

Determining the ideal length of wind speed series for wind speed distribution and resource assessment

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Abstract. Accurate wind resource assessment depends on wind speed data that capture local wind conditions, which are crucial for energy yield estimates and site selection. While ~~t~~The International Electrotechnical Commission (IEC) recommends at least one year of data collection, yet ~~this duration may~~ be insufficient to ~~not~~ fully account for interannual variability. While ~~Although~~ studies often maximize data length, limited guidance exists on the minimum duration required to ~~for~~ reliably estimate wind wind statistics and energy potentials ~~speed and power estimates remains limited~~. To address this gap, we propose a method to quantify the errors in wind speed distribution parameters introduced by using wind speed ~~time~~ series of different ~~varying~~ lengths for wind speed distributions fitting, relative to ~~compared to~~ long-term reference data. This allows ~~enables~~ us to determine the minimum number of hourly observations needed to achieve ~~for~~ a given accuracy level. We apply our ~~this~~ method to both in-situ weather station observations and ERA5 reanalysis data at 10-meter and 100-meter heights. Our results show that basic ~~key~~ parameters, including ~~such as~~ mean, standard deviation, and Weibull parameters, can stabilize with relatively short records (~ 1 month of hourly data), whereas ~~while~~ higher-order moments such as skewness and kurtosis require substantially longer records at least (≥ 1.6 years, and kurtosis requires 88.6 years, respectively) to stabilize. Although ERA5 data stabilizes with fewer observations ~~faster, it exhibits systematic biases compared to~~ but differ from in-situ measurements, requiring careful use. Moreover, random sampling (combining available hourly data) can yield comparable ~~for~~ distribution parameters to ~~fitting produces parameters comparable to those obtained when controlling for~~ diurnally and seasonally effects ~~controlled sampling, while continuous sampling demands far longer records for the same accuracy. suggesting discontinuous data can be viable under certain conditions~~. These findings provide ~~offer~~ a practical framework for optimizing data collection in wind resource assessments, balancing accuracy, temporal coverage, and cost-effectiveness ~~resource constraints~~.

1 Introduction

Wind energy production critically depends on strengths and persistence of winds in the lower earth's atmosphere. Precise and cost-effective assessment of wind speed is crucial for evaluating wind energy potential and designing wind farms and power generators, because accurate assessments ensure that the selected site has adequate wind conditions, making the investment economically viable and optimizing energy production efficiency (Wang et al., 2022).

Quantifying wind speed characteristics, a crucial component of wind speed assessment, typically relies on analysing wind speed distribution from collected data. Ideally, long-term meteorological measurements at the proposed wind turbine locations are preferred, as they account for a broader range of wind variability. [Wind speed measurements spanning four years are typically considered suitable for short-term analysis, while datasets extending beyond this period fall into the category of long-term analysis. A ten-year dataset is generally recommended for the most accurate wind resource assessment, if available \(Murthy and Rahi, 2017\).](#) However, ~~despite the high demand for such data,~~ collecting [such](#) long-term ~~measurements datasets~~ is often impractical due to the ~~extensive time required and significant associated cost~~ [financial constraints involved, particularly in the early planning stages of before the wind farm developments being constructed](#) (Wais, 2016).

As a more practical alternative, wind energy potential is often assessed using wind speed data spanning a single year or [several a few](#) years (Ouarda et al., 2015). A review of 46 studies revealed that 31 of them (67.4%) used wind speed time series of six years or less. However, such datasets lack year-to-year (interannual) variability, which can significantly affect wind speed and, consequently, wind power output (Jung and Schindler, 2018). For example, decadal changes in wind speed can result in a $17 \pm 2\%$ variation in potential wind energy (Zeng et al., 2019). Since wind farms typically operate for 20 to 30 years (Pryor et al., 2020), relying on such short-term datasets without accounting for interannual variability can introduce significant biases in wind energy assessments. Additionally, short-term datasets may lack seasonal or diurnal characteristics due to sampling frequency or other factors that lead to data gaps. For instance, the Sentinel-1 Ocean wind product, aligning well with in-situ observations and reanalysis products (Khachatrian et al., 2024), revisits the same location only once every one or two days, making it unable to capture the diurnal characteristics of wind speed.

This discussion highlights a critical research gap: the optimal duration of wind observation time series required to adequately account for wind variability in resource assessments remains poorly quantified. Specifically, is one year of data, as recommended by IEC (International Electrotechnical Commission, 2019), sufficient to provide accurate assessments of wind distributions given the interannual variability of wind? Furthermore, considering the challenges in obtaining long-term observations, if we must rely on short-term datasets that may lack interannual, seasonal, or diurnal variability, how do errors vary with the length of data time series?

This research gap has been highlighted in previous studies. For instance, Barthelmie and Pryor, (2003) and Pryor et al., (2004) evaluated the accuracy of satellite sampling in representing offshore wind speed distributions. They quantified the numbers of satellite observations required to estimate key probability distribution parameters with an uncertainty of $\pm 10\%$. Specifically, mean and Weibull scale parameter required about 60-70 random selected half-hourly observations, respectively. In contrast, the variance requires 150 observations, and the Weibull shape parameter and energy density require nearly 2000 observations, while skewness and kurtosis required 9712 and more than 10000 observations. However, these results are specific to satellite

observations and may not directly apply to in-situ measurements without further analysis. In-situ measurements, such as meteorological weather stations, are more widely distributed, accessible, and frequently used in wind energy studies (Ouarda et al., 2015; Wang et al., 2016). To the authors' knowledge, relatively few studies have examined in-situ observations, particularly those from weather stations certified by the World Meteorological Organization (WMO). ~~These stations are more widely distributed, accessible, and frequently used in wind energy studies (Ouarda et al., 2015; Wang et al., 2016).~~

Our study aims to evaluate the potential biases and uncertainties that may arise when short-term wind speed data from WMO weather stations are used for wind energy assessments. Previous work by Barthelmie and Pryor (2003) proposed using a random sampling approach to examine how sampling protocols affects the estimation of wind speed distribution parameters method to create wind speed datasets under varying sampling density. However, ~~this approach random sampling may overlook the significant diurnal cycle and seasonal cycle effects that are intrinsic to commonly observed in terrestrial wind speeds from in-situ weather terrestrial wind observations and critical for reliable stations.~~ As a result, it may introduce biases in wind energy assessments analysis. Therefore, we also investigate whether random sampling can replace sampling that retains these temporal effects, and under what specific conditions this substitution would still yield reliable results. To address this limitation, we first compare random sampling with sampling strategies that explicitly retain diurnal and seasonal cycles. This comparison allows us to isolate and quantify the influence of temporal structures on wind speed statistics. In addition, we evaluate the practical relevance of random sampling by contrasting it with continuous sampling, that preserves the chronological sequence of wind speed data and more closely reflects real-world wind resource assessment practices. Continuous datasets, such as those from anemometer towers, are commonly used in the wind energy industry, typically covering at least one year of measurements to characterize site-specific wind conditions prior to turbine installation (Yang et al., 2024; Liu et al., 2023). By integrating these multiple sampling strategies, our study provides a comprehensive assessment of how sampling choices affect the robustness of wind energy evaluations based on limited-duration datasets.

We ~~are also interested in further investigating whether how~~ results derived from reanalysis products differ from those obtained using WMO weather station data under various sampling strategies can replicate the results from meteorological observations. Reanalysis products ~~become~~ have emerged as a primary alternative for wind resource assessment, especially given the spatial and temporal limitations of traditional ~~meteorological data in situ observations~~ (Gil et al., 2021; Gualtieri, 2021). Reanalysis products ~~These datasets provide spatially continuous and temporally offer~~ consistent, ~~comprehensive coverage of~~ wind speed data ~~because they are generated by~~ by assimilating integrating numerical weather prediction models with observational data from ~~various multiple~~ sources, including satellite instruments, surface synoptic observations, ships, and drifting buoys, into numerical weather prediction models (Hersbach et al., 2022). ~~By focusing on ERA5, stands out as the most current and widely used and up-to-date~~ tilized reanalysis product, ~~we can evaluate its potential to replace in situ observations in the statistical distribution fitting process for wind speed analysis. We used ERA5 in our study is chosen not only for because~~ its strong agreement with ~~observational observed wind~~ data ~~at~~ on turbine ~~relevant~~ heights, especially across ~~particularly in~~ Europe and

North America, ~~in terms of mean values and interannual variability~~ (Ramon et al., 2019), ~~but also because it~~ ERA5 provides wind speed data at both 10-meter and 100-meter heights, ~~which is crucial for wind turbine analysis. This allows for enabling~~ direct analysis at typical ~~wind turbine~~ hub heights, ~~and thus avoiding/eliminating~~ the need for extrapolation methods, ~~such as that are often required with other datasets. In contrast, other studies have commonly employed~~ wind profile log or power-law ~~extrapolations methods,~~ to estimate wind speeds at hub height (e.g., Soares et al., 2020; Jung and Schindler, 2019).

The main objectives of our study are as follows:

1. ~~To evaluate how the wind speed statistics (e.g., distribution parameters) derived from short-term WMO station data different those obtained from longer-term records~~ Investigate whether short-term wind speed data from WMO weather stations realistically represent the wind speed statistics.
2. ~~To d~~ Determine the optimal ~~length of wind data~~ time series length required for ~~fitting~~ accurate estimation of wind speed distribution parameters, with quantified uncertainty ~~fitting by identifying the error margins across different time series lengths.~~
3. ~~To e~~ Explore whether ERA5 reanalysis products, at both 10-meter and 100-meter heights, yield consistent results ~~with ground-based like those from~~ observations.

Through these objectives, we aim to enhance the understanding of the limitations and capabilities of short-term meteorological data in wind speed assessment, contributing to more reliable wind energy evaluations.

2 Data and Methods

2.1 ~~Sampling m~~Methods ~~to identify optimal wind speed series length for accurate distribution~~

2.1.1 Random sampling

To ~~determine~~find the optimal length of wind speed series for accurately representing wind speed distribution parameters, we ~~adopted~~used the random sampling method ~~proposed by~~ ~~from~~ (Barthelmie and Pryor, 2003). In our study, this approach involves comparing the distribution parameters derived from– the full 16-year hourly wind speed series (referred to as the study datasets) with those obtained from randomly sampled subsets of varying lengths. Specifically, we constructed sample ~~We created~~ datasets ranging from 720 hours (30 days) to 52,560 hours (6 years), with increments of ~~in~~ 240-hours (10-days) increments, ~~comparing them to a full 16-year series. For each sample size, This was repeated~~ 1,000 synthetic datasets were generated by randomly selecting hourly observations with replacement from the full series using NumPy’s ‘random’ package. times per sample size to capture variability.

For each generated dataset, we calculate ~~These datasets were used to fit Weibull distributions, calculating seven parameters:~~
four common ~~six~~ statistical descriptors (mean, standard deviation, skewness, kurtosis) ~~distribution parameters, two Weibull~~
parameters (shape and scale), and the Weibull wind power density. ~~To evaluate the representativeness of these sampled subsets,~~
we computed the ~~We compared these to the full series to assess differences and determine the minimum sample size needed~~
~~for accurate parameter estimation within acceptable error margins. To find the effective sample size, we used percent error~~
~~between each parameter estimated from the sample and the corresponding parameter from~~ ~~to measure differences between~~
~~sample sizes and the full 16-year series. Specifically, we focused on the upper and lower bounds of the 90% confidence interval~~
~~for each parameter across 1000 realizations at each sample size. The percent errors (Y) in these bounds were then modelled as~~
~~a function of sample size (n) using non-linear . Since we increased sample size in 240-hour increments, we needed a precise~~
~~threshold. Using least squares fitting, resulting in equations that describe how sampling uncertainty decreases with increasing~~
~~sample length ($Y = \pm \exp[a \ln(n) + b]$). These fitted curves enable estimation of the minimum dataset length needed to~~
achieve predefined error margins. ~~we fitted an exponential function to the percent errors, creating equations that relate percent~~
~~error (within a 90% confidence interval) to sample size. These equations help determine the sample size needed to achieve any~~
~~specified error margin.~~

We ~~selected started with a minimum sample size of 720 hours as the starting point based on its frequent use in previous, a~~
~~common duration in~~ wind studies (e.g., Jung and Schindler, 2019; Ouarda and Charron, 2018), ~~while the upper limit . The~~
~~maximum~~ of 52,560 hours ~~(was chosen to see if a six-year~~ ~~s) was based on prior findings (Barthelmie and Pryor, 2004) showing~~
~~sample affects distribution stability, usually analysed over one to two years. Six years was selected based on preliminary~~
~~findings that percent errors generally margins stabilize below $\pm 10\%$ before this duration (Barthelmie and Pryor, 2004). To~~
~~find the effective sample size, we used percent error to measure differences between sample sizes and the full series.~~
~~Since we increased sample size in 240-hour increments, we needed a precise threshold. Using least squares, we fitted~~
~~an exponential function to the percent errors, creating equations that relate percent error (within a 90% confidence~~
~~interval) to sample size. These equations help determine the sample size needed to achieve any specified error margin.~~

2.1.2 Diurnal- and seasonality-retained sampling

We implemented two structured sampling methods to retain key temporal patterns in the wind speed data: diurnal-retained
sampling and seasonality-retained sampling. In the diurnal-retained approach, each synthetic dataset consists of observations
evenly distributed across four 6-hour time intervals (00:00–05:00, 06:00–11:00, 12:00–17:00, and 18:00–23:00), to preserve
daily variability. For example, when the sample size is 720, we select 180 observations from each time interval. In the
seasonality-retained sampling, each dataset includes an equal number of observations from all 12 months, thereby maintaining
seasonal structure. For a sample size of 720, this results in 60 observations per month. For both methods, sampling was
performed with replacement, meaning the same observation could be selected in multiple realizations.

2.1.3 Continuous sampling

The continuous sampling method is designed to simulate real-world scenarios in which wind speed data are used in their natural temporal sequence. Unlike the random and stratified (diurnal- or seasonality-retained) sampling approaches, this method preserves the chronological order of observations by extracting time-contiguous subsets directly from the full series. Prior to sampling, linear interpolation was applied to fill any missing values. In this study, we investigated sample sizes ranging from 720 hours (approximately one month) to 103,680 hours (12 years), increasing in one-month (720-hour) increments. As this method requires each extracted subset to be continuous, the source dataset must be longer than or equal to the target sample size. For example, given a 46-year hourly wind speed dataset, we can extract all possible one-year-long continuous sequences (i.e., using a moving window of one year), resulting in 395,089 potential samples of 8,640 hourly observations each. Due to computational constraints, we randomly selected 1,000 sequences for each sample size, in line with the approach used for the other sampling methods. The same parameter estimation procedure was then applied to these sequences to assess variability and estimate confidence intervals.

2.2 Probability density distributions

In this study, we exclusively employed the two-parameter Weibull probability density function to fit wind speed data. The function is expressed as Eq. (1):

$$p(v) = \left(\frac{k}{c}\right) \left(\frac{v}{c}\right)^{k-1} e^{-\left(\frac{v}{c}\right)^k}, \quad (1)$$

where v represents the wind speed, k is the shape parameter, and c is the scale parameter. The Weibull distribution is characterized by two key parameters: the dimensionless shape parameter, which determines the curve's shape, and the scale parameter, which adjusts the distribution along the wind speed axis. The distributions vary with different values of k and c , making it a popular choice for approximating observed wind speed frequencies (Wais, 2017; Ouarda and Charron, 2018; Carta et al., 2009).

To estimate the Weibull parameters, we used the 'weibull_min.fit' function from Python's 'scipy.stats', employing the maximum likelihood estimation (MLE) method. MLE is preferred for its superior performances in parameter selection (Mohammadi et al., 2016). This 'weibull_min.fit' function is particularly useful for iterative experiments requiring repeated Weibull distribution fitting, such as those with thousands of iterations.

We focused on the first four moments of the distributions: mean, standard deviation, skewness, kurtosis, and the Weibull shape and scale parameters, chosen for their importance in wind resource assessment. The standard deviation indicates wind speed variability, while skewness and kurtosis provide insights into asymmetry and extreme values in the distribution. We calculated the mean and standard deviation using Python's 'numpy' package, and the other parameters with 'scipy.stats'.

2.3 Wind resource assessment method

We used the Weibull wind power density to represent wind resources at a specific location. The Weibull wind power density is calculated using the estimated Weibull k and c parameters, and is given by the Eq. (2):

$$E = \frac{1}{2} \rho c^3 \Gamma \left(1 + \frac{3}{k} \right), \quad (2)$$

where E represents the wind power density (W m^{-2}), ρ is air density (with 1.225 kg m^{-3} , the standard air density provided by IEC, used for calculation), and Γ is the gamma function.

We chose the Weibull wind power density in our study for two main reasons. First, wind power density measures the amount of kinetic energy in airflow passing through a unit area, which can be converted into wind energy. It is a critical metric for evaluating wind resources and has been widely adopted in previous studies (e.g., Wang et al., 2022; Mohammadi et al., 2016). Second, the Weibull wind power density can be easily derived from the scale and shape parameters of the Weibull distribution, simplifying the calculation process.

Given that our objective is to determine which dataset—specifically, which time series length—most accurately represents long-term wind conditions, the use of Weibull wind power density enables us to compare how the shape and scale parameters vary with datasets of different lengths. This approach helps us more effectively identify the time series that best captures long-term wind resource variability.

2.4 Data sources

2.4.1 In-situ observations from weather stations

In this study, we [first](#) utilized weather station observations from the Norwegian Meteorological Institute (MET Norway). This data, accessed via their API (<https://frost.met.no/observations/v0.jsonld?>; last accessed 8 February 2025), offers hourly wind speed resolution over long periods, suitable for analysing interannual variability, as wind assessments typically need at least hourly resolution (Jung and Schindler, 2019).

We aimed to compare wind distribution parameters from short-term data with long-term series that include interannual variability. We prioritized weather stations with the longest hourly data series, retaining years with at least 8,600 hourly observations (97.9% of the possible 8,760 or 8,784 hours annually).

We identified five stations with over 16 years of hourly data: SN50500 (18 years), SN44080 (16 years), SN42160 (20 years), SN38140 (24 years), and SN35860 (17 years). Details are in Table 1, and their locations in southern Norway are shown in Fig. 1. We standardized the data to 16 years per station, omitting years with fewer observations for consistency.

225 Using the same years across all stations was not feasible due to data availability differences, so the years analysed varied.
Table S1 details the selected years and [percentage of](#) hourly observations. The year with the fewest observations had 8,636
648 hours (98.3245% coverage), and the average yearly count was 8,744 hours (99.54% coverage).

230 [Additionally, to complement the main analysis conducted on above five Norwegian stations, we used two additional stations
located in Copenhagen Airport \(Denmark\) and Leuchars \(Scotland, UK\) from another dataset, HadISD, version
v3.4.2.202501p \(<https://www.metoffice.gov.uk/hadobs/hadisd/>; last accessed 14 June 2025; Dunn et al. 2016\). Both sites
provide 46 years \(1979-2024\) of hourly wind speed observations with an average data coverage of 99.2% annually \(minimum
yearly data coverage is 95.7% due to untimely updated data for 2024\). The data coverage of each year is shown in Fig. S1.](#)

235 **Table 1: Details of weather stations used in this study.**

Station ID	Location	Data source	WMO number	Latitude	Latitude of ERA5 grid	Longitude	Longitude of ERA5 grid	Height above mean sea level	Elevation of ERA5 grid
SN50500	Flesland	MET Norway	1311	60.2892° N	60.25°	5.2265° E	5.25°	48 m	0.3 m
SN44080	Obrestad Fyr		1412	58.6592° N	58.75°	5.5553° E	5.50°	24 m	5.6 m
SN42160	Lista Fyr		1427	58.1090° N	58.00°	6.5675° E	6.50°	14 m	127.1 m
SN38140	Landvik		1464	58.3400° N	58.25°	8.5225° E	8.50°	6 m	55.4 m
SN35860	Lyngør Fyr		1467	58.6362° N	58.75°	9.1478° E	9.25°	4 m	43.9 m
061800-99999	Kastrup	HadISD	/	55.618° N	/	12.656° E	/	5.2 m	/
031710-99999	Leuchars		/	56.373° N	/	-2.868° E	/	11.6 m	/

Note: As the last two stations (Kastrup and Leuchars) were added specifically for the sensitivity analysis discussed in Section 4.1, they were excluded from the comparison with ERA5.

