based on experiences with ball bearings, hence it is reasonable to conduct a practical evaluation for roller bearings.

**Table 11.** Properties of sequences for pitch cycle program

Sequence	Cycles	Mean travel in $^{\circ}$	Mean frequency in Hz
1	15.5	2.19	0.33
2	17	1.55	0.33



**Figure 15.** Sequence 2 for pitch cycle program, mean wind speed 11 m/s

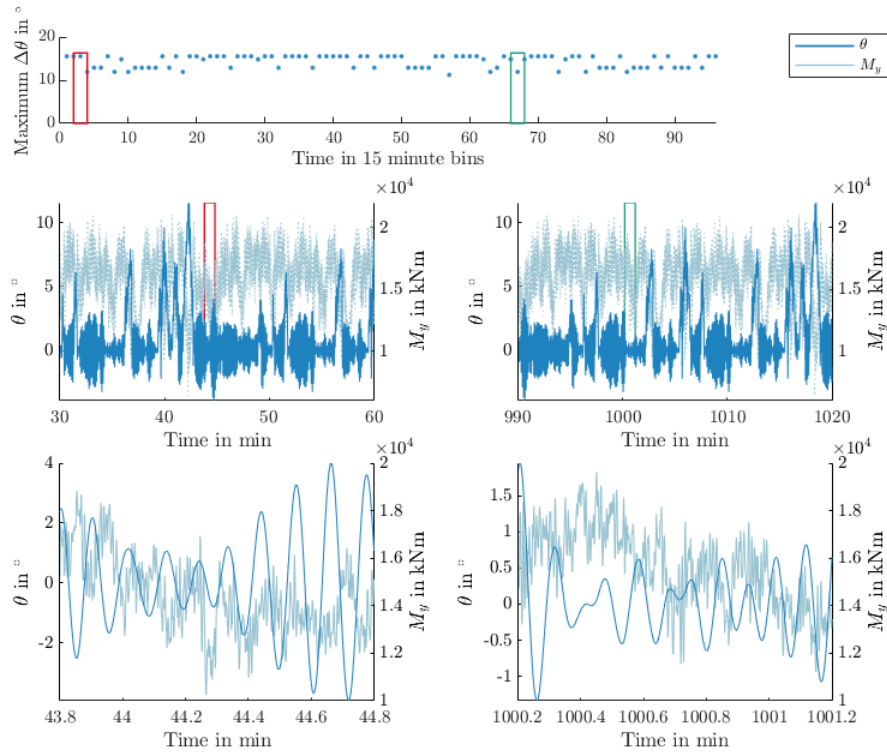
Similar to the standstill program, the algorithm from (Stammler, 2020) then builds test time series. Each sequence is repeated 154 times which results in 5005 critical cycles in the test program. The final duration of the pitch cycle program are 2.1 days. The contact pressure  $P$  at  $0^\circ$  is in the range from 1 GPa to 1.5 GPa for the entire test. Figure 16 displays  $\theta$  and  $M_y$  of the second test day at different zoom levels. The top graph shows the maximum pitch travel  $\Delta\theta$  each 15 minutes. The red and green rectangle indicate the time window of the mid resolution plots in the center of the Figure. In each of these, the rectangles again indicate the time window of the lowermost plots which show one minute each.

Ratios of  $x/2b$  are used in several publications to describe amplitudes of oscillations. In case of time series with dynamic loads, these ratios have to be calculated per each time step. Figure 17 shows an exemplary results for 30 min of the pitch cycle test run. The values are the cumulated sums of step-wise calculations of  $\Delta x/2b$  for the  $0^\circ$  and the  $90^\circ$  position, calculated with equations 4 and 10. The grey dotted line shows cumulated  $\Delta x$ .  $\Delta x$  obtains negative values when  $\Delta\theta$  is negative. The increase of the values at  $90^\circ$  is to be noted and caused by continuously different load situations on the upward and downward slopes of the pitch movement. This changes the values of  $2b$  and with it the values of  $\Delta x/2b$ . The values at  $0^\circ$  increase as well, but at a significantly lower rate. In tests with steady load situations, such increases do not occur. The values of  $x/2b$  for individual cycles during the critical sequences are at approximately 20, which is below the threshold of protection runs mentioned above.

## 5 Discussion, conclusions, and outlook

This study presents a new approach for creating a wear test program specifically designed for roller-type blade bearings. The program covers two distinct operational scenarios: the standstill of the bearing under rated speed and the active pitch cycles caused by the IPC. This study builds on previous works by including the operation under bearing standstill, which was not covered in previous wear test programs for pitch bearings. To achieve this, a combination of aero-elastic simulation data and wind speed measurement data is used to capture short-term and long-term operational characteristics of the bearing.