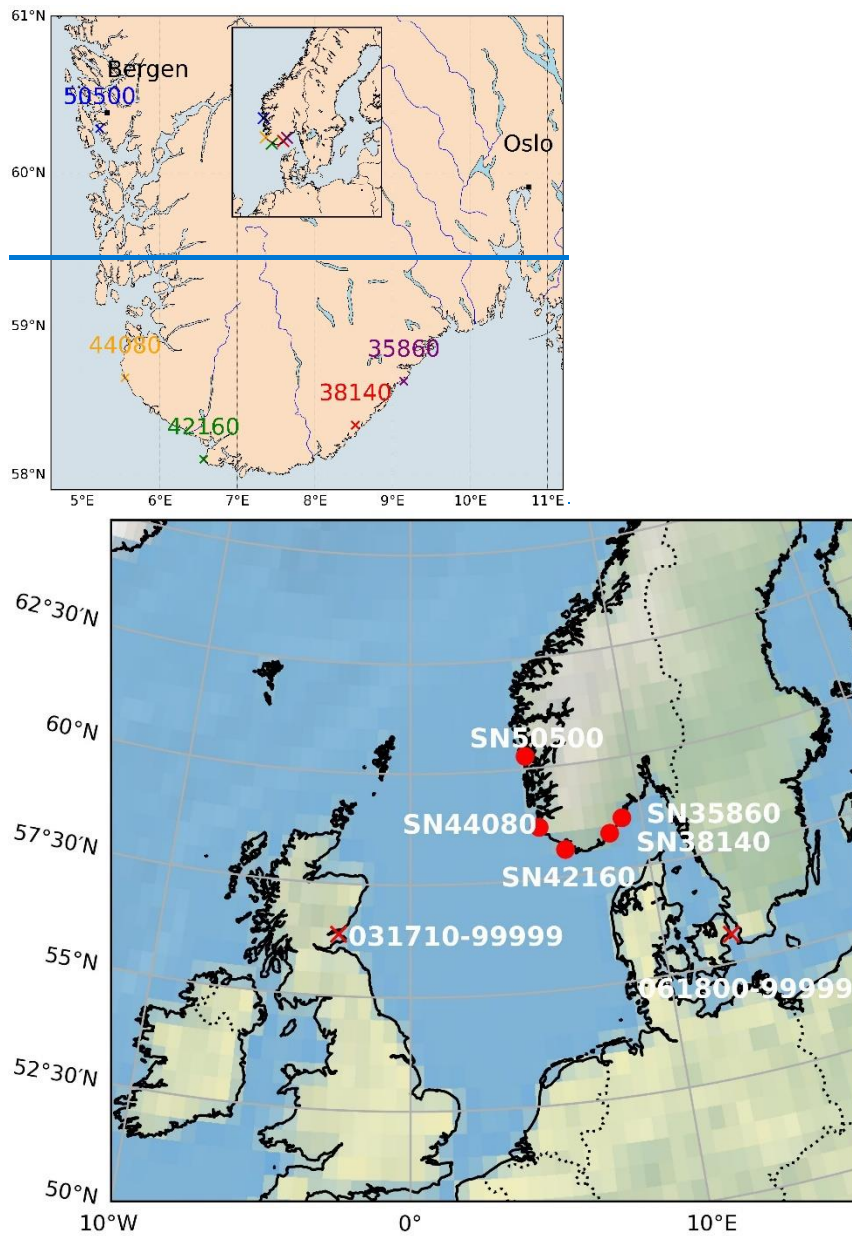


Figure 1: Location-Distribution of the five weather stations used in this study.

2.4.2 ERA5 reanalysis

For the ERA5 reanalysis products, we downloaded the “10m u-component of wind,” “10m v-component of wind,” “100m u-component of wind,” and “100m v-component of wind” variables from the Copernicus Climate Data Store (<https://cds.climate.copernicus.eu/datasets/reanalysis-era5-single-levels?tab=download>; last accessed 8 February 2025). We

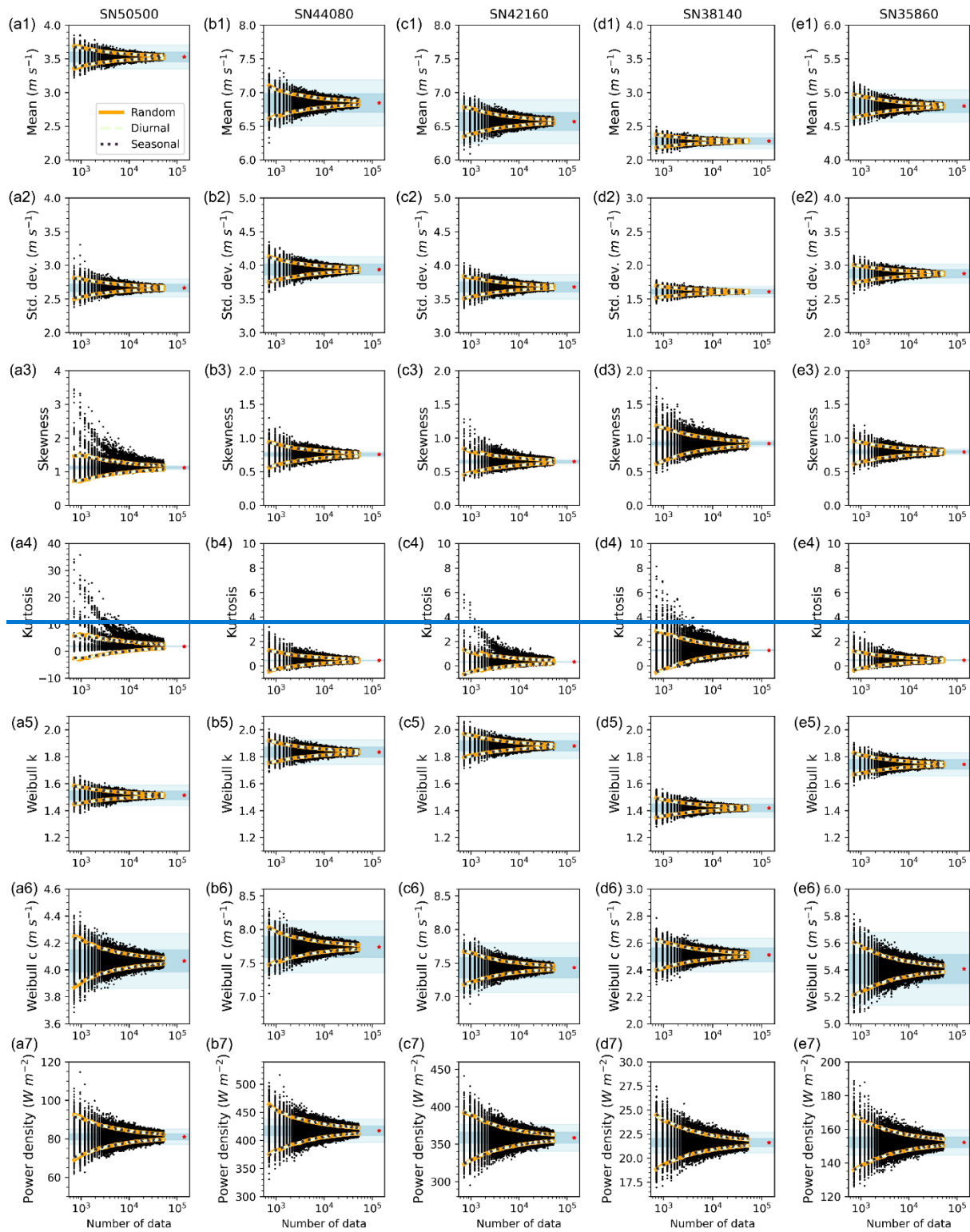
calculated the wind speed at 10 m and 100 m by taking the square root of the sum of the squares of the u-component and v-component of wind. We used the ERA5 grid point closest to the location of each station, as indicated in Table 1.

3 Results

The results section is organized into four parts. First, we assess the feasibility of using random sampling to investigate the uncertainty associated with different sample sizes for acquiring wind distribution parameters. Second, we examine the impact of sample size on the estimation of these parameters. Third, we identify the effective sample size necessary to capture overall wind characteristics, including interannual variability. Finally, we apply our methodology to ERA5 datasets at 10-meter and 100-meter heights to determine if they replicate the results observed in in-situ measurements.

3.1 Can random sampling replace diurnal cycle-retained or seasonality-retained sampling?

The five Norwegian stations exhibit significant diurnal and seasonal variations (Fig. S1-S2). To assess whether random sampling can serve as a substitute for compared random sampling with diurnal cycle-retained or and seasonality-retained sampling to evaluate its suitability, we compared the 90% confidence intervals (CIs) of distribution parameters derived from each method, rather than on single-point parameter estimates. This comparison can also help understand how sampling strategy affects uncertainty. Diurnal cycle retained sampling involved equal observations from four time intervals (0-5, 6-11, 12-17, 18-23) to capture daily variations. Seasonality retained sampling ensured equal distribution across all 12 months. We compared these datasets to those from random sampling of the entire dataset.



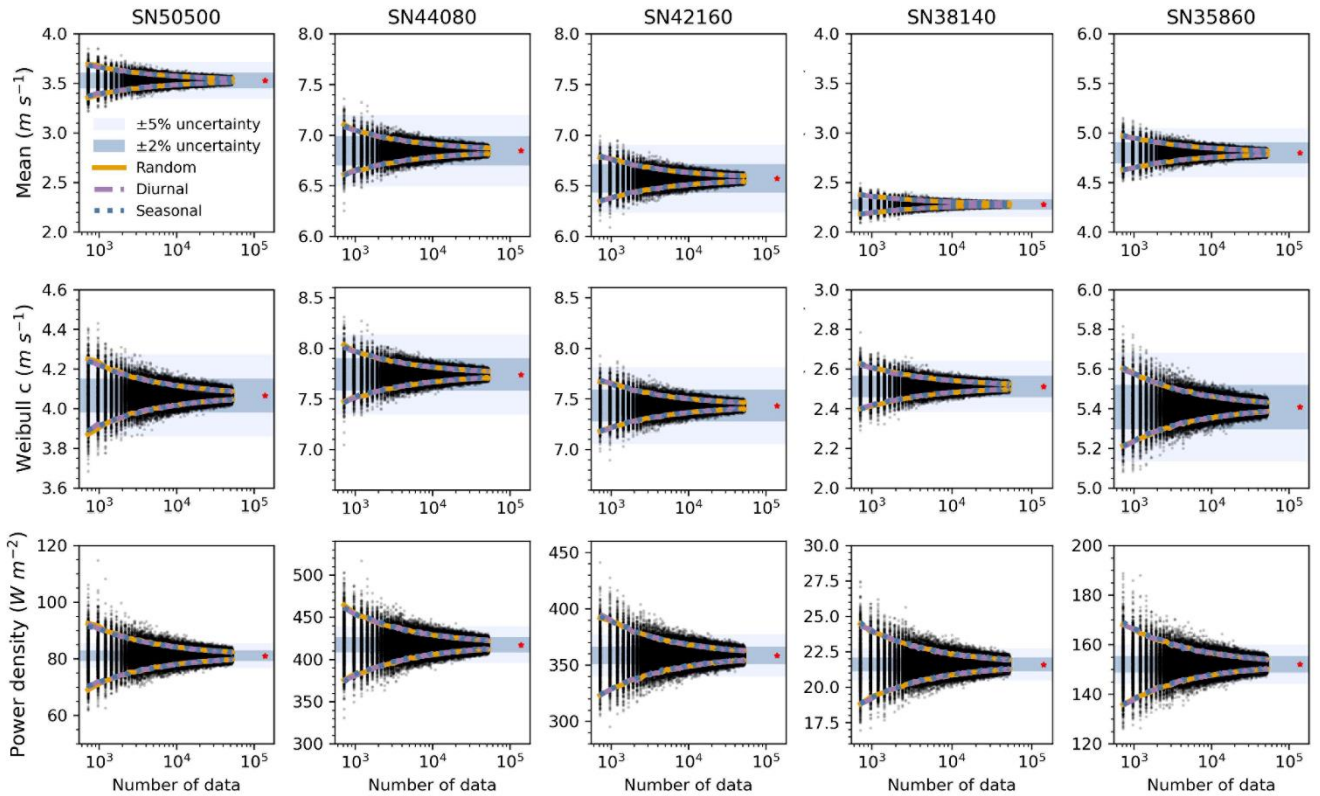
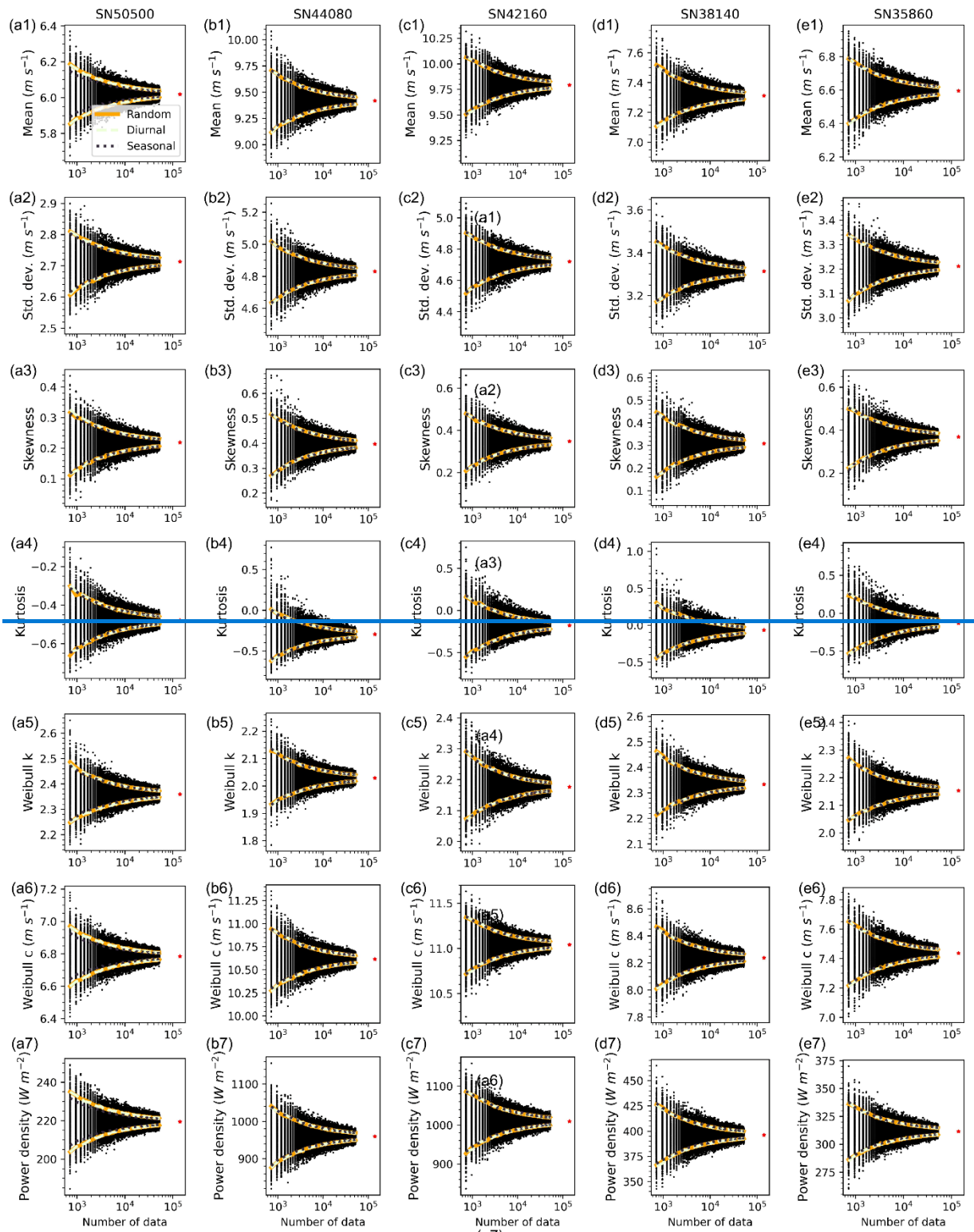


Figure 2: Distribution parameters and Weibull power density Estimates of mean wind speed, Weibull scale parameter, and power density from three sampling strategies, based on in-situ observations from five Norwegian stations. The 90% confidence intervals (CIs) are shown for each sampling method: across-random (orange)ly-selected, diurnal-cycle-retained (purple dashed), and seasonality-retained (blue dotted) sampling experiments for in-situ observations. Each Bblack dots represents a the parameter estimates calculated from each individual random sampling experiments a single sampling realization of random sampling; corresponding realizations for the other two methods are not shown. Each experiment utilized hourly observations, with sSample sizes ranging from n=720 (30 days) to n=52,560 (30 days to 6 years), increasing incrementally by in 240-hours (10-days) increments, with For each sample size, 1,000 iterations realizations were conducted per size. Red asterisks indicate the reference values derived from the entire-full 16-year hourly dataset, as detailed in (see Table 42). Shaded areas The dark blue and light blue shaded areas represent the $\pm 2\%$ (dark blue) and $\pm 5\%$ (light blue) uncertainty deviation ranges from full-series values, respectively, for the values of the entire dataset. The 90% confidence intervals (CIs) are shown for each sampling method: randomly selected (orange lines), diurnal cycle retained (light green dashed lines), and seasonality retained (dark grey dotted lines).

To visually compare the uncertainty ranges between the sampling methods, Figure 2 shows that the Fig. 2 and Fig. S4 presents the 90% confidence intervals (CIs) derived from each approach for random sampling overlap with those for diurnal and seasonality retained methods across six distribution parameters and power density at all stations, indicating no significant

differences. It is evident that the intervals from random sampling largely overlap with those from diurnal and seasonality-retained sampling. To quantify these differences, we calculated the CI differences (Fig. S5) and the average-root mean square error (RMSE) of these differences (Table S2). The RMSE is 0.2866 for random vs. diurnal sampling and 0.3904 for random vs. seasonality sampling. Power density has the largest RMSE, while the shape parameter has the smallest (Table S2). Differences in 90% CIs are small. Most parameter differences fluctuating around zero, with magnitudes generally within ± 0.2 ; power density is the only parameter showing larger fluctuations, within ± 3 . These differences tend to decrease as, with larger deviations at low data sample density increases, stabilizing as density increases (Fig. S5). Parameter differences are within ± 0.2 , while power density differences range from ± 3 . Power density has also exhibits the largest RMSE, likely due to its broader value range (from tens to hundreds), while the shape parameter has show the smallest RMSE (Table S2).

We also further analysed-examined whether similar results hold for ERA5 100-meter wind speed data at 100 meters, which better reflect turbine- to assess random sampling at altitudes relevant altitudes and -to wind turbines, help addressing the lack scarcity of high-elevation altitude observational data measurements. Similar CI overlaps were observed -in the 100-meter data (Fig. 3, S6). Average-The mean RMSEs values of the differences of parameters from the ERA5 100-meter (0.4896 for diurnal-retained and 1.1010 seasonal-retained) were comparable to those from in-situ observations: 0.2865 (diurnal-retained) and 0.3903 (seasonality-retained). (Fig. S4) but slightly The higher values were primarily driven by due to larger power density differences: 0.4895 for diurnal and 1.1010 for seasonality sampling (Table S3S2). A similar pattern in the 90% confidence interval differences among the three sampling strategies is observed in the ERA5 100 m dataset and the in-situ observations (Fig. S7). Based on these findings, we conclude that These findings confirm random sampling is as a viable method for analysing-estimating wind distribution parameters, speeds at both at surface and elevated-turbine hub heights levels. Therefore, Thus, we we adopted-used random sampling in further-subsequent analyses to determine the optimal sample size for capturing long-term overall wind characteristics.



ERA5 100m

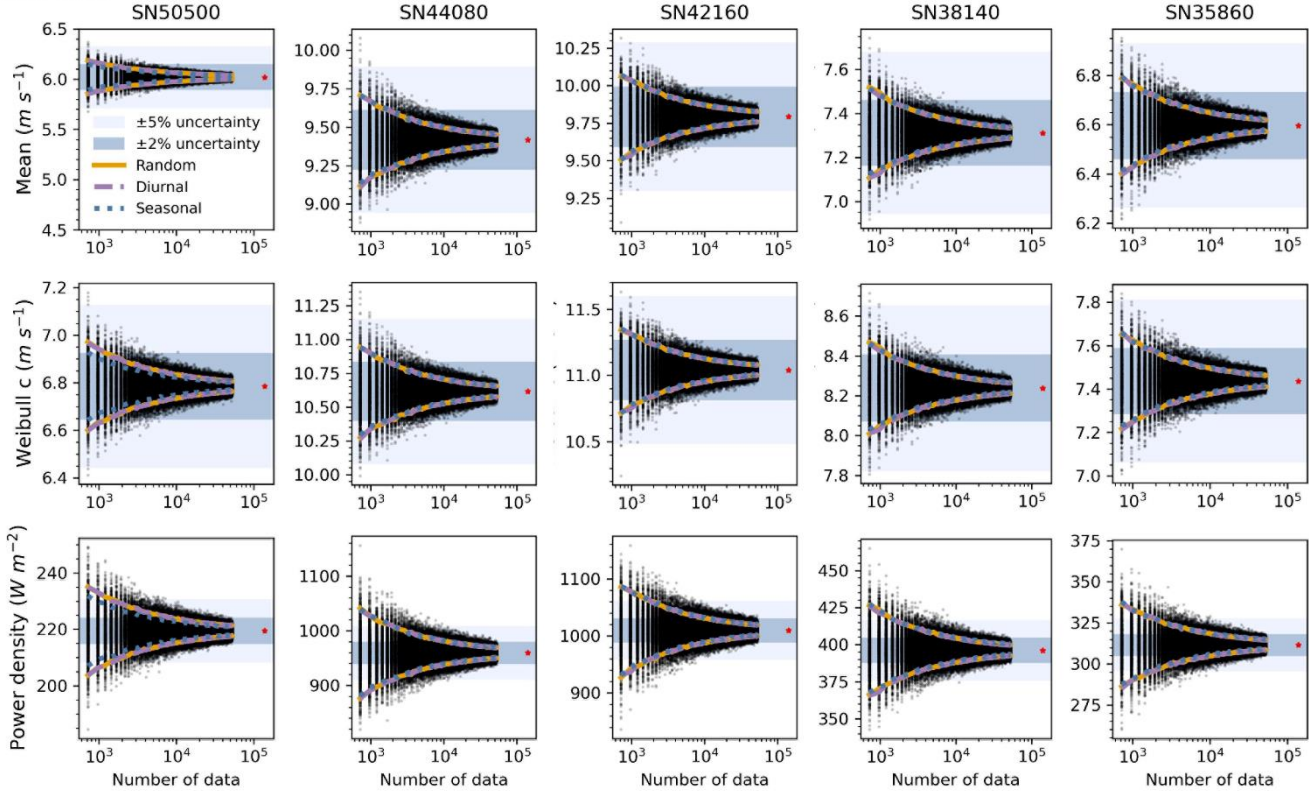


Figure 3: Estimates of mean wind speed, Weibull scale parameter, and power density from three sampling strategies, based on ERA5 100-meter data. Distribution parameters and Weibull power density across randomly selected, diurnal cycle retained, and seasonality retained sampling experiments for ERA5 100-meter data. Each experiment utilized hourly observations, with sample sizes ranging from $n=720$ (30 days) to $n=52,560$ (6 years), increasing incrementally by 240 hours (10 days). For each sample size, 1,000 iterations were conducted. Sampling methods and visualization are consistent with Figure 2. Red asterisks indicate values from the full 16-year ERA5 100 m dataset. Shaded areas represent $\pm 2\%$ (dark blue) and $\pm 5\%$ (light blue) deviation ranges from full-series values. The 90% confidence intervals (CIs) are shown for each sampling method: randomly selected (orange lines), diurnal cycle retained (light green dashed lines), and seasonality retained (dark grey dotted lines). Black dots represent the parameters calculated from each individual random sampling experiments. Red asterisks indicate the values derived from the entire 16-year hourly dataset, as detailed in Table 1. The dark blue and light blue shaded areas represent the $\pm 2\%$ and $\pm 5\%$ uncertainty range, respectively, for the values of the entire dataset.

3.2 Effects of sample size on estimating wind distribution parameters

We ~~investigated~~^{studied} how sample size affects the accuracy of wind distribution parameters. ~~Figure 2 shows how six distribution parameters and power density change with increasing sample size, with full dataset values in Table 2.~~ Despite differences in wind conditions (Table 2; Fig. S8), ~~different locations and wind speeds, the all~~ five Norwegian stations ~~showed~~^{exhibited} consistent ~~pattern~~^{results}.

Table 2: Distribution parameters and Weibull power density of five [Norwegian](#) stations, derived from the entire datasets. [Note: for ERA5 products, the station ID indicates the corresponding grid point location.](#)

Data products	Station ID	Mean (m s ⁻¹)	Std. dev. (m s ⁻¹)	Skewness	Kurtosis	Shape <i>k</i>	Scale <i>c</i> (m s ⁻¹)	Power density (W m ⁻²)
In-situ weather stations	SN50500	3.53	2.66	1.12	1.81	1.51	4.07	81.08
	SN44080	6.85	3.94	0.76	0.45	1.83	7.74	417.34
	SN42160	6.57	3.68	0.65	0.34	1.88	7.43	358.49
	SN38140	2.28	1.61	0.92	1.28	1.42	2.51	21.61
	SN35860	4.80	2.88	0.79	0.47	1.74	5.41	152.15
ERA5 (10 meter)	SN50500	4.82	2.45	0.30	-0.68	2.07	5.44	126.73
	SN44080	7.58	3.74	0.35	-0.36	2.13	8.55	478.87
	SN42160	8.04	3.74	0.32	-0.28	2.28	9.07	539.59
	SN38140	4.74	2.27	0.45	-0.15	2.20	5.35	113.61
	SN35860	4.50	2.19	0.48	-0.06	2.16	5.08	98.77
ERA5 (100 meter)	SN50500	6.02	2.71	0.22	-0.48	2.36	6.78	219.44
	SN44080	9.42	4.83	0.40	-0.29	2.03	10.61	959.38
	SN42160	9.79	4.72	0.35	-0.18	2.18	11.04	1009.61
	SN38140	7.31	3.31	0.31	-0.07	2.33	8.24	396.08
	SN35860	6.60	3.21	0.37	-0.13	2.15	7.44	311.57

We found that, ~~As hourly observations sample size increased, the absolute range for all parameters decreased, though robustness varied.~~ the 90% confidence intervals (CIs) for all parameters narrowed, though the rate of convergence varied. The mean, standard deviation, and Weibull *k* and *c* parameters ~~were most robust~~ stabilized quickly, with 90% confidence intervals within $\pm 5\%$ ~~error margins even at from the start with~~ 720 hourly observations (Fig. 2, S4). In contrast, power density ~~had a larger range~~ showed greater variability, and skewness and kurtosis were far less robust, remaining beyond ~~Even with six years of data ($n = 52,560$), some skewness and kurtosis values exceeded the $\pm 5\%$ even after six years of hourly data margin~~ due to their sensitivity to ~~data~~-distribution tails and extreme ~~s~~-values, requiring larger sample sizes.

~~Previous studies noted systematic bias in distributions with low data density (e.g., 21 observations) (Barthelmie and Pryor, 2003). To assess systematic bias, we examined~~ calculated the median ~~values of across~~ 1,000 resampling ~~iterations~~ groups for each parameter (Fig. S5S9), and found ~~s~~Skewness and kurtosis, especially kurtosis, showed significant biases under ~~notable underestimation at low sample sizes~~ data density, aligning with past findings. At 720 observations, median skewness was over 2% lower, and kurtosis ~~more than over~~ 25% lower than ~~the full-series baseline dataset values. The K~~kurtosis bias improved to ~~within~~ remained above 10% ~~with until sample size exceeded over~~ 2,160 observations ~~hours,~~ and SN50500 ~~required~~ had the largest kurtosis underestimation, needing at least 22,080 observations (~ 2.5 yrs) to reduce error to within 10%. In contrast, ~~Other parameters varied by less than, including power density, showed minimal variation, staying within 1% of full dataset values across all sample sizes.~~

3.3 Determine an effective sample size for capturing overall wind characteristics

To determine the optimal sample size for capturing wind characteristics, we ~~evaluated~~ analysed the relationship between percent errors ~~across different sample~~ and sample sizes (Fig. 4-5). Percent error measures discrepancies between parameters from the full dataset and smaller subsets, ~~helping identify the minimum observations needed for target accuracy.~~ Based on the 90% CIs derived from 1,000 realizations of random sampling of in-situ observations (orange lines in Fig. 2 & Fig. S4), we computed percent errors of CI bounds and fitted power-law equations to describe their dependence on sample size. These fitted equations ~~for percent errors~~ are summarized in Table ~~S23~~ and allow extrapolation of error margins for any given sample size.

As ~~expected, observations increase,~~ percent error decreases with increasing sample size, ~~but though the rate and extent vary across different~~ parameters ~~need varying sample sizes to meet specific error thresholds.~~ For most stations, 720 hourly observations are sufficient to constrain the ~~keep~~ percent errors within $\pm 7\%$ for the mean, standard deviation, and Weibull parameters within $\pm 7\%$ (Fig. 4). ~~However~~ In contrast, higher-order statistical moments ~~power density, such as~~ skewness, and kurtosis, as well as power density, show much larger errors with under the same ~~observations~~ sampling conditions, with ~~errors of at least~~ deviations ranging from $\pm 10\%$ up to $\pm 150\%$, depending on the station. ~~Variability is greater for these~~ These parameters show greater variability across stations, with error differences of 4.6% for power density, 18.1% for skewness, and 154.2% for kurtosis, compared to less than 1.5% for others. Errors decrease quickly below 400 observations and more slowly above (Fig. 5). About 200 observations can achieve $\pm 10\%$ error for the mean, standard deviation, and Weibull parameters (Fig. 5).

~~Figure 5 shows percent error changes with fewer observations. Errors decrease quickly below 400 observations and more slowly above. About 200 observations can achieve $\pm 10\%$ error for the mean, standard deviation, and Weibull parameters. To facilitate practical use, we calculated the minimum sample sizes required to achieve~~ Table 3 details sample sizes needed for ~~error margins of $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$~~ error margins for each parameter at each station (Table 4). For example, $\pm 5\%$ ~~error accuracy requires 459 observations for,~~ the mean, and 470 for the Weibull scale, ~~need 459 and 470 observations (20 days), 796 for respectively.~~ Standard deviation ~~requires 796 observations (34 days), and 4,031 for the Weibull shape needs 681 observations (28 days).~~ Power density, ~~needs 4,031 observations (168 days).~~ Achieving $\pm 2\%$ and $\pm 1\%$ error requires ~~six times 6-fold and 24-fold of more~~ observations than $\pm 5\%$, respectively and $\pm 1\%$ needs 24 times more. Skewness and kurtosis are especially data-intensive ~~need significantly more data~~ due to their sensitivity to distribution tails. For instance, SN38140 needs 177,390 observations (20 years) for $\pm 10\%$ error, while SN50500 needs 1,541,437 observations (176 years). ~~These differences reflect distinct wind speed distributions at each station. Sample density requirements increase significantly with precision.~~

We also observe regional differences in sample requirements. Stations with higher wind speed ~~variability~~ variability, but lower skewness and kurtosis need ~~tend to require~~ fewer ~~observations~~ samples for the same error margins. For example, SN50500 and

SN38140, with the highest skewness and kurtosis, require more observations. ~~All parameters except skewness and kurtosis show moderate regional differences.~~ Power density has the largest regional difference (max/min ratio ~~of =~~ 2.1), while the Weibull shape ~~shows the least parameter has the smallest (ratio of~~ 1.2). Skewness ~~and kurtosis shows significant~~ are sensitive to regional differences wind characteristics, with required samples increasing ~~from 3.96 to 6.1 times,~~ and kurtosis ~~from 8.69 to 13.16, respectively times,~~ as when error margins decrease from $\pm 10\%$ to $\pm 1\%$. ~~This highlights skewness and kurtosis's sensitivity to regional variability and data distribution tails.~~

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Table 3. Fitted equations describing the relationship between the percent error (Y) and sample size (n), based on random sampling results from five in-situ weather stations. Each equation corresponds to a power-law fit of the 90% confidence interval (CI) bounds, positive (P) and negative (N), for each parameter, across sample sizes from 720 to 52,560 hours.

Parameters	SN50500	SN44080	SN42160	SN38140	SN35860
Mean (P)	$Y=\exp[-0.507\ln(n)+4.888]$	$Y=\exp[-0.503\ln(n)+4.579]$	$Y=\exp[-0.497\ln(n)+4.497]$	$Y=\exp[-0.496\ln(n)+4.724]$	$Y=\exp[-0.494\ln(n)+4.536]$
Mean (N)	$Y=-\exp[-0.511\ln(n)+4.929]$	$Y=-\exp[-0.494\ln(n)+4.491]$	$Y=-\exp[-0.498\ln(n)+4.504]$	$Y=-\exp[-0.500\ln(n)+4.758]$	$Y=-\exp[-0.501\ln(n)+4.601]$
Std. dev (P)	$Y=\exp[-0.497\ln(n)+5.045]$	$Y=\exp[-0.503\ln(n)+4.579]$	$Y=\exp[-0.486\ln(n)+4.692]$	$Y=\exp[-0.497\ln(n)+4.971]$	$Y=\exp[-0.489\ln(n)+4.748]$
Std. dev (N)	$Y=-\exp[-0.509\ln(n)+5.169]$	$Y=-\exp[-0.494\ln(n)+4.491]$	$Y=-\exp[-0.500\ln(n)+4.838]$	$Y=-\exp[-0.503\ln(n)+5.033]$	$Y=-\exp[-0.504\ln(n)+4.904]$
Skewness (P)	$Y=\exp[-0.452\ln(n)+6.610]$	$Y=\exp[-0.495\ln(n)+6.434]$	$Y=\exp[-0.483\ln(n)+6.523]$	$Y=\exp[-0.482\ln(n)+6.579]$	$Y=\exp[-0.488\ln(n)+6.254]$
Skewness (N)	$Y=-\exp[-0.471\ln(n)+6.807]$	$Y=-\exp[-0.502\ln(n)+6.522]$	$Y=-\exp[-0.496\ln(n)+6.665]$	$Y=-\exp[-0.506\ln(n)+6.825]$	$Y=-\exp[-0.509\ln(n)+6.475]$
Kurtosis (P)	$Y=\exp[-0.436\ln(n)+8.521]$	$Y=\exp[-0.493\ln(n)+8.449]$	$Y=\exp[-0.474\ln(n)+8.746]$	$Y=\exp[-0.469\ln(n)+7.971]$	$Y=\exp[-0.488\ln(n)+8.273]$
Kurtosis (N)	$Y=-\exp[-0.451\ln(n)+8.673]$	$Y=-\exp[-0.500\ln(n)+8.540]$	$Y=-\exp[-0.485\ln(n)+8.869]$	$Y=-\exp[-0.496\ln(n)+8.254]$	$Y=-\exp[-0.507\ln(n)+8.472]$
Weibull k (P)	$Y=\exp[-0.508\ln(n)+4.902]$	$Y=\exp[-0.503\ln(n)+4.845]$	$Y=\exp[-0.503\ln(n)+4.907]$	$Y=\exp[-0.509\ln(n)+4.994]$	$Y=\exp[-0.51\ln(n)+4.919]$
Weibull k (N)	$Y=-\exp[-0.491\ln(n)+4.721]$	$Y=-\exp[-0.493\ln(n)+4.731]$	$Y=-\exp[-0.484\ln(n)+4.696]$	$Y=-\exp[-0.501\ln(n)+4.906]$	$Y=-\exp[-0.493\ln(n)+4.735]$
Weibull c (P)	$Y=\exp[-0.507\ln(n)+4.864]$	$Y=\exp[-0.503\ln(n)+4.580]$	$Y=\exp[-0.496\ln(n)+4.494]$	$Y=\exp[-0.497\ln(n)+4.782]$	$Y=\exp[-0.494\ln(n)+4.55]$
Weibull c (N)	$Y=-\exp[-0.512\ln(n)+4.906]$	$Y=-\exp[-0.495\ln(n)+4.505]$	$Y=-\exp[-0.498\ln(n)+4.506]$	$Y=-\exp[-0.501\ln(n)+4.824]$	$Y=-\exp[-0.501\ln(n)+4.619]$
Power density (P)	$Y=\exp[-0.508\ln(n)+6.011]$	$Y=\exp[-0.505\ln(n)+5.689]$	$Y=\exp[-0.495\ln(n)+5.547]$	$Y=\exp[-0.500\ln(n)+5.854]$	$Y=\exp[-0.493\ln(n)+5.614]$
Power density (N)	$Y=-\exp[-0.509\ln(n)+6.014]$	$Y=-\exp[-0.492\ln(n)+5.560]$	$Y=-\exp[-0.497\ln(n)+5.566]$	$Y=-\exp[-0.497\ln(n)+5.813]$	$Y=-\exp[-0.5\ln(n)+5.674]$

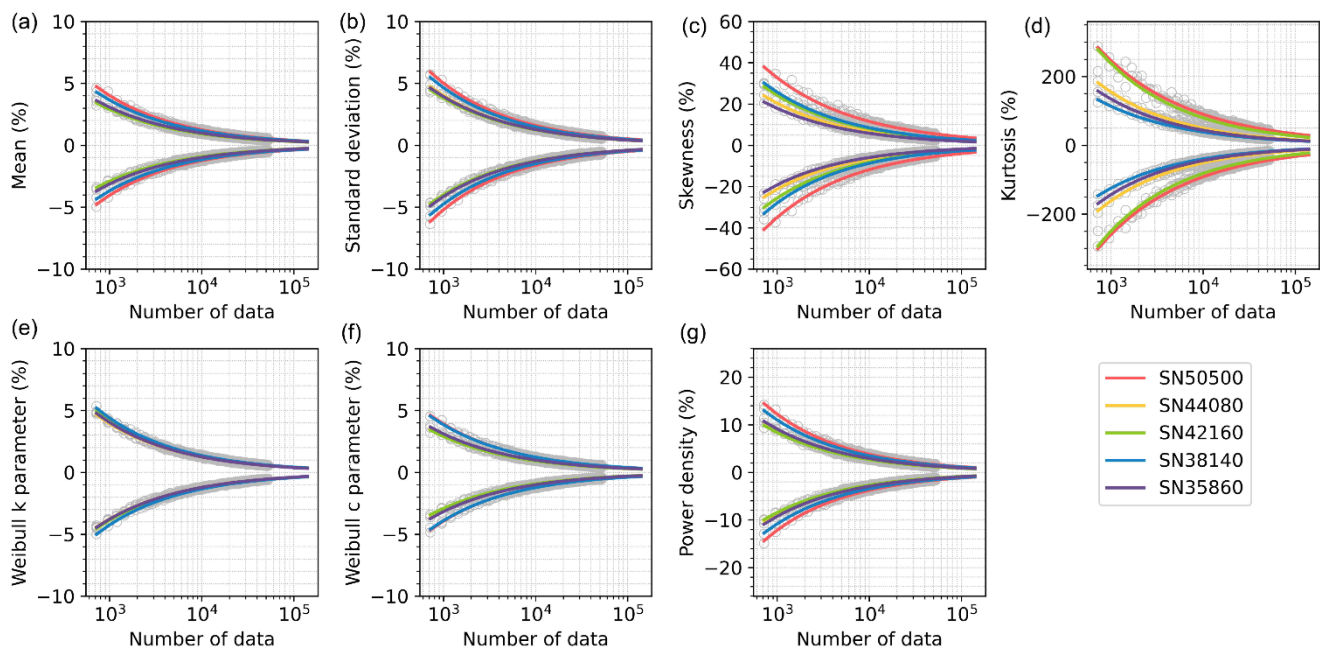


Figure 4: The relationship between the percent error (Y) and sample size (n) 90% confidence intervals for the percent error in the mean, standard deviation, skewness, kurtosis, Weibull k and c parameters, and energy density, based on hourly observations ranging from $n = 720$ (30 days) to $n = 140,160$ (16 years) across five stations. The equations of fits here are shown in Table 3. Grey circles indicate the values used to fit the 90% confidence intervals for the percent error shown. The equations of fits here are shown in Table S4.

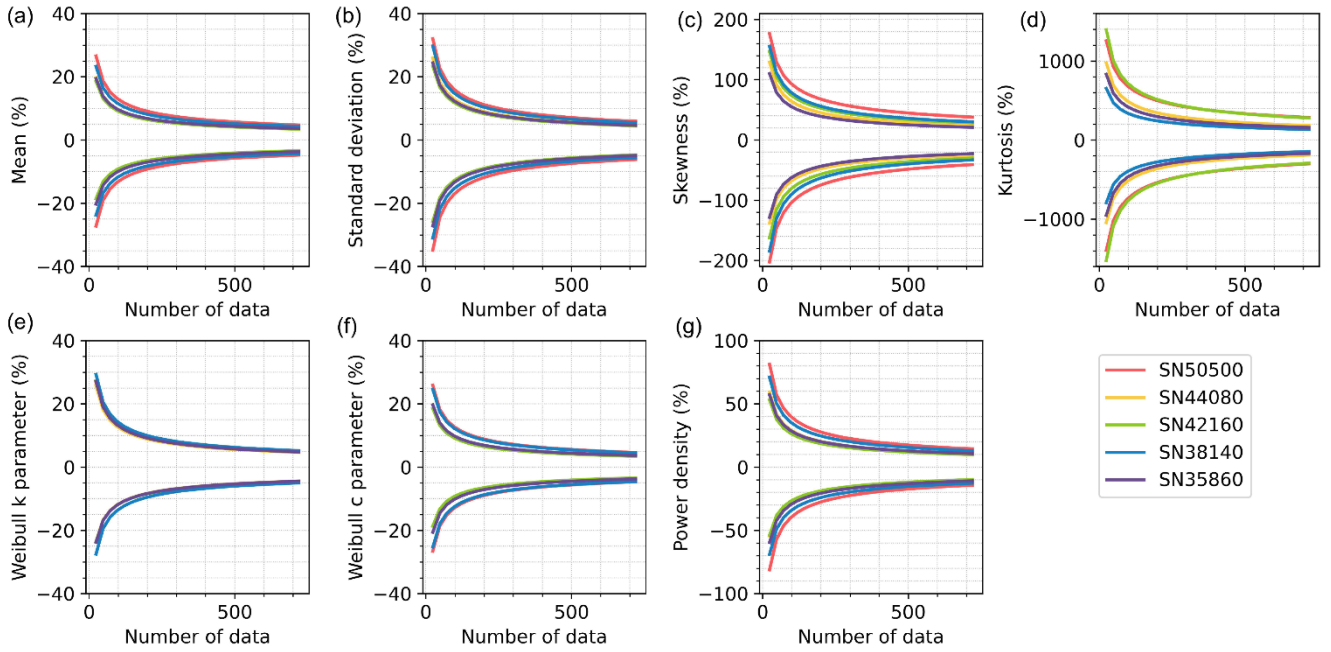


Figure 5: Same as Fig. 4, but the hourly observations ranging from $n= 24$ (1 day) to $n= 720$ (30 days) across five stations. These intervals are calculated using the same fits as shown in Fig. 4.

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Table 4. Required number of randomly selected in-situ observations (unit: hours) to obtain an estimate within $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$ of the parameters from the entire observed time series (157,465 data points), calculated at the 90% confidence level. The fits to get the required data density are shown in Table S2.