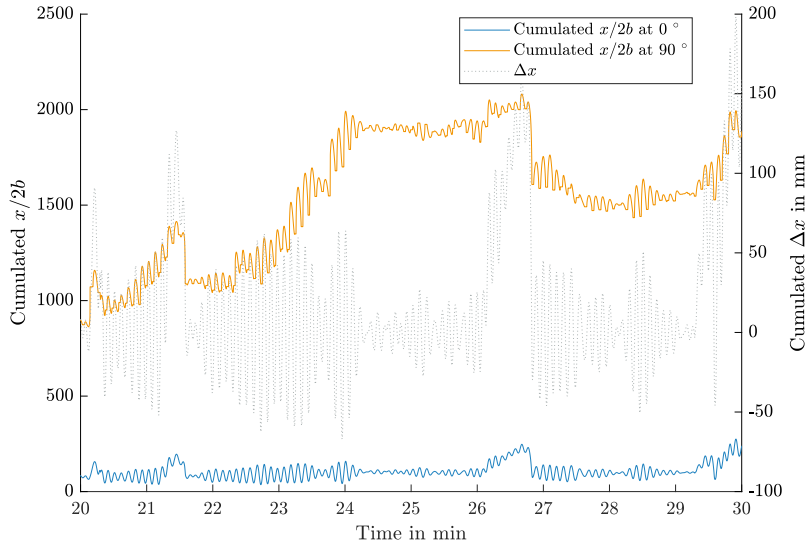




**Figure 16.**  $\theta$  and  $M_y$  at different zoom levels

In pitch bearings with geared drives, torsional moments at the blade root can cause movement within the gear backlash. This phenomenon is commonly not accounted for in aero-elastic simulations. To address this issue, this study proposes a method to include such movements in the time series. It further suggests to double the amplitude of these movements and use the output as setpoints for the pitch drive. This approach can force the bearing into a movement that equals the one caused by blade root moments  $M_z$  and overcomes the pitch drive's own backlash. By including these movements in the test program, the wear behavior of the pitch bearings under realistic operating conditions can be assessed more accurately.

To take account of the lack of operational experiences with roller-type blade bearings, the process includes sensitivity analysis of three key parameters: the travel of an effective protection run  $\theta_p$ , the short-term minimum load cycles that contribute to wear progression  $n_{\min,s}$ , and the long-term minimum cycles before interruption by a protection run  $n_{\min}$ . The proposed method is demonstrated on the IWT7.5-164 reference turbine, using a mix of simulation results from CPC and IPC variants to mimic current commercial controller strategies. Results show that within the range of 3–9° and 5–10 cycles for  $\theta_p$  and  $n_{\min,s}$ , respectively, these parameters have no significant influence on the wear test program. The parameter  $n_{\min}$  has a limited influence on the test duration. However, it should be noted that these results are specific to the chosen turbine and may not necessarily apply to other turbines.



**Figure 17.** Cumulated  $x/2b$  and cumulated  $\Delta x$

The standstill part of the program follows the initial idea of combining standstill periods and protection runs to interrupt them. It has a duration of approximately 30 days. During this period, the contact pressures are maintained at 0.9–1.5 GPa for most of the test time at  $0^\circ$ , while ranging from 0 GPa to approximately 1 GPa at  $90^\circ$ . Although these pressures exceed those  
 415 used in Pittroff’s experiments (Pittroff, 1961), it is worth noting that Pittroff’s experiments were performed with less advanced lubricants, and it can be questioned whether the load levels at the  $90^\circ$  position are sufficient to cause noticeable wear damages. As Lin et al. (2022) have pointed out, ZDDP additives, commonly used in modern commercial lubricants, play a crucial role in preventing wear under standstill conditions. The load cycle count in this study is 275000, which is comparable to that used  
 in Pittroff’s and Lin’s (Lin et al., 2022) experiments involving standstill and load oscillations.

420 The pitch cycle part of the program follows the procedure described in (Stammler, 2020) with some modifications. In the present study, the selection of sequences is done manually, and the number of cycles is limited to 5000, making it a risk assessment rather than an endurance test. Based on experience from ball bearings, the probability of wear is expected to be very low, as the program includes over 300 protection runs. Additionally, an analysis of  $x/2b$  ratios at different circumferential positions indicates potential for different slip regimes, which could cause the rolling body set to move overall and further  
 425 reduce the probability of wear.

The two program parts have a combined duration of approximately 32 days. The maximum loads and load dynamics can be realized with the planned test equipment.

Future work for this study includes several items. First, the roller bearings described in this study will undergo the entire test program, consisting of both the standstill and pitch cycle tests, on the BEAT6.1 rig. The bearing will be equipped with inductive sensors to monitor the position of the rolling body set throughout the test. Secondly, turbine starts and stops will be included into the test time series, as they were not part of the input data used in this study. Thirdly, the overall load level is low and there is the possibility of upscaling the loads as both the bearing and test equipment can sustain higher loads. Increasing the load level may yield more informative results. Finally, the process of the test program creation will be applied to other turbines in the future.

*Data availability.* The time series data of the aero-elastic simulations are available from the author upon request. The time series of the final test program are publicly available at Fraunhofer Fordatis repository <http://dx.doi.org/10.24406/fordatis/253>

*Author contributions.* Matthias Stammler: Everything

*Competing interests.* Matthias Stammler declares there are no competing interests.

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