Error margins	Location	Mean	Std. dev.	Skewness	Kurtosis	Shape k	Scale c	Power density
$\pm 10\%$	SN50500	170	279	14297	1541437	166	162	1489
	SN44080	92	162	4505	262169	157	93	813
	SN42160	83	160	6658	801270	177	84	709
	SN38140	135	228	7673	177390	198	153	1211
	SN35860	98	175	3611	204844	169	101	853
	average	116	201	7349	597422	174	119	1015
$\pm 5\%$	SN50500	659	1087	63795	7545102	649	629	5836
	SN44080	365	655	17944	1058755	623	368	3202
	SN42160	335	640	26968	3458621	700	338	2859
	SN38140	541	905	30229	777573	774	610	4840
	SN35860	393	691	14084	847284	657	404	3417
	average	459	796	30604	2737467	681	470	4031
$\pm 2\%$	SN50500	3956	6576	484327	61581562	3936	3770	35501
	SN44080	2256	4165	111517	6790761	3853	2276	19931
	SN42160	2113	4008	174520	23905124	4321	2131	18057
	SN38140	3379	5593	200542	5484926	4689	3793	30218
	SN35860	2445	4262	88940	5535245	3956	2513	21623
	average	2830	4921	211970	20659524	4151	2897	25066
$\pm 1\%$	SN50500	15531	25766	2244402	301432368	15383	14785	139117

SN44080	8944	16876	444166	27700221	15295	9032	81625
SN42160	8503	16046	733004	103184595	17126	8585	72806
SN38140	13574	22191	844568	24042683	18315	15117	120783
SN35860	9757	16870	368113	22895088	15391	10011	88205
average	11262	19550	926851	95850991	16302	11506	100507

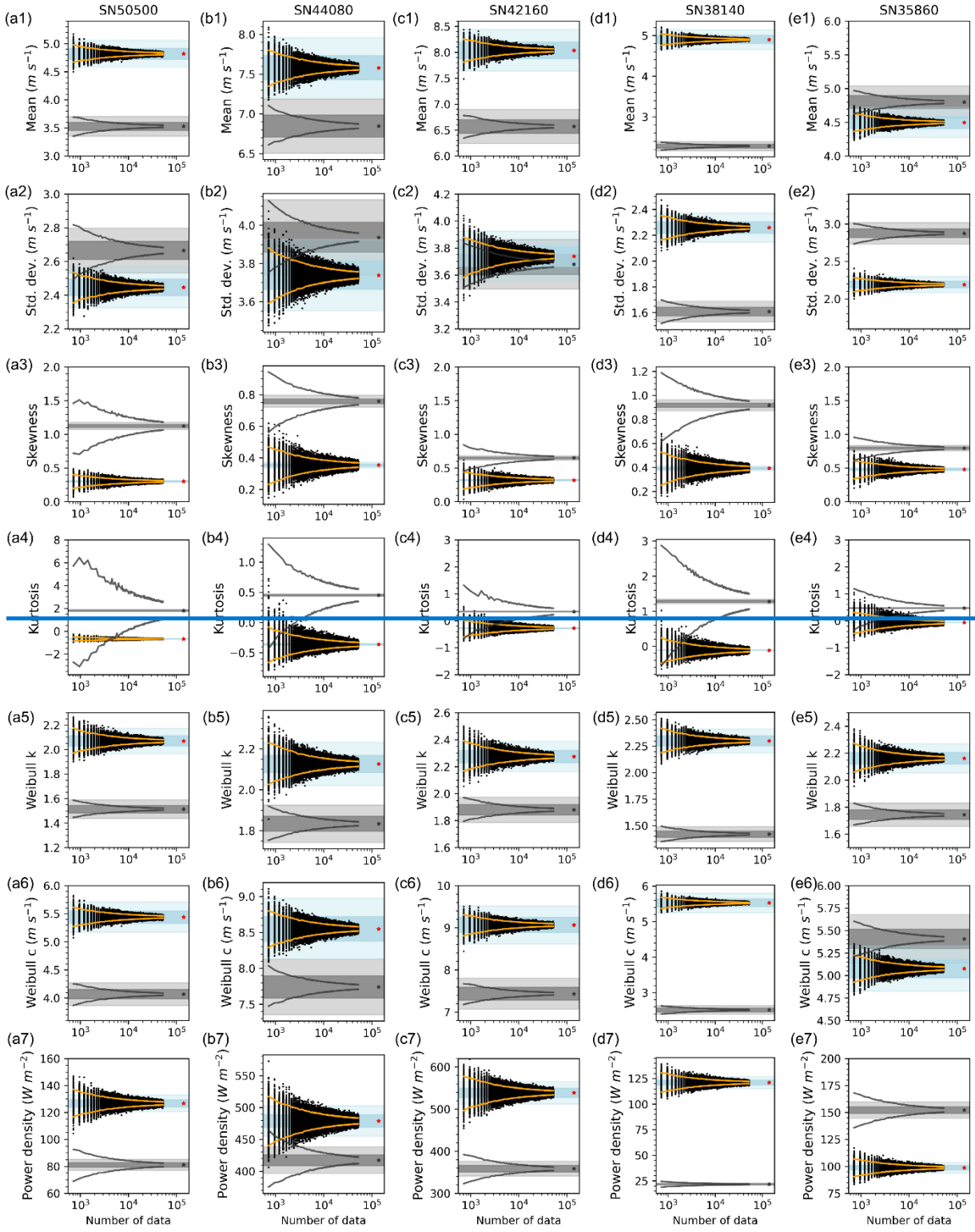
3.4 Does ERA5 reanalysis (10 m and 100 m) show similar results with in-situ observations?

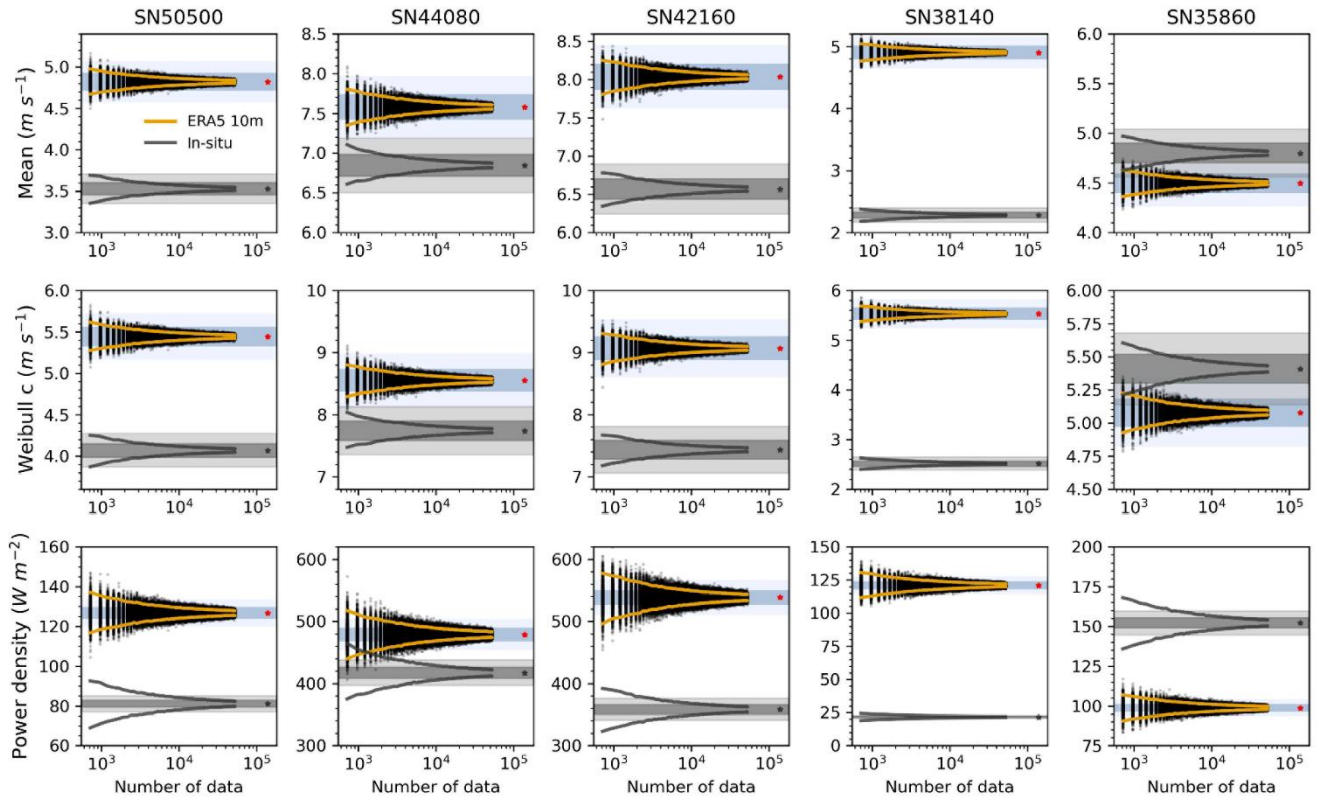
To assess the consistency of reanalysis data with in-situ measurements, we compared the ERA5 dataset to assess its deviations from (10 m and 100 m) in-situ observations. At four out of five stations, ERA5 overestimated the mean wind speeds in both the full time series (Table 2) and sampling experiments (Fig. 6 & Fig. S10), likely due to a higher an overrepresentation of low-to-moderate wind speeds frequency of lower wind speeds at these locations (Fig. S6S8). Similarly, ERA5 This bias also led to overestimation of the Weibull scale parameter at for stations with higher wind speeds and underestimation at those with lower speeds for others. This could be due to the higher frequency of lower wind speed values observed at the same locations (Fig. S6). Additionally, the Weibull shape parameter was consistently higher in ERA5, often exceeding 2, indicating a potential bias in overestimating high wind events. These biases collectively contributed to affected systematic overestimation in the Weibull power density calculations, causing systematic discrepancies (Table 2 & Fig. 6 & Fig. S10).

Both in-situ and ERA5 distributions were positively skewed (Fig. S8), but in-situ data had higher skewness (Table 2). ERA5 samples consistently showed lower skewness (Fig. S10). For kurtosis, ERA5 had negative values across all stations, while in-situ observations show positive values had positive kurtosis (Table 2), indicating more peaked distributions, whereas ERA5 exhibited negative values, reflecting flatter, less variable distribution around the mean. In situ kurtosis varied widely, especially at The largest divergence was observed at SN50500 and SN38140 (Fig. S106a4 & 6d4), where in-situ kurtosis varied substantially, whileas ERA5 values remained comparatively uniform had flatter distributions with less variability (Fig. 6a4-e4S10).

Due to These differences influenced sample size requirements, in skewness and kurtosis. For mean, standard deviation, Weibull scale, and power density, ERA5 (10m) generally requireds fewer data points for to achieve the same error margins thresholds in parameters like mean, standard deviation, Weibull scale, and power density (Table 4S3). However, for tail-sensitive parameters like shape, skewness, and kurtosis, ERA5 needs require larger more samples size. Additionally, ERA5 results showed lower inter-station variability, as indicated Differences among locations are smaller in ERA5, shown by greater by overlapping in percent-error curves lines (Fig. S7S11-S8S12). The equations used to estimate percent errors under different sample sizes for ERA5 10 m are summarized in Table S4.

We ~~also examined~~ further analysed the ERA5 100-meter dataset, ~~which aligns more closely with~~ to see if it requires similar data densities as the 10-meter data, given its relevance to turbine hub heights. As shown in fFigures S9S13-S10-S14, show that for most parameters had similar data density requirements to those at ERA5, the 100-meter dataset needs similar observations as the 10-meter dataset, though data densityit can vary by station. For instance, SN42160 had the highest error in the 10-meter dataset, while SN35860 showed nearly double the error under the same density. Table S5 summarizes the required sample sizesshows that for mean, standard deviation, scale, and power density, showing broadly similar patterns across both heightsboth datasets have similar requirements, but the 100-meter dataset consistently requiredneeds more data for the shape parameter. The equations used to estimate the required sample sizes for ERA5 100 m are summarized in Table S6.





445 **Figure 6: Estimates of mean wind speed, Weibull scale parameter, and power density based on random sampling of ERA5 10-meter**
reanalysis data (black dots) across five Norwegian stations. Distribution parameters and Weibull power density from experiments
 using ERA5 10m data (black dots) based on randomly selected samples. The sampling strategy is consistent with Figure 2. Each
 experiment was conducted with hourly observations ranging from $n=720$ (30 days) to $n=52,560$ (6 years, incrementing by 240 (10 days),
 with 1,000 iterations for each sample size. The 90% confidence intervals (CIs) for the randomly selected are shown as orange lines (ERA5)-
 450 10m (orange lines) and grey lines and (in-situ observations (grey lines) are presented observations). Red asterisks indicate denote reference
 values the values for the entire derived from the full 16-year hourly ERA5-10m dataset; grey asterisks represent the corresponding values
 from in-situ observations. The dark blue and light blue shaded areas represents $\pm 2\%$ (dark) and $\pm 5\%$ (light) uncertainty margins around
 the ERA5-10m dataset reference values, respectively, while the dark grey shading and light grey shaded areas represent indicates the same
 margins around the corresponding uncertainty for in-situ observations reference values.

455

460 **Table 4: Required number of randomly selected ERA5 10 meter reanalysis (unit: hours) to obtain an estimate within $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$ of the parameters from the entire observed time series (157,465 data points), calculated at the 90% confidence level.**
 The fits to obtain the required data density are shown in Table S5.

Error margins	Location	Mean	Std. dev.	Skewness	Kurtosis	Shape k	Scale e	Power density
$\pm 10\%$	SN50500	73	96	8172	5016	180	73	471
	SN44080	66	117	8313	44143	185	67	472
	SN42160	57	126	11723	95190	194	56	427
	SN38140	60	134	8735	711310	195	59	460
	SN35860	64	139	6207	3540359	185	64	508
	average	64	123	9262	944804	188	64	468
$\pm 5\%$	SN50500	290	378	32016	19838	695	288	1856
	SN44080	264	461	32714	178285	730	266	1877
	SN42160	229	495	46455	392676	761	227	1711
	SN38140	238	528	34605	2908557	751	232	1825
	SN35860	254	547	24898	14867900	716	254	2041
	average	255	482	34138	3673452	731	254	1862
$\pm 2\%$	SN50500	1780	2314	200956	124202	4155	1777	11362
	SN44080	1642	2826	208777	1128607	4469	1649	11743
	SN42160	1443	3016	298655	2556252	4626	1424	10706
	SN38140	1461	3244	221711	18715159	4468	1430	11298
	SN35860	1587	3343	165203	99101050	4294	1587	12890
	average	1583	2949	219061	24325054	4403	1574	11600
$\pm 1\%$	SN50500	7030	9113	809645	498171	16071	7032	44916
	SN44080	6548	11134	848415	4558267	17597	6563	47679
	SN42160	5802	11843	1220400	10544961	18114	5721	43071
	SN38140	5777	12805	903642	76526556	17220	5660	45063
	SN35860	6368	13141	691404	416179369	16643	6348	51972
	average	6305	11608	894702	101661465	17129	6265	46541

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Table 5: Required number of randomly selected ERA5 100-meter reanalysis (unit: hours) to obtain an estimate within $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$ of the parameters from the entire observed time series (157,465 data points), calculated at the 90% confidence level. The fits to obtain the required data density are shown in Table S6.

Error margins	Location	Mean	Std. dev.	Skewness	Kurtosis	Shape k	Scale e	Power density
$\pm 10\%$	SN50500	56	110	16201	8729	198	54	374
	SN44080	73	123	7056	81022	189	74	521
	SN42160	61	133	11263	328841	205	62	468
	SN38140	58	137	15661	2453346	222	57	435
	SN35860	64	137	11069	795574	211	64	480
	average	63	128	12230	701703	205	63	456
$\pm 5\%$	SN50500	223	434	65875	38941	767	215	1501
	SN44080	289	483	27566	329399	745	294	2067
	SN42160	247	523	44785	1367095	803	247	1867
	SN38140	239	528	39510	2240186	816	234	1808
	SN35860	255	535	44939	3346344	815	255	1916
	average	251	501	44535	1464393	790	249	1832
$\pm 2\%$	SN50500	1391	2651	427303	248311	4604	1347	9434
	SN44080	1786	2950	176226	2103464	4560	1819	12841
	SN42160	1551	3187	290902	8991336	4889	1552	11635
	SN38140	1481	3272	247668	14218455	4903	1457	11209
	SN35860	1587	3244	296038	22351593	4884	1590	12125
	average	1560	3061	287628	9582632	4768	1553	11449
$\pm 1\%$	SN50500	5556	10417	1757931	1008422	17854	5394	37889
	SN44080	7091	11598	717060	8551751	17952	7217	51955
	SN42160	6236	12509	1198029	37379775	19172	6231	47065
	SN38140	5891	12995	998600	57540275	19027	5801	44825
	SN35860	6341	12685	1232216	94015313	18917	6340	48981
	average	6223	12041	1180767	39699108	18585	6197	46143

4 Discussions and Implications

4.1 Sensitivity to sampling strategy and climatic non-stationarity

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In wind energy assessments, continuous sampling is more commonly used than random sampling because it preserves temporal structure and seasonal variability in wind speed time series, and most importantly, only long-term data are not available. However, continuous sampling may also introduce systematic bias, particularly over short durations, due to temporal autocorrelation and underlying climatic non-stationarity. To investigate the extent of this effect and assess the generalizability of random sampling, we conducted a sensitivity analysis using 46 years (1979–2024) of hourly wind speed data from two coastal meteorological stations: Copenhagen Airport (061800-99999, Denmark) and Leuchars (031710-99999, Scotland). These sites were chosen for their long-term records and meteorological similarity to the five Norwegian locations analysed earlier. Copenhagen station exhibits a long-term decreasing wind speed trend (Fig. S1), consistent with broader global observations (Zeng et al., 2019).

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480 Our results show that continuous sampling generally requires significantly longer periods to achieve the same level of
uncertainty in estimated distribution parameters compared to random sampling (Fig. 7). This discrepancy arises because
random sampling draws from multiple years, thereby capturing a wider range of interannual variability and reducing exposure
to temporal clustering. Consequently, the 90% confidence intervals (CIs) under random sampling are symmetric for all
485 parameters, while under continuous sampling, only the CIs for mean wind speed, Weibull scale parameter, and power density
are symmetric. Shape-sensitive parameters, including standard deviation, skewness, kurtosis, and especially the Weibull shape
parameter, exhibit pronounced asymmetries under continuous sampling, particularly at short durations (<2 years). This
suggests that the presence of systematic climatic anomalies in continuous subsets may bias shape estimation.

These findings support earlier recommendations by Murthy et al. (2017), who advocate using at least four to ten years of data
490 for reliable wind energy assessments. Our results suggest that when using continuous sampling, at least five years of data may
be required to achieve $\pm 10\%$ relative uncertainty in power density estimates, although this threshold is site-specific (e.g.,
Copenhagen station requires more than 10 years). We further recommend that random sampling be considered as a
complementary tool to identify potential biases in short-term continuous assessments.

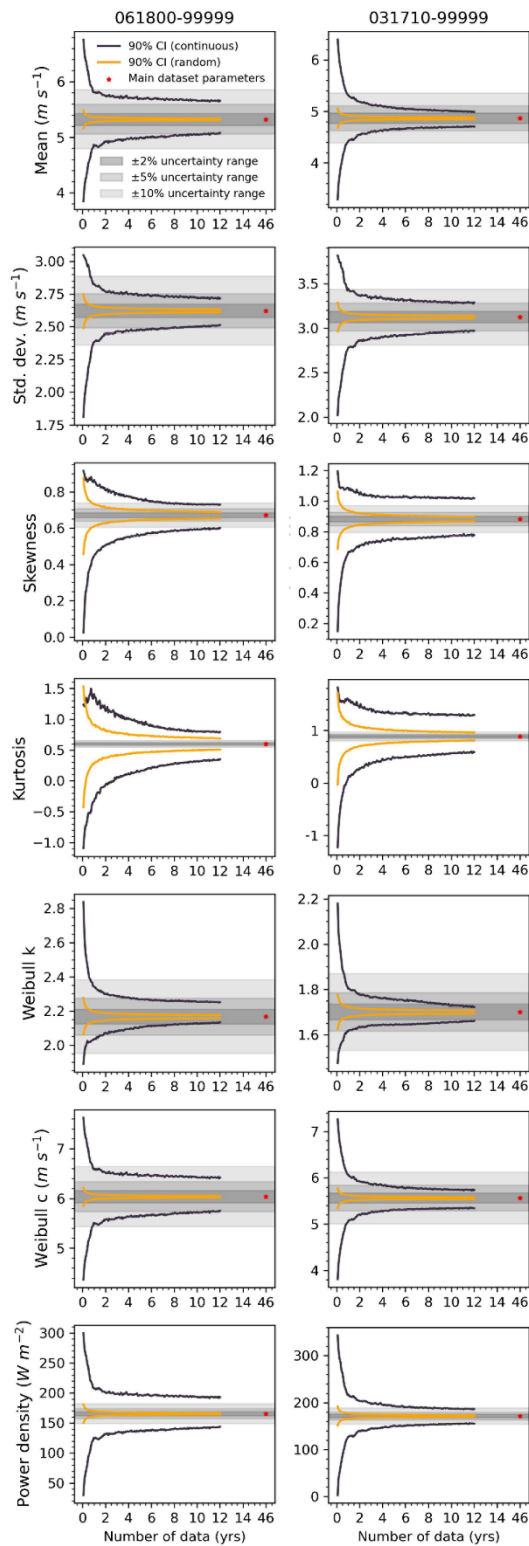


Figure 7: distribution parameters and Weibull power density derived from random sampling (orange lines) and continuous sampling (black lines), based on in-situ measurements from weather stations. Asterisks indicate values computed from the full 46-year dataset. Values for sample lengths between 14 and 46 years are omitted for visual clarity. Details of the experimental setup and sampling procedures are provided in the Methods section.

~~It is claimed that the~~The uncertainty bounds acquired by the ~~methods-random sampling~~ in this study provided exhibit robustness and are applicable to all remotely sensed wind speed data series (Barthelmie and Pryor, 2003). Specifically, they reached this conclusion by finding a similar required sample size with an uncertainty of $\pm 10\%$ from five different locations, including Denmark, eastern North Pacific, the Gulf of Mexico, the Gulf of Alaska, and the western Atlantic (Barthelmie and Pryor, 2003; Pryor et al., 2004). However, upon replicating their methods using in-situ wind speed measurements from WMO stations, we are reluctant to draw the same conclusion. Although when using the same error margin ($\pm 10\%$) as Barthelmie and Pryor, (2003), we obtain similar results. As the error margins narrow (from $\pm 10\%$ to $\pm 1\%$), the discrepancy among stations becomes significant. Therefore, we suggest that the uncertainty bounds presented in Table 3 exhibit robustness and are applicable only under higher error margins, such as those exceeding $\pm 10\%$. Additionally, lower moments and two Weibull parameters showed higher robustness.

Furthermore, although we provided the uncertainty bounds for datasets with fewer than 720 samples, it is important to note that we calculated these values based on an exponential function fitted to the results derived from 720 to 52,560 points. As a result, the curve may be biased due to the potential asymmetry in the distribution of the parameters (Barthelmie and Pryor, 2003).

Our results indicated that ERA5 tends to overestimate the mean and Weibull scale parameters. Discrepancies between ERA5 and observational data are unsurprising, as previous studies have noted differences in magnitude and trends (Zhou et al., 2021; Torralba et al., 2017). These discrepancies can be partly attributed to ERA5 not assimilating in-situ land observations and the inherent limitations of the ERA5 reanalysis (Hersbach et al., 2020), such as its inability to accurately reproduce mesoscale dissipation rates (Bolgiani et al., 2022). Additionally, modern data assimilation systems still struggle to adequately correct the inevitable errors in model-generated guess fields at these smaller scales (Wang and Sardeshmukh, 2021). Consequently, ERA5 may underestimate variability and fail to capture local extremes observed in in-situ data, leading to discrepancies in parameters like skewness and kurtosis. For instance, at stations SN50500 and SN38140, in-situ data show significantly more wind observations close to zero compared to ERA5 datasets, resulting in distinct wind characteristics such as differing skewness and kurtosis.

4.2 Evaluation of global wind atlas estimates against observations

530 Since the publication of the first European Wind Atlas in 1989 (Dörenkämper et al., 2020), the wind atlas methodology has been widely adopted for regional wind resource assessments, including in countries such as Finland (Tammelin et al., 2013) and Greece (Kotroni et al., 2014). The Global Wind Atlas (GWA), developed by the Technical University of Denmark, applies the well-established numerical wind atlas method to downscale coarse-resolution reanalysis data to microscale levels. This is achieved using linearized flow models and topographic corrections based on the WAsP model. GWA provides publicly accessible estimates of mean wind speed and power density, which have been used in applications such as bias correction of reanalysis data for wind power simulations (Gruber et al., 2022).

535 Given the energy-focused perspective of this study, it is relevant to compare our results with GWA estimates. We extracted GWA values at the nearest grid points for selected stations and compared them with observational estimates based on the full time series. Table S7 presents this comparison, focusing on two key metrics in wind energy assessments: mean wind speed and power density. The results show that GWA consistently overestimates both wind speed and power density relative to our station-based observations.

540 One likely explanation for this discrepancy lies in the different ways topographic effects are incorporated. As described by Davis et al. (2023), the GWA estimates the predicted wind climate (PWC) by applying high-resolution topographic perturbations to the generalized wind climate which is based on coarse reanalysis fields. The PWC is represented by a set of Weibull distributions and directional frequencies for each of 12 directional sectors, and these are used to calculate derived variables such as mean wind speed and power density.

4.31 Implications

550 Both onshore and offshore sites exhibit seasonal variations, with onshore and near-coast locations often experiencing significant diurnal cycles (Barthelmie and Pryor, 2003; Barthelmie et al., 1996; Ashkenazy and Yizhaq, 2023). Our findings indicate that random sampling can effectively analyse wind distribution parameters, even when dealing with discontinuous data that lacks explicit diurnal or seasonal cycle information. This is particularly important given the challenges associated with accurately collecting data that reflects these cycles; factors such as anemometer malfunctions, site relocations, and other disruptions can create gaps in the wind speed data series, leading to non-continuous records (Liu et al., 2024). For instance, 555 the Sentinel-1 Level 2 OCN ocean wind field product (1 km resolution), while performing well in offshore areas, has a revisit frequency of one to two days that may not sufficiently capture rapid temporal variations (Khachatrian et al., 2024).

It was noted that this finding is drawn from analyses utilizing a 90% confidence interval. This confidence level indicates that while minor discrepancies may exist in the data, they are considered negligible under specific statistical assumptions. Therefore, we ~~argue-conclude~~ that random sampling provides a practical and statistically robust alternative, particularly in scenarios where it is not feasible to retain the characteristics of diurnal cycles or seasonality.

4.2.4 Limitations of this study

~~Our study reveals several uncertainties that need to be acknowledged. The geographic scope of our data is limited; all the weather stations used in our study are in Norway. This is because the required wind speed data need to have long term series but with hourly resolution at the same time, and such a long term time series is rarely available publicly. We encourage researchers from other regions with access to high quality wind speed data to replicate our study and compare the results, to verify the generalizability of our findings.~~

~~While our study focuses on long-term wind data from five coastal onshore stations in Norway, it may not fully represent offshore wind conditions. Although these stations are all located at low elevations and near the coastline, their degree of exposure to open-sea winds varies due to local topography, coastal geometry, and sheltering effects (Fig. S15). For example, SN35860 and SN44080 are directly exposed to the open sea, while SN38140 is partially sheltered by inland terrain and surrounding vegetation. Our results may not accurately reflect the real situations for offshore sites, because our study is based on on-land weather stations, though they are located along the coast. Further, offshore wind can differ significantly from those onshore. For example, In we showed our study, that ERA5 data shows-antends to overestimation of the frequency of high wind events at coastal sites. By contrast, while a recent study indicates that ERA5 may underestimates strong wind speed offshore (Gandoin and Garza, 2024), suggesting that discrepancies may stem from differences in surface roughness, atmospheric stability, and model representation of marine boundary layers. Therefore, further studies This highlights the need for targeted offshore studies, for example using focused specifically on offshore winds buoy-based wind measurements (Morgan et al., 2011)-are needed. Furthermore, our analysis does not include complex inland terrains such as mountainous regions or deep valleys, where wind speed distributions can be bimodal (Jaramillo and Borja, 2004) or strongly affected by topographic channelling. These environments are likely to show different sensitivities to sampling strategies, especially about shape-related distribution metrics. We therefore recommend that future research apply this framework to both offshore locations and inland complex terrain to better capture the full range of wind resource variability and distributional stability.~~

~~Moreover, we compared the surface elevation of the ERA5 grid cells with the actual heights of the five Norwegian weather stations (Table 1). While all stations are situated near sea level (ranging from 4 m to 48 m above mean sea level), ERA5 grid elevations differ substantially, with four out of five stations showing discrepancies exceeding 40 m, and one exceeding 110 m. Specifically, ERA5 overestimates elevation at three stations and underestimates it at two. Interestingly, despite the mix of elevation biases, ERA5 wind speeds are overestimated at four stations and underestimated at only one. A station where ERA5 overestimated elevation is also the one where wind speed is underestimated. This suggests that elevation mismatch alone~~

cannot fully explain the direction or magnitude of wind speed biases. Other factors, such as surface roughness and land use type, may also contribute to the discrepancies.

Another limitation is the time resolution of the wind speed data we used. We utilized hourly data instead of higher temporal resolution data, such as 10-minute intervals, for wind distribution assessments. Despite this, Yang et al., (2024) demonstrated that hourly wind speed data provide sufficiently accurate estimations of wind power density, with errors smaller than $\pm 2\%$ when compared to 10-minute resolution data. This suggests that hourly data are suitable for such analyses. Additionally, Effenberger et al., (2024) showed that three- or six-hourly instantaneous wind speed data can effectively preserve the distribution characteristics of 10-minute wind speeds. Therefore, it is reasonable that hourly wind speed can adequately represent the characteristics of 10-minute wind speeds.

It is worth noting that the hourly data provided by MET Norway represent the average wind speed over the last ten minutes of each hour rather than the entire hour. Despite this, previous research found that Weibull distribution parameters remain consistent across different averaging periods (e.g., 1 minute and 30 minutes) (Barthelmie and Pryor, 2003). Based on these findings, we believe that our use of last 10-minute averages is unlikely to significantly impact the accuracy of the Weibull distribution parameters compared to full-hour averages.

Additionally, our study focuses on near-surface wind speeds (10 m), raising questions about whether our conclusions hold at turbine-height winds. Prior studies indicate a height dependency for Weibull distribution parameters, with higher altitudes typically showing higher means (and scale parameter), variances, skewness, and kurtosis, while the shape parameter remains height-independent (Barthelmie and Pryor, 2003; Dixon and Swift, 1984). Due to the absence of observational data at heights other than 10 meters, we utilized the ERA5 dataset to compare distribution parameters at 10-m and 100-m heights. For the five locations studied, only the mean (and Weibull scale parameter), and variance show height dependency, with other parameters (skewness, kurtosis, Weibull shape parameter) showing independence from height.

5 Conclusions

Our study quantifies the errors in estimating wind speed distribution parameters fitting using time series of varying lengths, accounting for interannual variability. We find that skewness and kurtosis, particularly kurtosis, are systematically underestimated with limited when data length is limited, especially and this underestimation is more pronounced in datasets with higher skewness and kurtosis levels, necessitating significantly longer observation periods for accurate estimates. For example, While the mean and standard deviation stabilize within weeks of data, while skewness requires over 1.6 years and kurtosis over 88.8 years for a $\pm 5\%$ error margin. Our findings highlight the critical These results emphasize that the required length of wind observations is strongly dependent on influence of distribution the shape characteristics of the underlying

~~distribution on data requirements~~, with regional variations becoming more pronounced as ~~precision-accuracy~~ demands increase, particularly for higher-order statistical properties like skewness and kurtosis.

These findings have important implications for wind resource assessment, particularly in regions ~~with characterized by~~ highly variable wind regimes. ~~In For~~ such areas, extended data collection periods or ~~advanced-alternative techniques-strategies~~ such as ~~like~~ data fusion or machine learning may be ~~necessary-essential~~ to accurately capture higher-order statistical properties, ~~which directly affects energy yield estimates and turbine design standards~~.

We also compare different sampling strategies. Our results ~~Additionally, our analysis suggests~~ show that random sampling yield more statistically efficient estimates than continuous sampling, which preserves temporal correlation and diurnal pattern but introduces greater variability in estimated parameters. For instance, achieving $\pm 10\%$ uncertainty in power density may require at least five years of continuous data, whereas only about two months of randomly sampled hourly data may suffice. This suggests that flexible sampling approaches may be feasible in data-limited environments, provided the sampling design avoids strong temporal clustering. ~~can provide comparable accuracy to strict diurnal or seasonal sampling, offering a flexible alternative for data collection in resource constrained settings.~~

Finally, ~~Our evaluation analysis~~ of ERA5 reanalysis data reveals that ~~while-although such datasets they~~ require fewer data points for the same error margin, they ~~introduce exhibit~~ systematic biases, such as underestimating skewness and overestimating Weibull shape parameters, compared to in-situ measurements. This underscores the need for caution when using reanalysis data in wind resource assessments, particularly in regions with complex wind regimes.

Future studies should ~~explore-focus on methods to mitigate the systematic underestimation of skewness and kurtosis mitigating~~ biases in higher-order moment estimation, ~~such as through data fusion or bias correction models. Furthermore~~ Moreover, extending this analysis to different terrain types, and ~~hub the applicability of these findings to different geographic regions and turbine heights should be investigated to enhance~~ can further improve the reliability and generalizability of wind resource energy assessment practices.

Code availability

The code used in this paper can be obtained from the author upon request.

Data availability

The observed wind speed dataset from MET Norway is available for download from at MET Norway's FROST platform (<https://frost.met.no/index.html>; last access: 8 February 2025). The ERA5 datasets is available at Copernicus Climate Data Store (<https://cds.climate.copernicus.eu/datasets/reanalysis-era5-single-levels?tab=download>; last accessed 8 February 2025).

655 Author contributions

LH conceptualized the article, wrote it, and conducted the analysis, while IE supervised the project and contributed to the interpretation of the results and the writing.

Competing interests

The authors declare that they have no conflict of interest.

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Supplementary materials for

Determining the ideal length of wind speed series for wind speed distribution and resource assessment

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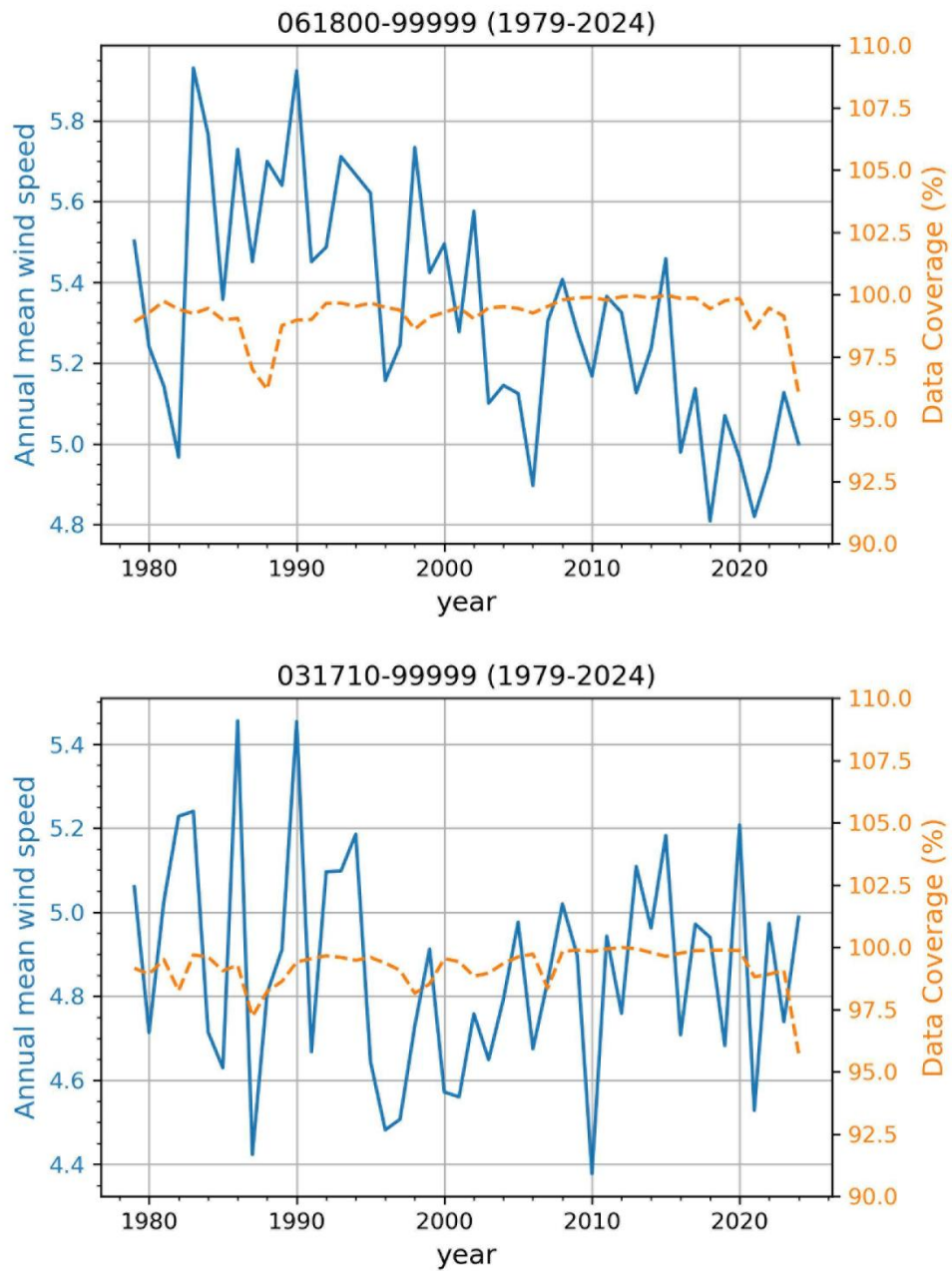


Figure S1_S1 Mean wind speed at each time point across five stations, based on 16 years of hourly observations at each station Annual mean wind speed and data coverage for each year from 1979 to 2024.

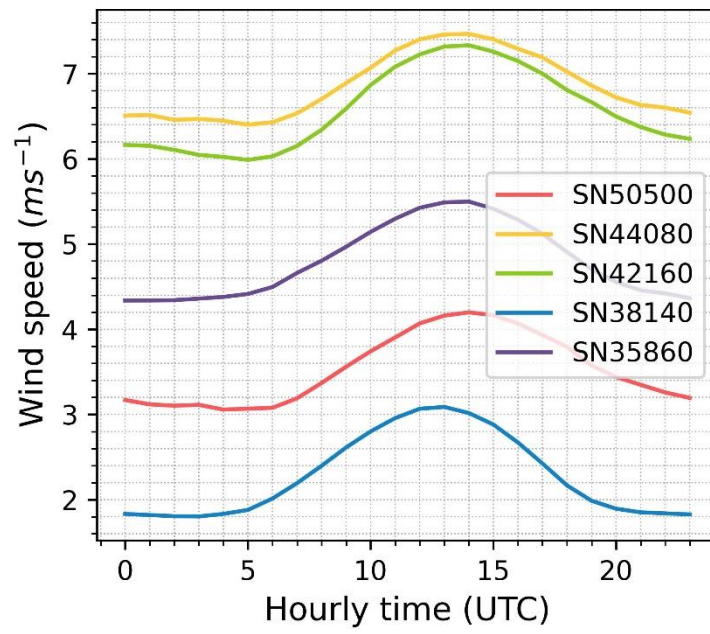


Figure S1-S2 Mean wind speed at each time point across five stations, based on 16 years of hourly observations at each station.

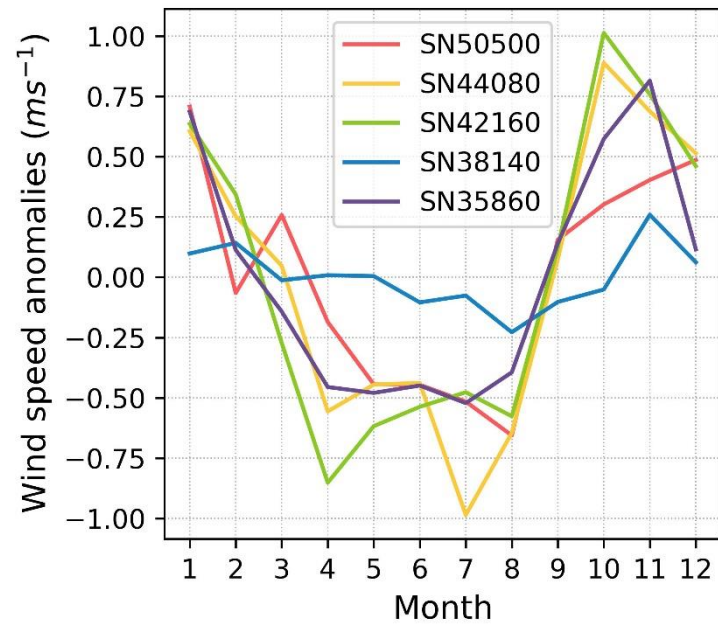


Figure S2-S3 Mean wind speed anomalies (calculated as the mean monthly wind speed minus the annual mean wind speed) for each of the 12 months across five stations, based on 16 years of hourly observations at each station.

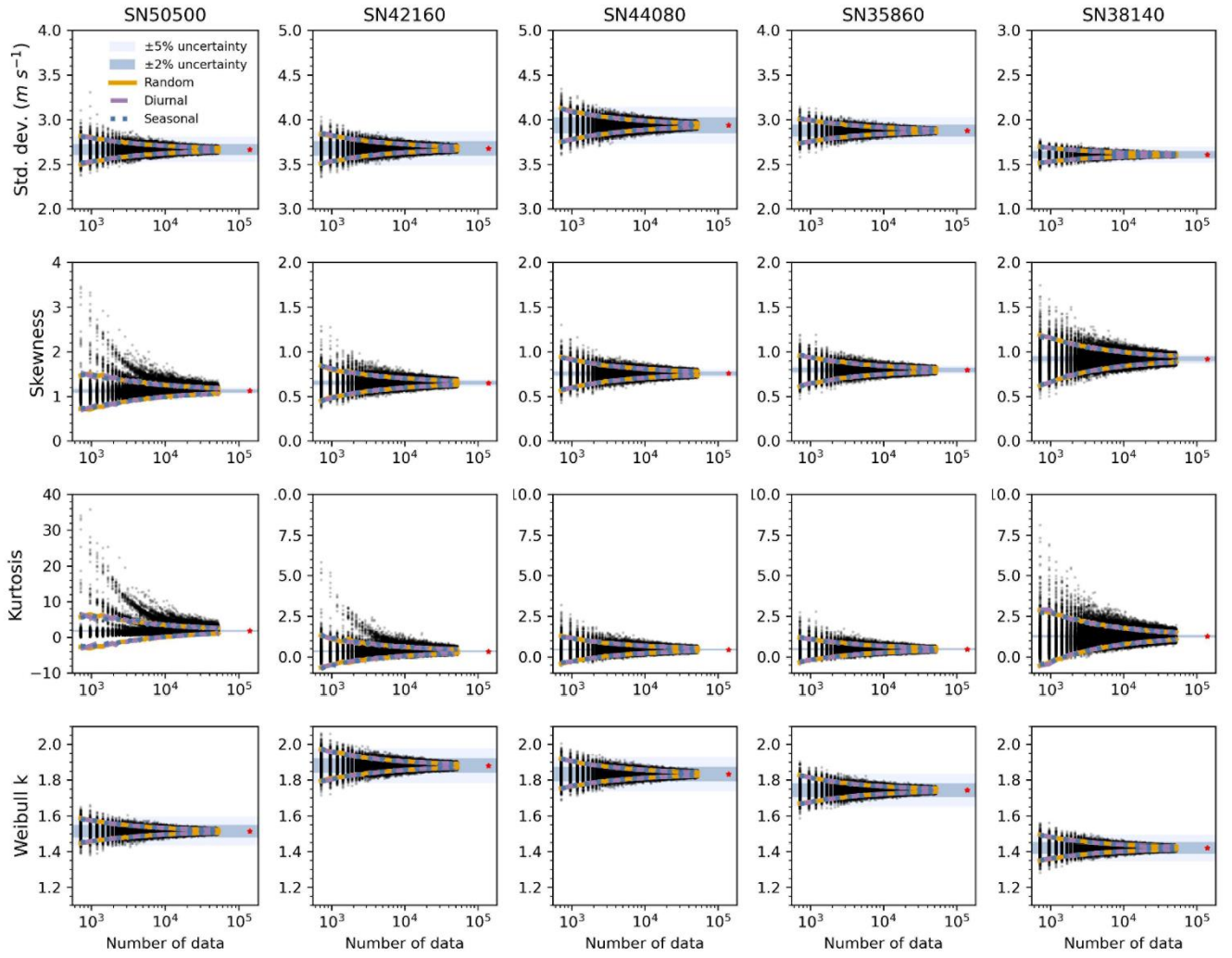


Figure S4 Estimates of standard deviation, skewness, kurtosis and Weibull shape parameter from three sampling strategies, based on in-situ observations from five Norwegian stations. The 90% confidence intervals (CIs) are shown for each sampling method: random (orange), diurnal-cycle-retained (purple dashed), and seasonality-retained (blue dotted). Each black dot represents a parameter estimate from a single sampling realization of random sampling. Sample sizes range from 720 to 52,560 (30 days to 6 years), increasing in 240-hour (10-day) increments, with 1,000 realizations per size. Red asterisks indicate the reference values from the full 16-year hourly dataset (see Table 2). Shaded areas represent $\pm 2\%$ (dark blue) and $\pm 5\%$ (light blue) deviation ranges from full-series values.

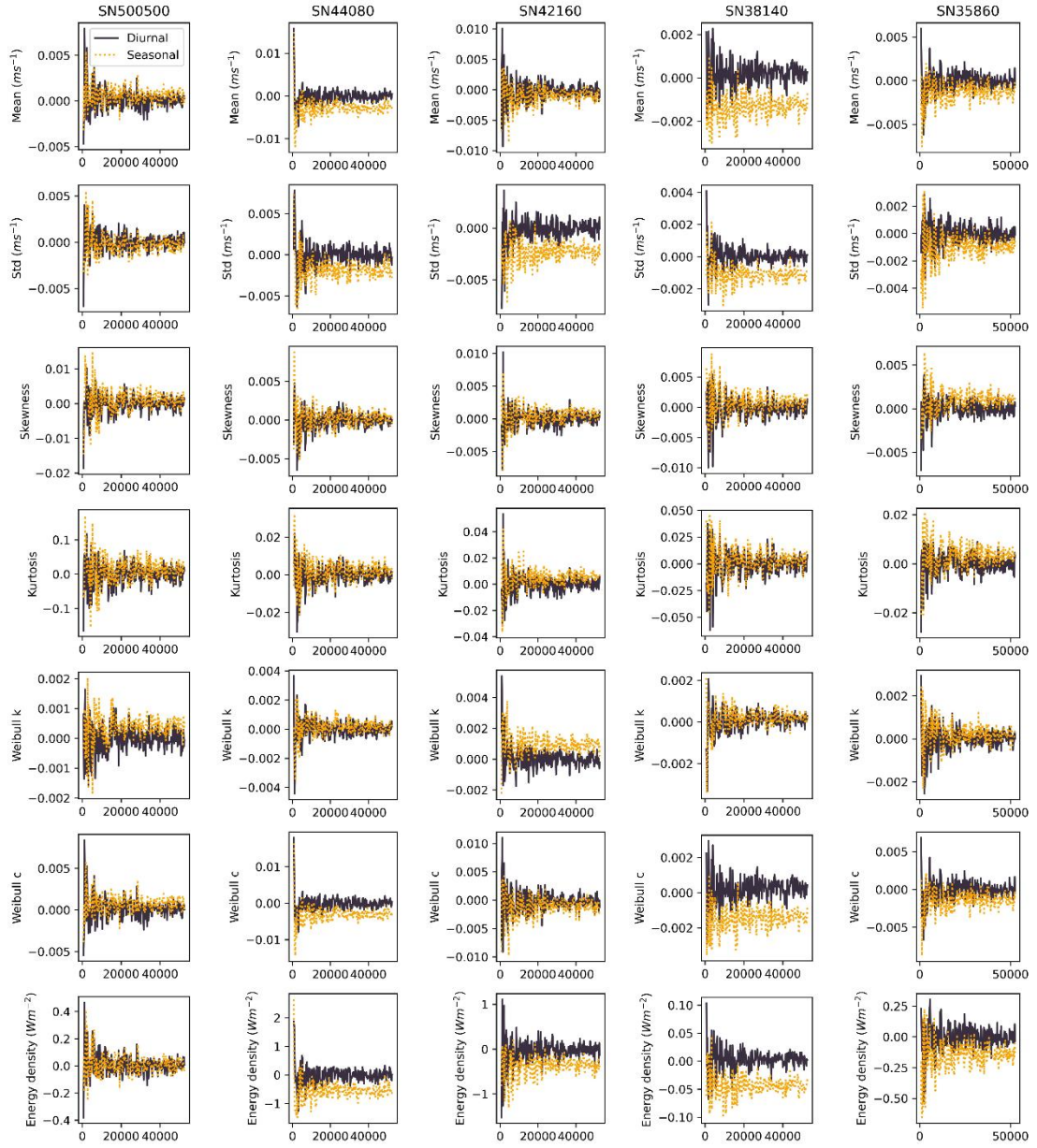


Figure S53 Differences in the 90% confidence intervals derived from in-situ observations between random sampling and diurnal-cycle-retained sampling (represented by black lines), and between random sampling and seasonality-retained sampling (represented by orange lines).

ERA5 100m

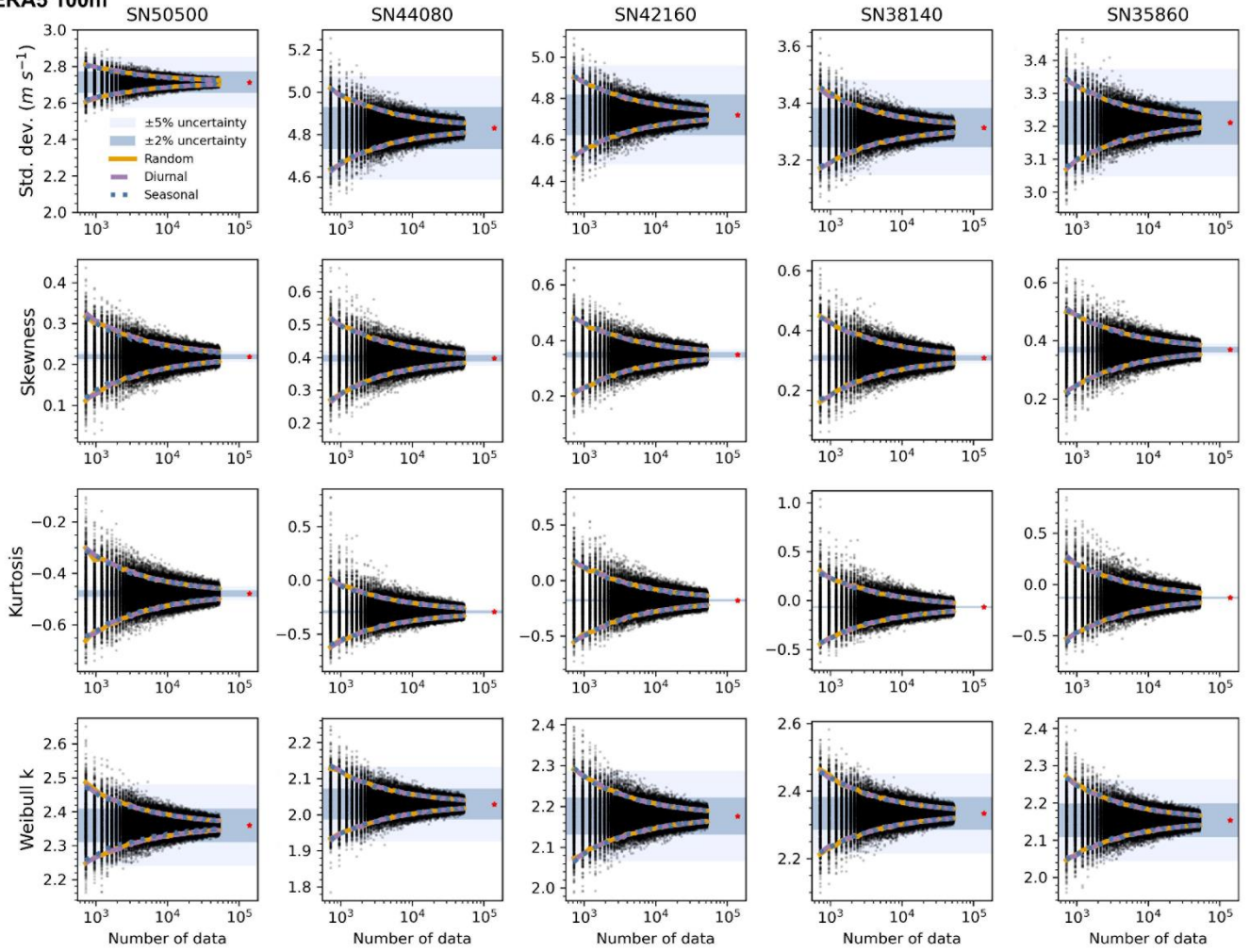


Figure S6 Estimates of standard deviation, skewness, kurtosis and Weibull shape parameter from three sampling strategies, based on ERA5 100-meter data. Sampling methods and visualization are consistent with Figure S2. Red asterisks indicate values from the full 16-year ERA5 100 m dataset. Shaded areas represent $\pm 2\%$ (dark blue) and $\pm 5\%$ (light blue) deviation ranges from full-series values.

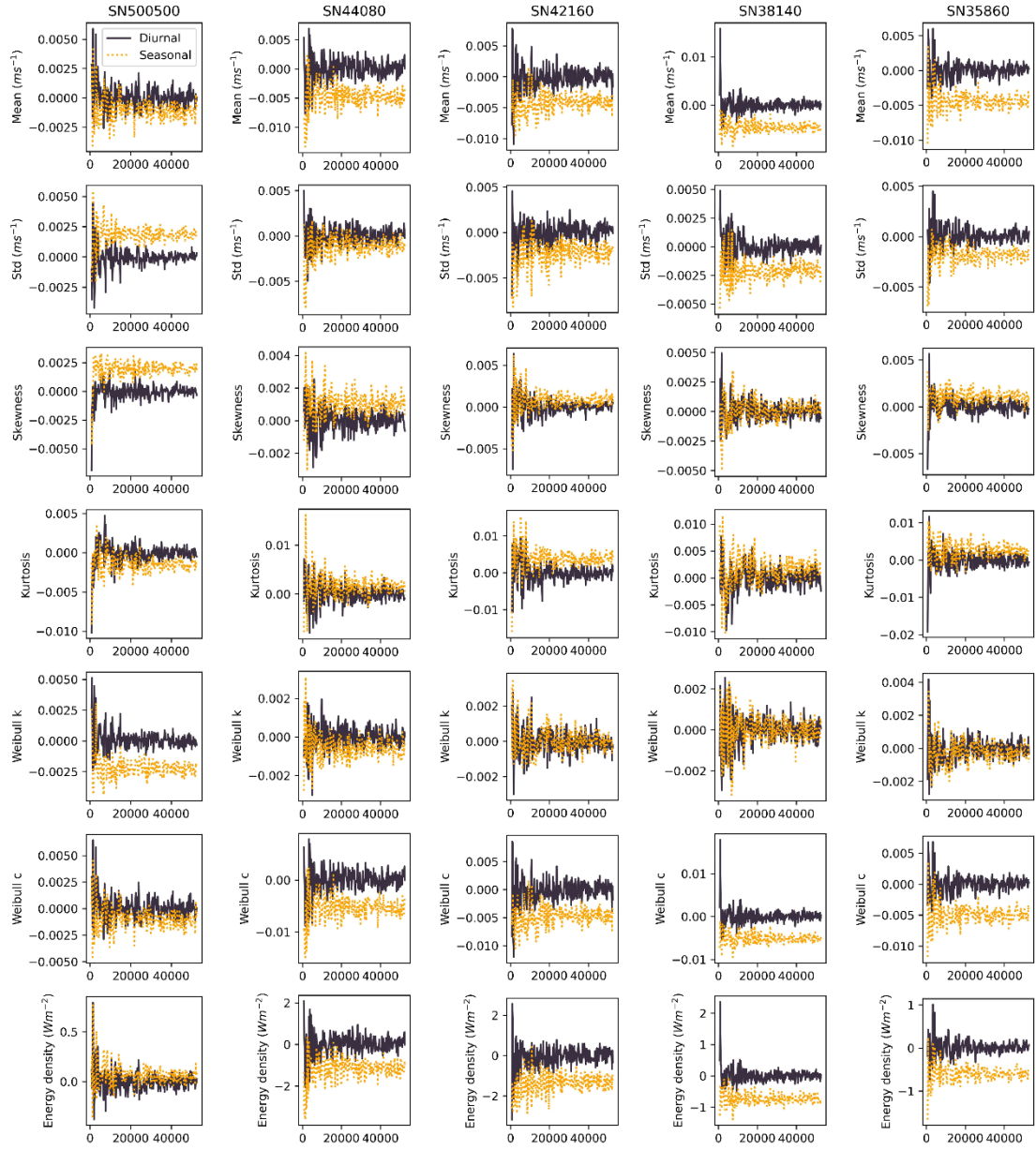


Figure S74 Differences in the 90% confidence intervals derived from ERA5 100 m dataset. Visualization is consistent with Figure S5. Same as Figure S3, but for ERA5 100-meter dataset.

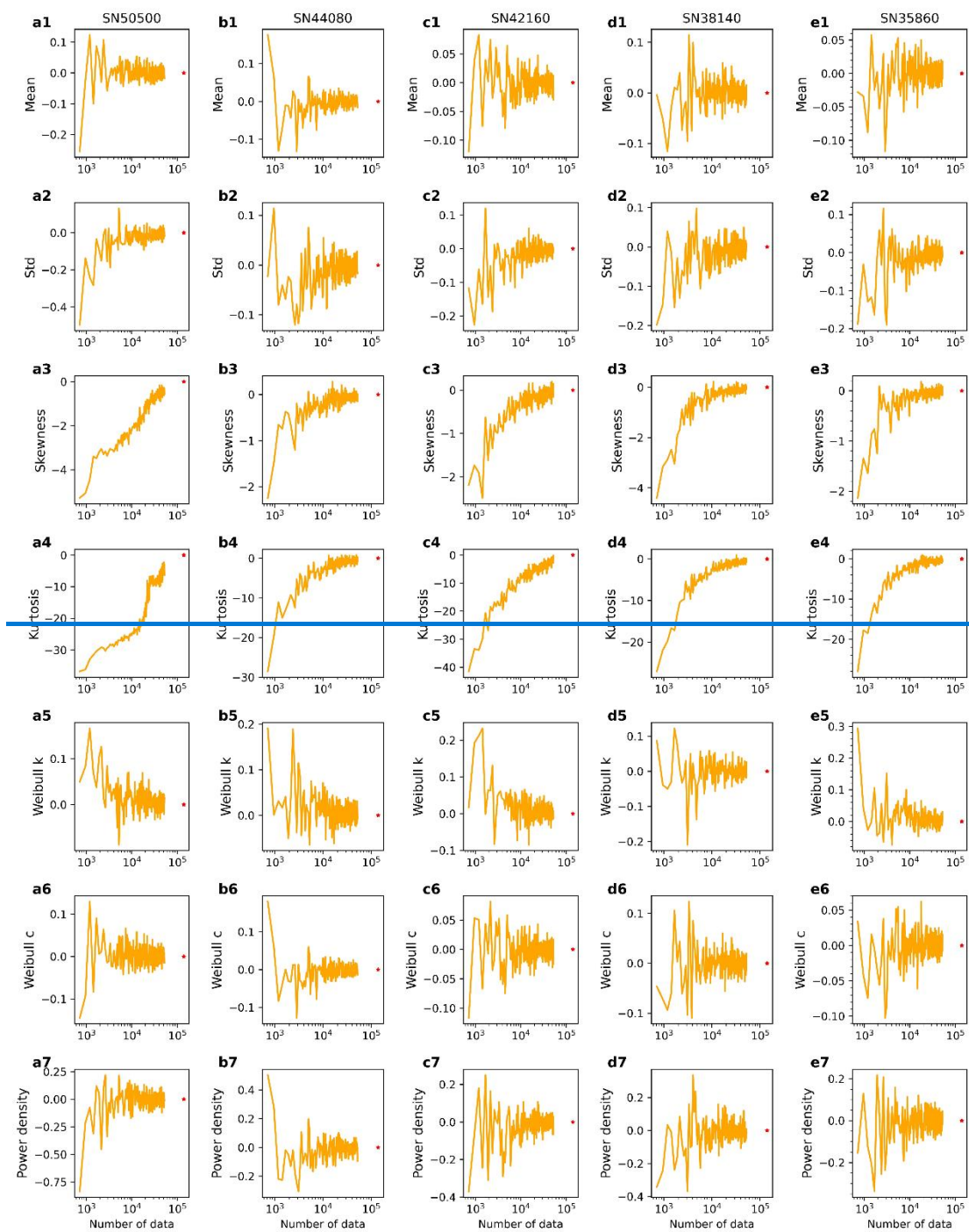


Figure S5 Relative percentage error of the median for each resampling group compared to the total time series value from in-situ weather observations.

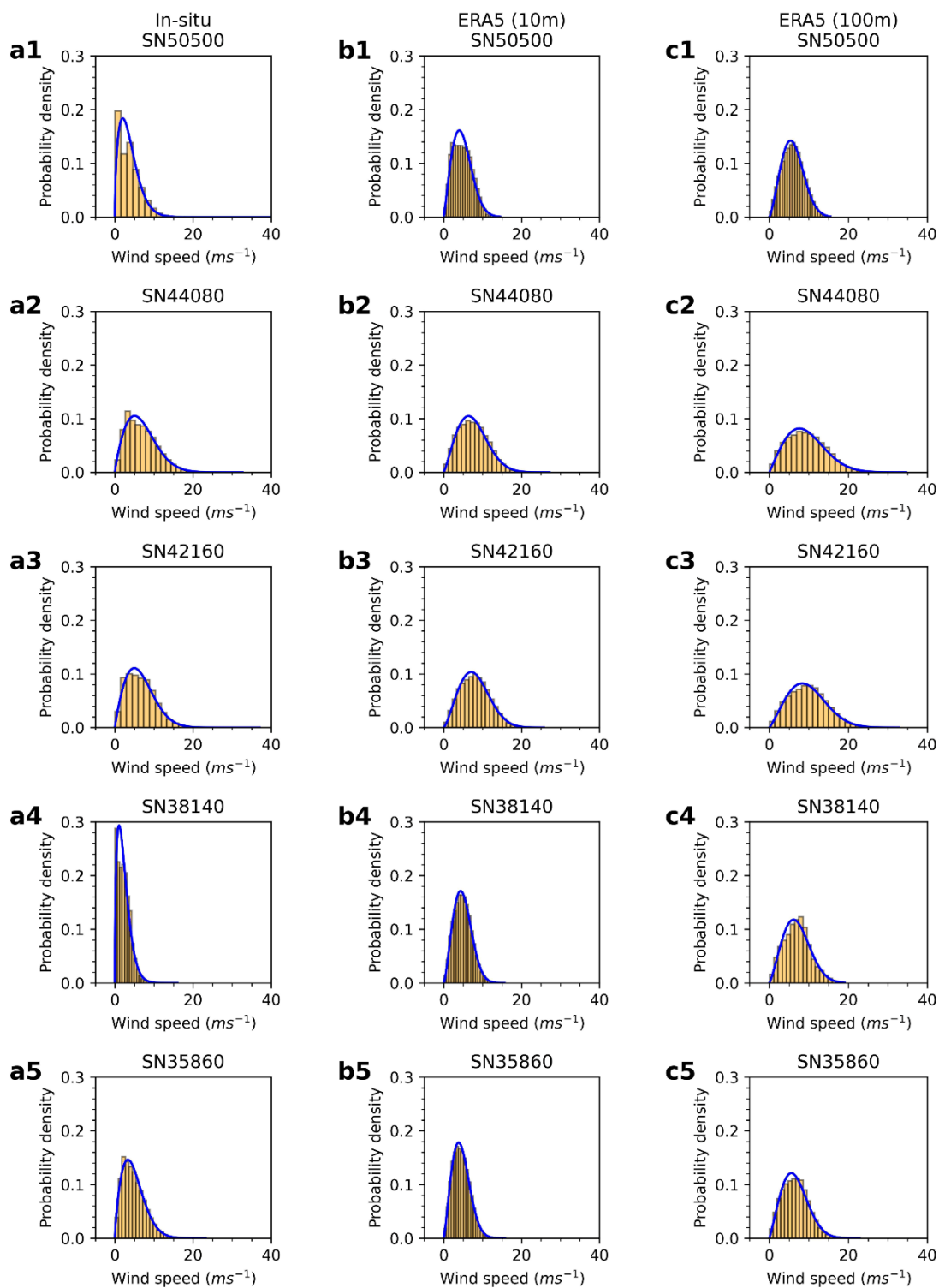


Figure S86 Wind speed distribution at five stations from both in-situ weather measurements and ERA5 reanalysis data (10m and 100m). Note: for ERA5 products, the station ID indicates the corresponding grid point location.

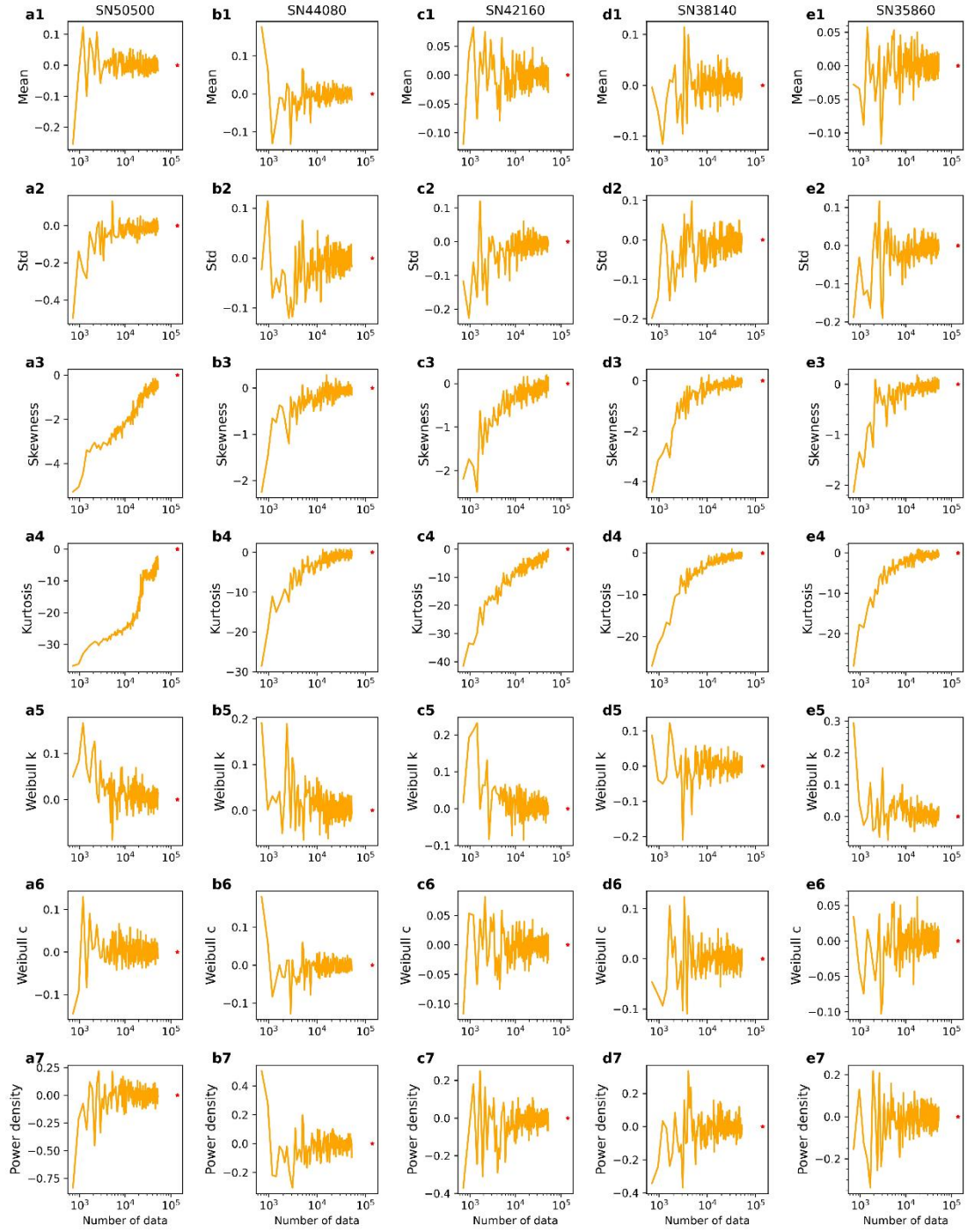


Figure S9 Relative percentage error of the median for each resampling group compared to the total time series value from in-situ weather observations.

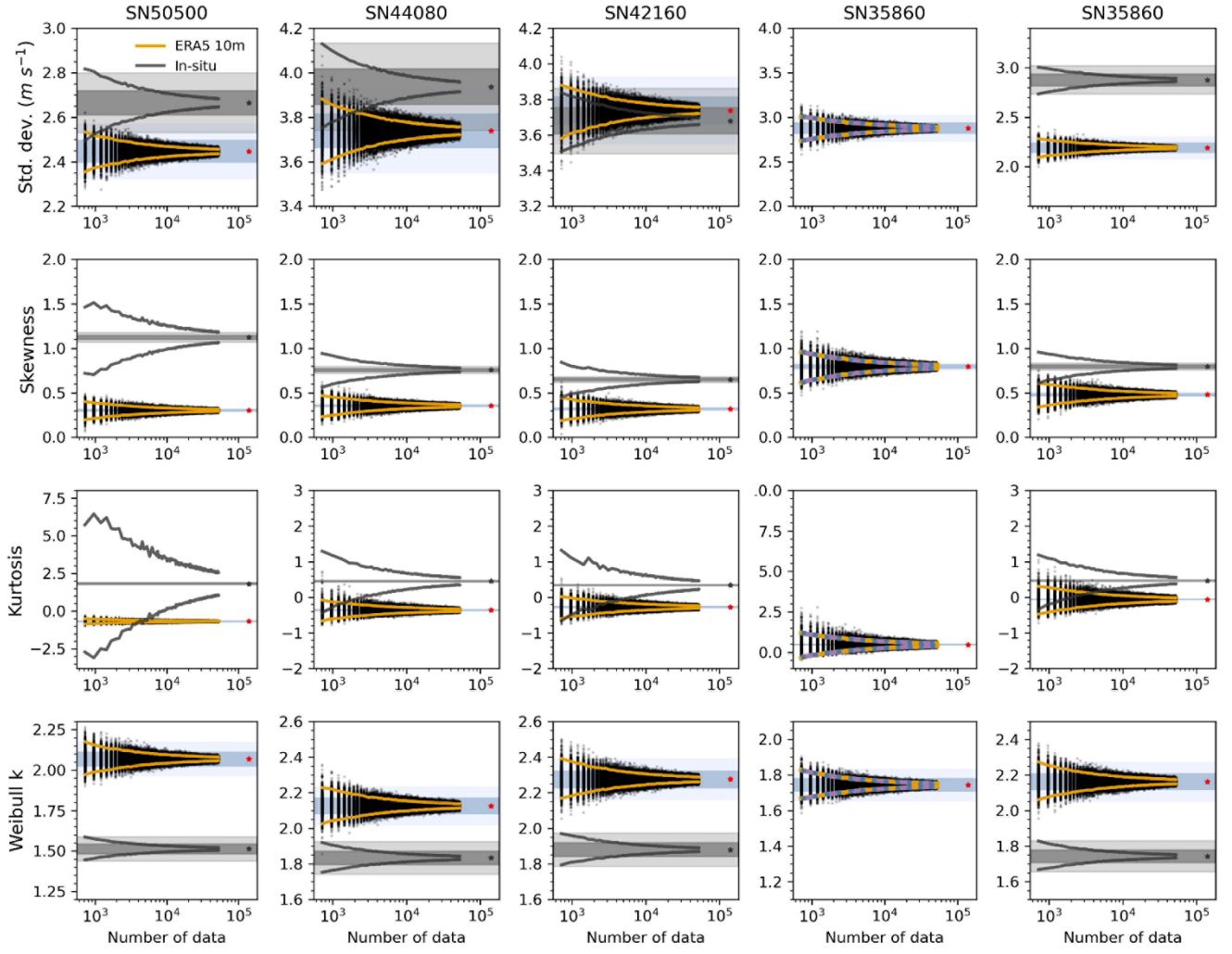


Figure S10 Estimates of standard deviation, skewness, kurtosis and Weibull shape parameter based on random sampling of ERA5 10-meter reanalysis data (black dots) across five Norwegian stations. The sampling strategy is consistent with Figure S2. The 90% confidence intervals (CIs) are shown as orange lines (ERA5) and grey lines (in-situ observations). Red asterisks denote reference values derived from the full 16-year ERA5-10m dataset; grey asterisks represent the corresponding values from in-situ observations. Blue shading represents $\pm 2\%$ (dark) and $\pm 5\%$ (light) uncertainty margins around ERA5-10m reference values, while grey shading indicates the same margins around in-situ reference values.

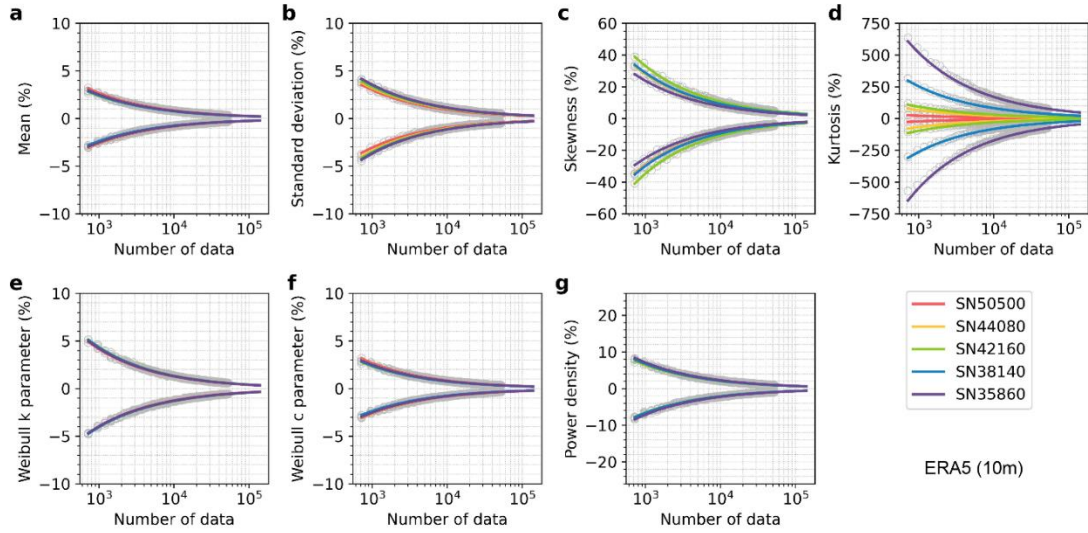


Figure S117 The relationship between the percent error (Y) and sample size (n) based on ERA5 10-meter dataset ranging from $n = 720$ (30 days) to $n = 140,160$ (16 years) across five stations. The equations of fits here are shown in Table 3. Grey circles indicate the values used to fit the 90% confidence intervals for the percent error shown. 90% confidence intervals for the percent error in the mean, standard deviation, skewness, kurtosis, Weibull k and c parameters, and energy density, based on ERA5 10-meter dataset ranging from $n = 720$ (30 days) to $n = 140,160$ (16 years) across five stations. The fits to get the required data density are shown in Table S5.

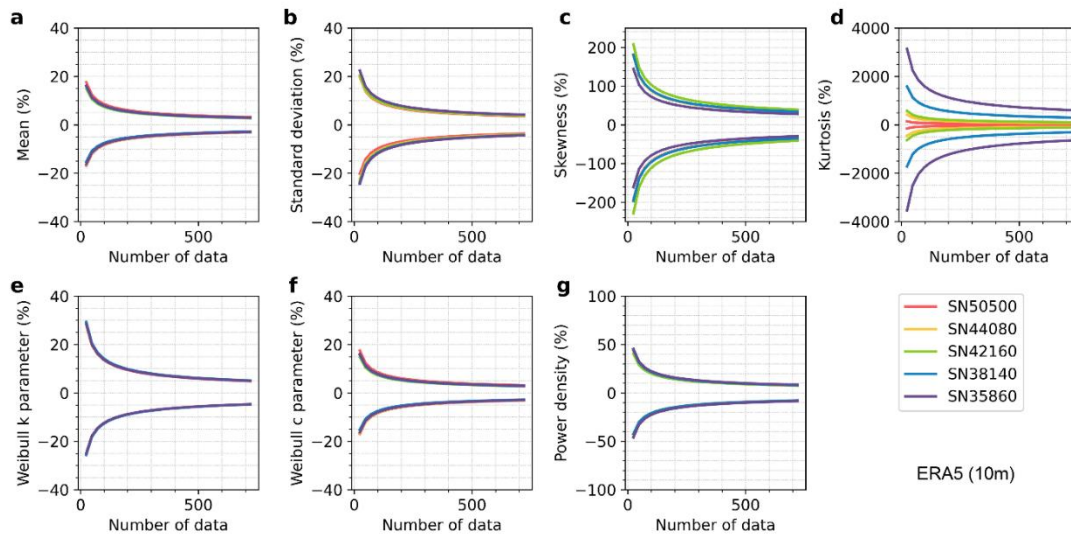


Figure S128 90% confidence intervals for the percent error in the mean, standard deviation, skewness, kurtosis, Weibull k and c parameters, and energy density, based on ERA5 10-meter dataset ranging from $n = 24$ (1 day) to $n = 720$ (30 days) across five stations. The fits to get the required data density are shown in Table S5.

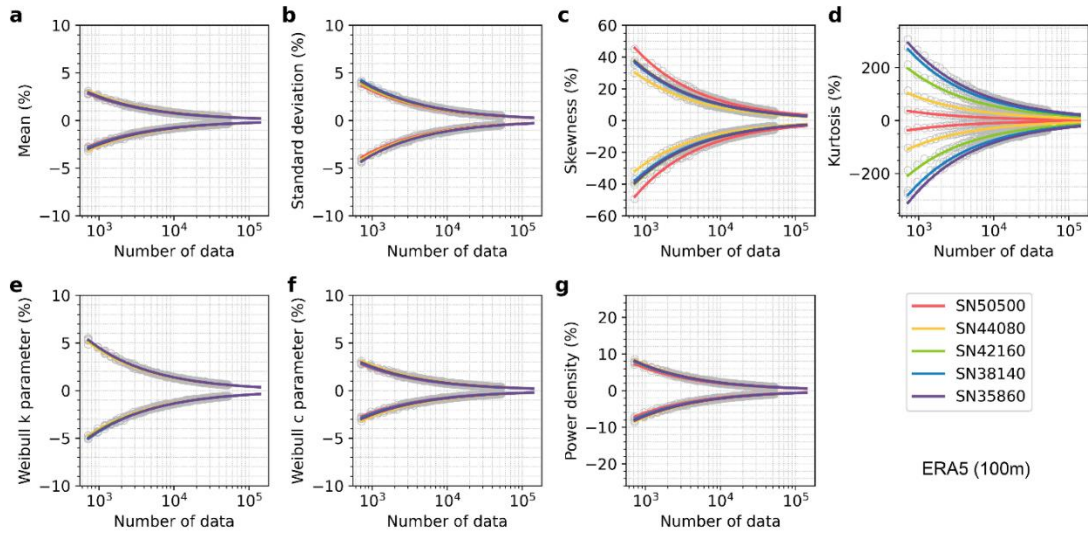


Figure S139 Same as Figure S7S11, but for ERA5 100-meter dataset. The fits to get the required data density are shown in Table S6.

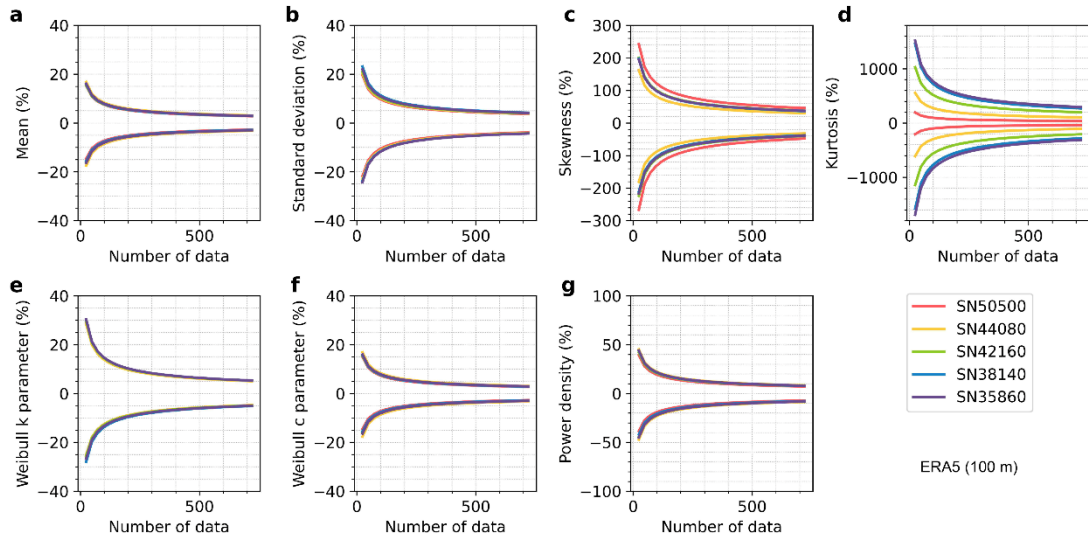


Figure S140 Same as Figure S8S12, but for ERA5 100-meter dataset. The fits to get the required data density are shown in Table S6.

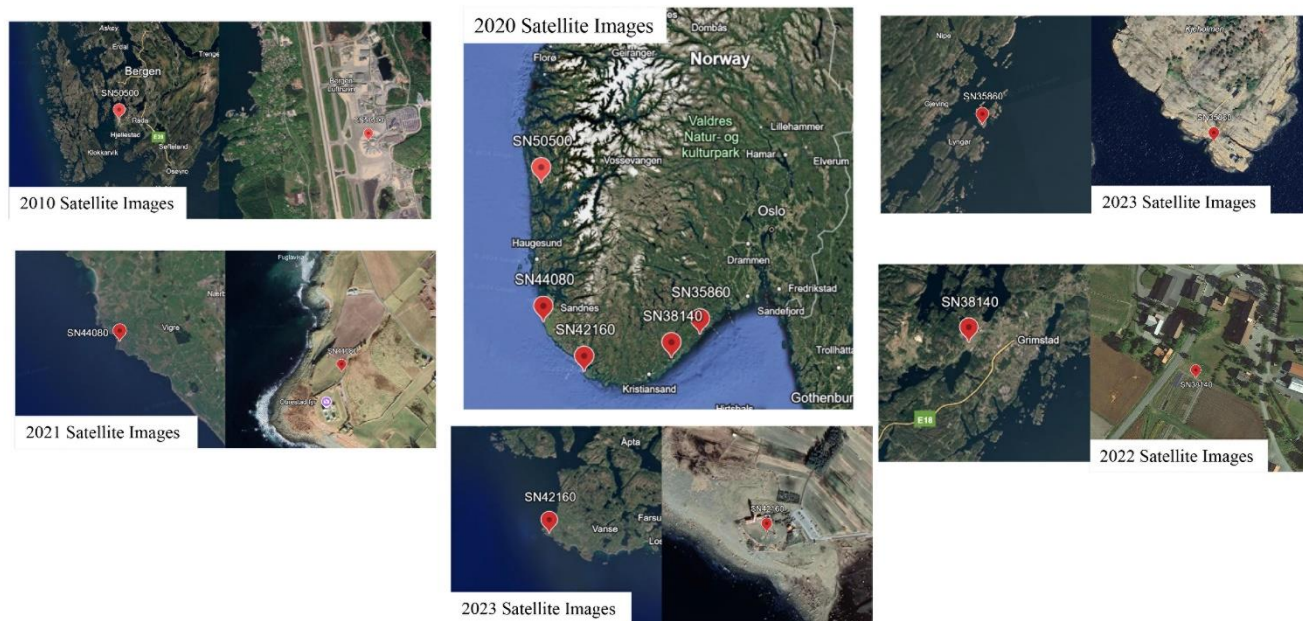


Figure S15 Locations of the five Norwegian stations analyzed in this study, shown with satellite imagery to illustrate their spatial context and surrounding terrain of each station.

Table S1. ~~S~~The selected years (Yr.) and ~~the~~percentage of observation times (Obs. Tim.) for ~~each~~five Norwegian ~~station~~stations used in this study.

SN38140		SN35860		SN42160		SN44080		SN50500	
Yr.	Obs. Tim.	Yr.	Obs. Tim.	Yr.	Obs. Tim.	Yr.	Obs. Tim.	Yr.	Obs. Tim.
1996	100.008784	2001	100.008760	1998	99.478714	1995	99.228692	1974	100.008760
1998	99.478714	2002	99.978757	2000	99.328724	1996	99.588747	1975	99.828744
2002	100.258782	2003	99.608725	2001	99.938754	1997	99.578722	1976	100.008784
2003	100.258782	2004	99.778764	2002	100.008760	1998	99.508716	1977	99.778740
2004	99.868772	2008	99.688756	2004	99.258718	1999	99.928753	1978	99.958756
2009	99.998759	2009	99.998759	2008	99.988782	2000	99.998783	1979	100.008760
2010	99.988758	2010	99.438710	2009	100.008760	2001	99.578722	1980	99.978781
2011	99.958756	2014	99.778740	2010	100.008760	2002	99.958756	1981	100.008760
2012	99.658753	2015	99.598724	2011	100.008760	2003	99.528718	1982	99.998759
2014	99.878749	2016	100.008784	2012	99.998783	2004	100.008784	1983	99.738736
2015	99.858747	2017	99.998759	2013	99.098680	2006	99.608725	1984	99.988782
2017	99.558721	2018	99.998759	2016	99.768763	2009	99.978757	1985	99.908751
2018	99.538719	2019	99.998759	2018	99.148685	2010	100.008760	1986	99.898750
2019	99.388706	2020	99.998783	2020	99.598748	2011	98.588636	1987	99.928753
2020	98.878685	2021	100.008760	2022	99.898750	2012	98.458648	1988	99.908775
2021	99.068678	2022	99.448711	2023	99.638728	2013	99.198689	1990	99.778740
<u>Total</u>	<u>99.72</u>	<u>Total</u>	<u>99.82</u>	<u>Total</u>	<u>99.69</u>	<u>Total</u>	<u>99.54</u>	<u>Total</u>	<u>99.91</u>

Table S2. Root mean squared error (RMSE) of 90% confidence interval (CI) bounds between values derived from in-situ observations, comparing random sampling and two temporal-structure-preserving sampling methods: with diurnal cycle-retained sampling (denoted as “Diurnal”) and seasonality-retained sampling (denoted as “Seasonal”), based on in-situ measurements and ERA5 100-m data from five Norwegian stations. The RMSE is computed for both the lower and upper bounds of 90% CI across all the sampling density, for each statistical parameter.

Parameters	Methods	SN50500		SN44080		SN42160		SN38140		SN35860		Average	
		In-situ	ERA5 100-m	In-situ	ERA5 100-m	In-situ	ERA5 100-m	In-situ	ERA5 100-m	In-situ	ERA5 100-m	In-situ	ERA5 100-m
Mean	Diurnal	0.0023	0.0016	0.0026	0.0027	0.0025	0.0029	0.0013	0.0023	0.0018	0.0019	0.0021	0.0023
	Seasonal	0.0023	0.0105	0.0040	0.0057	0.0025	0.0051	0.0016	0.0050	0.0022	0.0050	0.0025	0.0063
Std. dev	Diurnal	0.0016	0.0011	0.0019	0.0019	0.0018	0.0018	0.0010	0.0014	0.0013	0.0013	0.0015	0.0015
	Seasonal	0.0021	0.0028	0.0027	0.0022	0.0028	0.0031	0.0014	0.0024	0.0017	0.0022	0.0021	0.0025
Skewness	Diurnal	0.0083	0.0012	0.0020	0.0013	0.0024	0.0015	0.0029	0.0014	0.0018	0.0015	0.0035	0.0014
	Seasonal	0.0075	0.0025	0.0022	0.0016	0.0025	0.0017	0.0032	0.0015	0.0022	0.0018	0.0035	0.0018
Kurtosis	Diurnal	0.1229	0.0021	0.0106	0.0030	0.0193	0.0040	0.0210	0.0037	0.0084	0.0044	0.0364	0.0034
	Seasonal	0.1138	0.0029	0.0113	0.0038	0.0233	0.0056	0.0230	0.0044	0.0084	0.0052	0.0360	0.0044
Shape k	Diurnal	0.0007	0.0012	0.0009	0.0011	0.0010	0.0012	0.0008	0.0013	0.0008	0.0011	0.0008	0.0012
	Seasonal	0.0009	0.0033	0.0008	0.0012	0.0014	0.0011	0.0008	0.0013	0.0008	0.0011	0.0009	0.0016
Scale c	Diurnal	0.0025	0.0018	0.0029	0.0031	0.0028	0.0032	0.0016	0.0025	0.0021	0.0022	0.0024	0.0026
	Seasonal	0.0024	0.0116	0.0045	0.0064	0.0029	0.0058	0.0018	0.0056	0.0025	0.0055	0.0028	0.0070
Power density	Diurnal	0.1396	0.1552	0.4855	0.7918	0.3858	0.8559	0.0292	0.3100	0.1589	0.2731	0.2398	0.4772
	Seasonal	0.1687	0.8931	0.7466	1.4477	0.5161	1.6094	0.0498	0.7847	0.2311	0.6521	0.3425	1.0774

Table S4. Equations relating percent error (Y) within 90% confidence intervals to number of data points (n), using data ranging from n = 720 to 52,560. P denotes the positive error bar, and N- represents the negative error bar.

Parameters	SN50500	SN44080	SN42160	SN38140
Mean (P)	$Y=\exp[-0.507\ln(n)+4.888]$	$Y=\exp[-0.503\ln(n)+4.579]$	$Y=\exp[-0.497\ln(n)+4.497]$	$Y=\exp[-0.491\ln(n)+4.415]$
Mean (N)	$Y=-\exp[-0.511\ln(n)+4.929]$	$Y=-\exp[-0.494\ln(n)+4.491]$	$Y=-\exp[-0.498\ln(n)+4.504]$	$Y=-\exp[-0.492\ln(n)+4.427]$
Std. dev (P)	$Y=\exp[-0.497\ln(n)+5.045]$	$Y=\exp[-0.503\ln(n)+4.579]$	$Y=\exp[-0.486\ln(n)+4.692]$	$Y=\exp[-0.480\ln(n)+4.610]$
Std. dev (N)	$Y=-\exp[-0.509\ln(n)+5.169]$	$Y=-\exp[-0.494\ln(n)+4.491]$	$Y=-\exp[-0.500\ln(n)+4.838]$	$Y=-\exp[-0.494\ln(n)+4.766]$
Skewness (P)	$Y=\exp[-0.452\ln(n)+6.610]$	$Y=\exp[-0.495\ln(n)+6.434]$	$Y=\exp[-0.483\ln(n)+6.523]$	$Y=\exp[-0.477\ln(n)+6.451]$
Skewness (N)	$Y=-\exp[-0.471\ln(n)+6.807]$	$Y=-\exp[-0.502\ln(n)+6.522]$	$Y=-\exp[-0.496\ln(n)+6.665]$	$Y=-\exp[-0.490\ln(n)+6.593]$
Kurtosis (P)	$Y=\exp[-0.436\ln(n)+8.521]$	$Y=\exp[-0.493\ln(n)+8.449]$	$Y=\exp[-0.474\ln(n)+8.746]$	$Y=\exp[-0.468\ln(n)+8.674]$
Kurtosis (N)	$Y=-\exp[-0.451\ln(n)+8.673]$	$Y=-\exp[-0.500\ln(n)+8.540]$	$Y=-\exp[-0.485\ln(n)+8.869]$	$Y=-\exp[-0.479\ln(n)+8.797]$
Weibull k (P)	$Y=\exp[-0.508\ln(n)+4.902]$	$Y=\exp[-0.503\ln(n)+4.845]$	$Y=\exp[-0.503\ln(n)+4.907]$	$Y=\exp[-0.503\ln(n)+4.907]$
Weibull k (N)	$Y=-\exp[-0.491\ln(n)+4.721]$	$Y=-\exp[-0.493\ln(n)+4.731]$	$Y=-\exp[-0.484\ln(n)+4.696]$	$Y=-\exp[-0.484\ln(n)+4.696]$
Weibull c (P)	$Y=\exp[-0.507\ln(n)+4.864]$	$Y=\exp[-0.503\ln(n)+4.580]$	$Y=\exp[-0.496\ln(n)+4.494]$	$Y=\exp[-0.496\ln(n)+4.494]$
Weibull c (N)	$Y=-\exp[-0.512\ln(n)+4.906]$	$Y=-\exp[-0.495\ln(n)+4.505]$	$Y=-\exp[-0.498\ln(n)+4.506]$	$Y=-\exp[-0.498\ln(n)+4.506]$
Power density (P)	$Y=\exp[-0.508\ln(n)+6.011]$	$Y=\exp[-0.505\ln(n)+5.689]$	$Y=\exp[-0.495\ln(n)+5.547]$	$Y=\exp[-0.495\ln(n)+5.547]$
Power density (N)	$Y=-\exp[-0.509\ln(n)+6.014]$	$Y=-\exp[-0.492\ln(n)+5.560]$	$Y=-\exp[-0.497\ln(n)+5.566]$	$Y=-\exp[-0.497\ln(n)+5.566]$

Table S3 Required number of randomly selected ERA5 10-meter reanalysis (unit: hours) to obtain an estimate within $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$ of the parameters from the entire observed time series (157,465 data points), calculated at the 90% confidence level. The fits to obtain the required data density are shown in Table S4.

Error margins	Location	Mean	Std. dev.	Skewness	Kurtosis	Shape k	Scale c	Power density
$\pm 10\%$	SN50500	73	96	8172	5016	180	73	471
	SN44080	66	117	8313	44143	185	67	472
	SN42160	57	126	11723	95190	194	56	427
	SN38140	60	134	8735	711310	195	59	460
	SN35860	64	139	6207	3540359	185	64	508
	average	64	123	9262	944804	188	64	468
$\pm 5\%$	SN50500	290	378	32016	19838	695	288	1856
	SN44080	264	461	32714	178285	730	266	1877
	SN42160	229	495	46455	392676	761	227	1711
	SN38140	238	528	34605	2908557	751	232	1825
	SN35860	254	547	24898	14867900	716	254	2041
	average	255	482	34138	3673452	731	254	1862
$\pm 2\%$	SN50500	1780	2314	200956	124202	4155	1777	11362
	SN44080	1642	2826	208777	1128607	4469	1649	11743
	SN42160	1443	3016	298655	2556252	4626	1424	10706
	SN38140	1461	3244	221711	18715159	4468	1430	11298
	SN35860	1587	3343	165203	99101050	4294	1587	12890
	average	1583	2949	219061	24325054	4403	1574	11600
$\pm 1\%$	SN50500	7030	9113	809645	498171	16071	7032	44916
	SN44080	6548	11134	848415	4558267	17597	6563	47679
	SN42160	5802	11843	1220400	10544961	18114	5721	43071
	SN38140	5777	12805	903642	76526556	17220	5660	45063
	SN35860	6368	13141	691404	416179369	16643	6348	51972
	average	6305	11608	894702	101661465	17129	6265	46541

Table S5S4. Fitted equations describing the relationship between the percent error (Y) and sample size (n), based on random sampling results from ERA5 10 m reanalysis data. Note: the station ID indicates the corresponding grid point location. Equations for the ERA5 10-meter dataset relate percent error (Y) within 90% confidence intervals to the number of data points (n), for values of n between 720 and 52,560. P represents the positive error bar and N represents the negative error bar.

Parameters	SN50500	SN44080	SN42160	SN38140	SN35860
Mean (P)	$Y = \exp[-0.505 \ln(n) + 4.47]$	$Y = \exp[-0.496 \ln(n) + 4.356]$	$Y = \exp[-0.494 \ln(n) + 4.275]$	$Y = \exp[-0.504 \ln(n) + 4.368]$	$Y = \exp[-0.498 \ln(n) + 4.365]$
Mean (N)	$Y = -\exp[-0.499 \ln(n) + 4.413]$	$Y = -\exp[-0.501 \ln(n) + 4.404]$	$Y = -\exp[-0.498 \ln(n) + 4.316]$	$Y = -\exp[-0.498 \ln(n) + 4.304]$	$Y = -\exp[-0.5 \ln(n) + 4.38]$
Std. dev (P)	$Y = \exp[-0.504 \ln(n) + 4.576]$	$Y = \exp[-0.488 \ln(n) + 4.535]$	$Y = \exp[-0.489 \ln(n) + 4.568]$	$Y = \exp[-0.497 \ln(n) + 4.688]$	$Y = \exp[-0.493 \ln(n) + 4.671]$
Std. dev (N)	$Y = -\exp[-0.506 \ln(n) + 4.61]$	$Y = -\exp[-0.506 \ln(n) + 4.711]$	$Y = -\exp[-0.507 \ln(n) + 4.754]$	$Y = -\exp[-0.505 \ln(n) + 4.775]$	$Y = -\exp[-0.506 \ln(n) + 4.802]$
Skewness (P)	$Y = \exp[-0.497 \ln(n) + 6.767]$	$Y = \exp[-0.494 \ln(n) + 6.749]$	$Y = \exp[-0.492 \ln(n) + 6.901]$	$Y = \exp[-0.493 \ln(n) + 6.766]$	$Y = \exp[-0.484 \ln(n) + 6.511]$
Skewness (N)	$Y = -\exp[-0.508 \ln(n) + 6.875]$	$Y = -\exp[-0.508 \ln(n) + 6.891]$	$Y = -\exp[-0.505 \ln(n) + 7.038]$	$Y = -\exp[-0.505 \ln(n) + 6.887]$	$Y = -\exp[-0.5 \ln(n) + 6.67]$
Kurtosis (P)	$Y = \exp[-0.499 \ln(n) + 6.546]$	$Y = \exp[-0.497 \ln(n) + 7.613]$	$Y = \exp[-0.489 \ln(n) + 7.91]$	$Y = \exp[-0.492 \ln(n) + 8.935]$	$Y = \exp[-0.483 \ln(n) + 9.587]$
Kurtosis (N)	$Y = -\exp[-0.504 \ln(n) + 6.598]$	$Y = -\exp[-0.507 \ln(n) + 7.717]$	$Y = -\exp[-0.502 \ln(n) + 8.044]$	$Y = -\exp[-0.503 \ln(n) + 9.046]$	$Y = -\exp[-0.5 \ln(n) + 9.762]$
Weibull k (P)	$Y = \exp[-0.512 \ln(n) + 4.962]$	$Y = \exp[-0.506 \ln(n) + 4.943]$	$Y = \exp[-0.508 \ln(n) + 4.979]$	$Y = \exp[-0.514 \ln(n) + 5.011]$	$Y = \exp[-0.512 \ln(n) + 4.973]$
Weibull k (N)	$Y = -\exp[-0.502 \ln(n) + 4.839]$	$Y = -\exp[-0.489 \ln(n) + 4.767]$	$Y = -\exp[-0.488 \ln(n) + 4.771]$	$Y = -\exp[-0.494 \ln(n) + 4.808]$	$Y = -\exp[-0.493 \ln(n) + 4.779]$
Weibull c (P)	$Y = \exp[-0.504 \ln(n) + 4.463]$	$Y = \exp[-0.495 \ln(n) + 4.348]$	$Y = \exp[-0.494 \ln(n) + 4.261]$	$Y = \exp[-0.504 \ln(n) + 4.353]$	$Y = \exp[-0.498 \ln(n) + 4.36]$
Weibull c (N)	$Y = -\exp[-0.5 \ln(n) + 4.419]$	$Y = -\exp[-0.502 \ln(n) + 4.41]$	$Y = -\exp[-0.499 \ln(n) + 4.313]$	$Y = -\exp[-0.498 \ln(n) + 4.301]$	$Y = -\exp[-0.5 \ln(n) + 4.378]$
Power density (P)	$Y = \exp[-0.506 \ln(n) + 5.416]$	$Y = \exp[-0.495 \ln(n) + 5.329]$	$Y = \exp[-0.493 \ln(n) + 5.266]$	$Y = \exp[-0.503 \ln(n) + 5.384]$	$Y = \exp[-0.497 \ln(n) + 5.398]$
Power density (N)	$Y = -\exp[-0.498 \ln(n) + 5.332]$	$Y = -\exp[-0.502 \ln(n) + 5.393]$	$Y = -\exp[-0.5 \ln(n) + 5.33]$	$Y = -\exp[-0.497 \ln(n) + 5.326]$	$Y = -\exp[-0.499 \ln(n) + 5.413]$

Table S5 Required number of randomly selected ERA5 100-meter reanalysis (unit: hours) to obtain an estimate within $\pm 10\%$, $\pm 5\%$, $\pm 2\%$, and $\pm 1\%$ of the parameters from the entire observed time series (157,465 data points), calculated at the 90% confidence level. The fits to obtain the required data density are shown in Table S6.

Error margins	Location	Mean	Std. dev.	Skewness	Kurtosis	Shape k	Scale c	Power density
$\pm 10\%$	SN50500	56	110	16201	8729	198	54	374
	SN44080	73	123	7056	81022	189	74	521
	SN42160	61	133	11263	328841	205	62	468
	SN38140	58	137	15661	2453346	222	57	435
	SN35860	64	137	11069	795574	211	64	480
	average	63	128	12230	701703	205	63	456
$\pm 5\%$	SN50500	223	434	65875	38941	767	215	1501
	SN44080	289	483	27566	329399	745	294	2067
	SN42160	247	523	44785	1367095	803	247	1867
	SN38140	239	528	39510	2240186	816	234	1808
	SN35860	255	535	44939	3346344	815	255	1916
	average	251	501	44535	1464393	790	249	1832
$\pm 2\%$	SN50500	1391	2651	427303	248311	4604	1347	9434
	SN44080	1786	2950	176226	2103464	4560	1819	12841
	SN42160	1551	3187	290902	8991336	4889	1552	11635
	SN38140	1481	3272	247668	14218455	4903	1457	11209
	SN35860	1587	3244	296038	22351593	4884	1590	12125
	average	1560	3061	287628	9582632	4768	1553	11449
$\pm 1\%$	SN50500	5556	10417	1757931	1008422	17854	5394	37889
	SN44080	7091	11598	717060	8551751	17952	7217	51955
	SN42160	6236	12509	1198029	37379775	19172	6231	47065
	SN38140	5891	12995	998600	57540275	19027	5801	44825
	SN35860	6341	12685	1232216	94015313	18917	6340	48981
	average	6223	12041	1180767	39699108	18585	6197	46143

Table S6 Fitted equations describing the relationship between the percent error (Y) and sample size (n), based on random sampling results from ERA5 100 m reanalysis data. Note: the station ID indicates the corresponding grid point location. ~~Same as Table S2, but for ERA5 100-meter dataset.~~

Parameters	SN50500	SN44080	SN42160	SN38140	SN35860
Mean (P)	$Y=\exp[-0.5\ln(n)+4.315]$	$Y=\exp[-0.497\ln(n)+4.402]$	$Y=\exp[-0.494\ln(n)+4.305]$	$Y=\exp[-0.502\ln(n)+4.357]$	$Y=\exp[-0.498\ln(n)+4.361]$
Mean (N)	$Y=-\exp[-0.495\ln(n)+4.254]$	$Y=-\exp[-0.503\ln(n)+4.458]$	$Y=-\exp[-0.498\ln(n)+4.354]$	$Y=-\exp[-0.5\ln(n)+4.335]$	$Y=-\exp[-0.501\ln(n)+4.383]$
Std. dev (P)	$Y=\exp[-0.492\ln(n)+4.533]$	$Y=\exp[-0.489\ln(n)+4.559]$	$Y=\exp[-0.489\ln(n)+4.593]$	$Y=\exp[-0.501\ln(n)+4.731]$	$Y=\exp[-0.493\ln(n)+4.656]$
Std. dev (N)	$Y=-\exp[-0.506\ln(n)+4.685]$	$Y=-\exp[-0.506\ln(n)+4.739]$	$Y=-\exp[-0.507\ln(n)+4.783]$	$Y=-\exp[-0.503\ln(n)+4.76]$	$Y=-\exp[-0.508\ln(n)+4.803]$
Skewness (P)	$Y=\exp[-0.49\ln(n)+7.047]$	$Y=\exp[-0.494\ln(n)+6.659]$	$Y=\exp[-0.49\ln(n)+6.854]$	$Y=\exp[-0.497\ln(n)+6.868]$	$Y=\exp[-0.486\ln(n)+6.817]$
Skewness (N)	$Y=-\exp[-0.504\ln(n)+7.187]$	$Y=-\exp[-0.509\ln(n)+6.815]$	$Y=-\exp[-0.505\ln(n)+7.015]$	$Y=-\exp[-0.505\ln(n)+6.958]$	$Y=-\exp[-0.501\ln(n)+6.972]$
Kurtosis (P)	$Y=\exp[-0.495\ln(n)+6.837]$	$Y=\exp[-0.494\ln(n)+7.888]$	$Y=\exp[-0.486\ln(n)+8.482]$	$Y=\exp[-0.496\ln(n)+8.86]$	$Y=\exp[-0.483\ln(n)+8.858]$
Kurtosis (N)	$Y=-\exp[-0.504\ln(n)+6.93]$	$Y=-\exp[-0.508\ln(n)+8.03]$	$Y=-\exp[-0.501\ln(n)+8.633]$	$Y=-\exp[-0.506\ln(n)+8.974]$	$Y=-\exp[-0.498\ln(n)+9.015]$
Weibull k (P)	$Y=\exp[-0.511\ln(n)+5.007]$	$Y=\exp[-0.506\ln(n)+4.955]$	$Y=\exp[-0.507\ln(n)+5.002]$	$Y=\exp[-0.511\ln(n)+5.037]$	$Y=\exp[-0.512\ln(n)+5.041]$
Weibull k (N)	$Y=-\exp[-0.489\ln(n)+4.776]$	$Y=-\exp[-0.489\ln(n)+4.78]$	$Y=\exp[-0.493\ln(n)+4.298]$	$Y=-\exp[-0.502\ln(n)+4.924]$	$Y=-\exp[-0.493\ln(n)+4.849]$
Weibull c (P)	$Y=\exp[-0.5\ln(n)+4.293]$	$Y=\exp[-0.496\ln(n)+4.404]$	$Y=-\exp[-0.499\ln(n)+4.358]$	$Y=\exp[-0.502\ln(n)+4.347]$	$Y=\exp[-0.497\ln(n)+4.352]$
Weibull c (N)	$Y=-\exp[-0.495\ln(n)+4.249]$	$Y=-\exp[-0.503\ln(n)+4.468]$	$Y=\exp[-0.493\ln(n)+5.305]$	$Y=-\exp[-0.5\ln(n)+4.333]$	$Y=-\exp[-0.501\ln(n)+4.387]$
Power density (P)	$Y=\exp[-0.499\ln(n)+5.256]$	$Y=\exp[-0.496\ln(n)+5.385]$	$Y=-\exp[-0.501\ln(n)+5.382]$	$Y=\exp[-0.502\ln(n)+5.376]$	$Y=\exp[-0.496\ln(n)+5.362]$
Power density (N)	$Y=-\exp[-0.496\ln(n)+5.225]$	$Y=-\exp[-0.503\ln(n)+5.451]$	$Y=\exp[-0.494\ln(n)+4.305]$	$Y=-\exp[-0.496\ln(n)+5.312]$	$Y=-\exp[-0.501\ln(n)+5.396]$

Table S7. Comparison of observed wind statistics at 10 m height with estimates from ERA5 and the Global Wind Atlas (GWA) at selected stations. Units for mean wind speed and power density are m s^{-1} and W m^{-2} , respectively. ERA5 and GWA values are extracted from the nearest grid points closest to each station.

<u>Station ID</u>	<u>Mean wind speed</u>		<u>Power density</u>	
	<u>Observed</u>	<u>GWA</u>	<u>Observed</u>	<u>GWA</u>
<u>SN50500</u>	<u>3.53</u>	<u>5.47</u>	<u>81</u>	<u>261</u>
<u>SN44080</u>	<u>6.85</u>	<u>7.88</u>	<u>417</u>	<u>651</u>
<u>SN42160</u>	<u>6.57</u>	<u>7.77</u>	<u>358</u>	<u>534</u>
<u>SN38140</u>	<u>2.28</u>	<u>4.03</u>	<u>21</u>	<u>105</u>
<u>SN35860</u>	<u>4.80</u>	<u>6.11</u>	<u>152</u>	<u>254</u>
<u>061800-99999</u>	<u>5.32</u>	<u>5.30</u>	<u>165</u>	<u>155</u>
<u>031700-99999</u>	<u>4.87</u>	<u>6.34</u>	<u>171</u>	<u>338</u>